

Opacity of the Universe for VHE gamma-rays in the presence of axion-like particles

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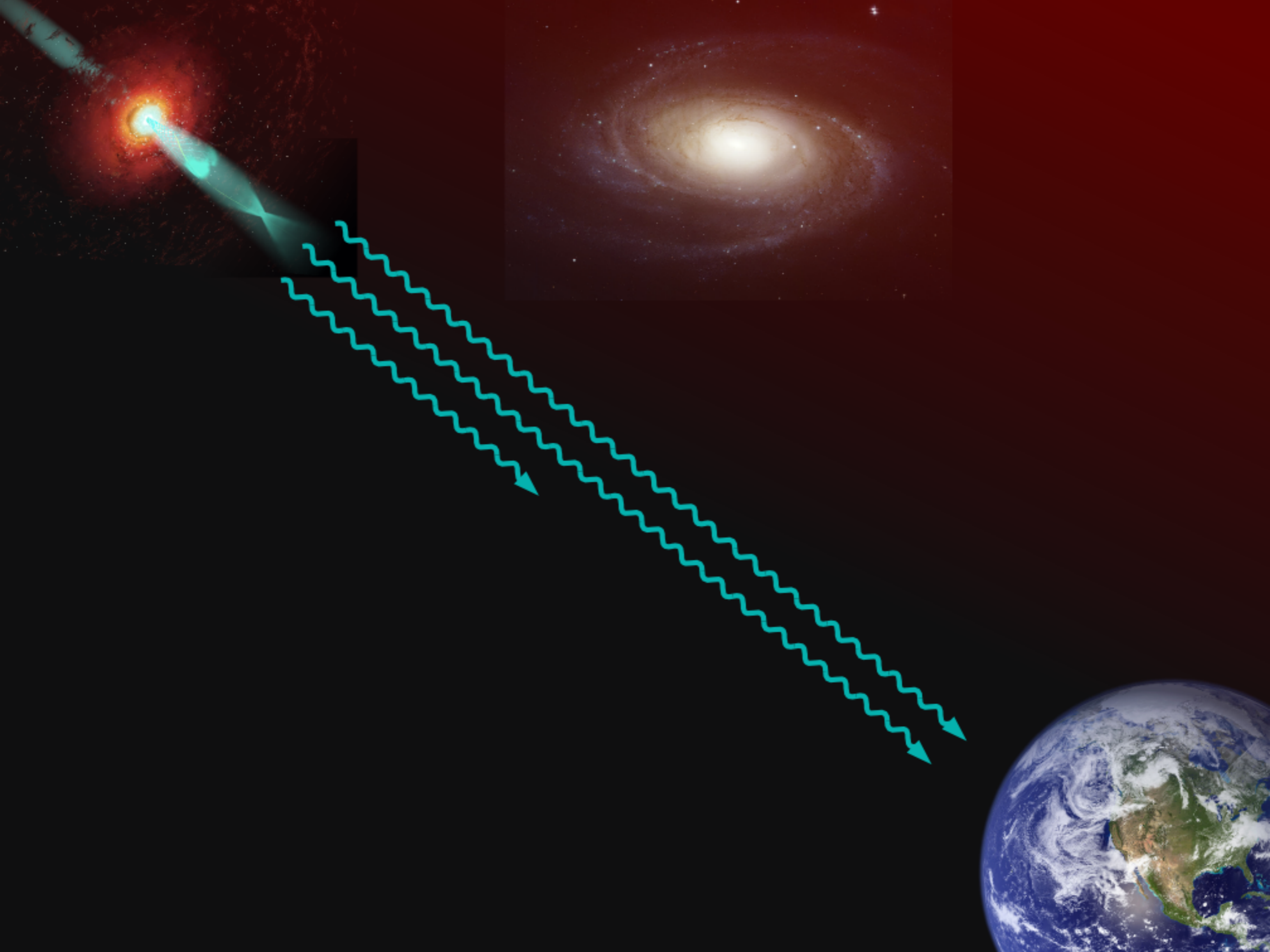
¹*Oskar Klein Centre, Stockholm University,*

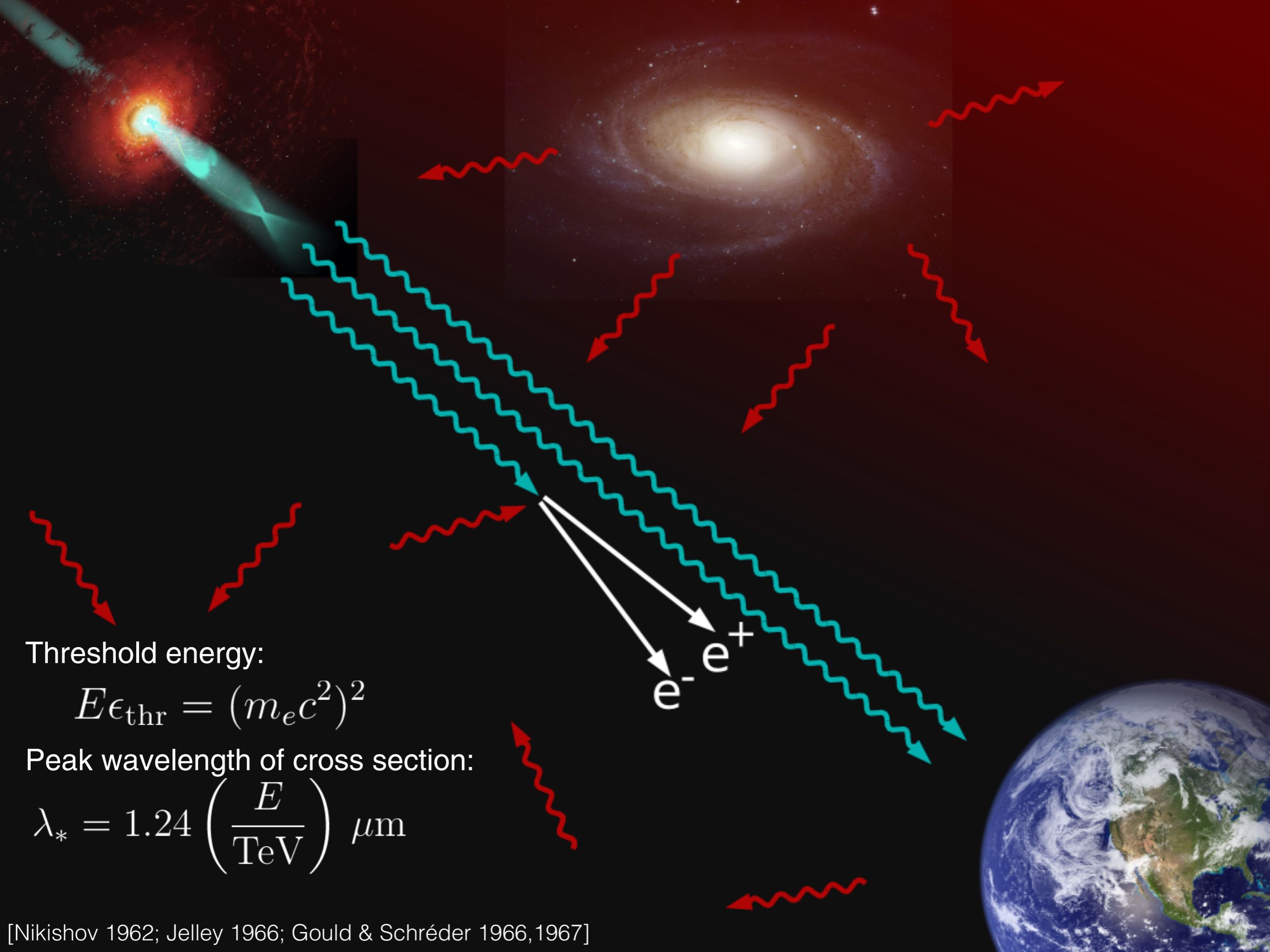
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Based on publications: arXiv:1201.4711; arXiv:1207.0776; arXiv:1211.6405; arXiv:1302.1208, see also <http://inspirehep.net/record/1254304>



Stockholm
University



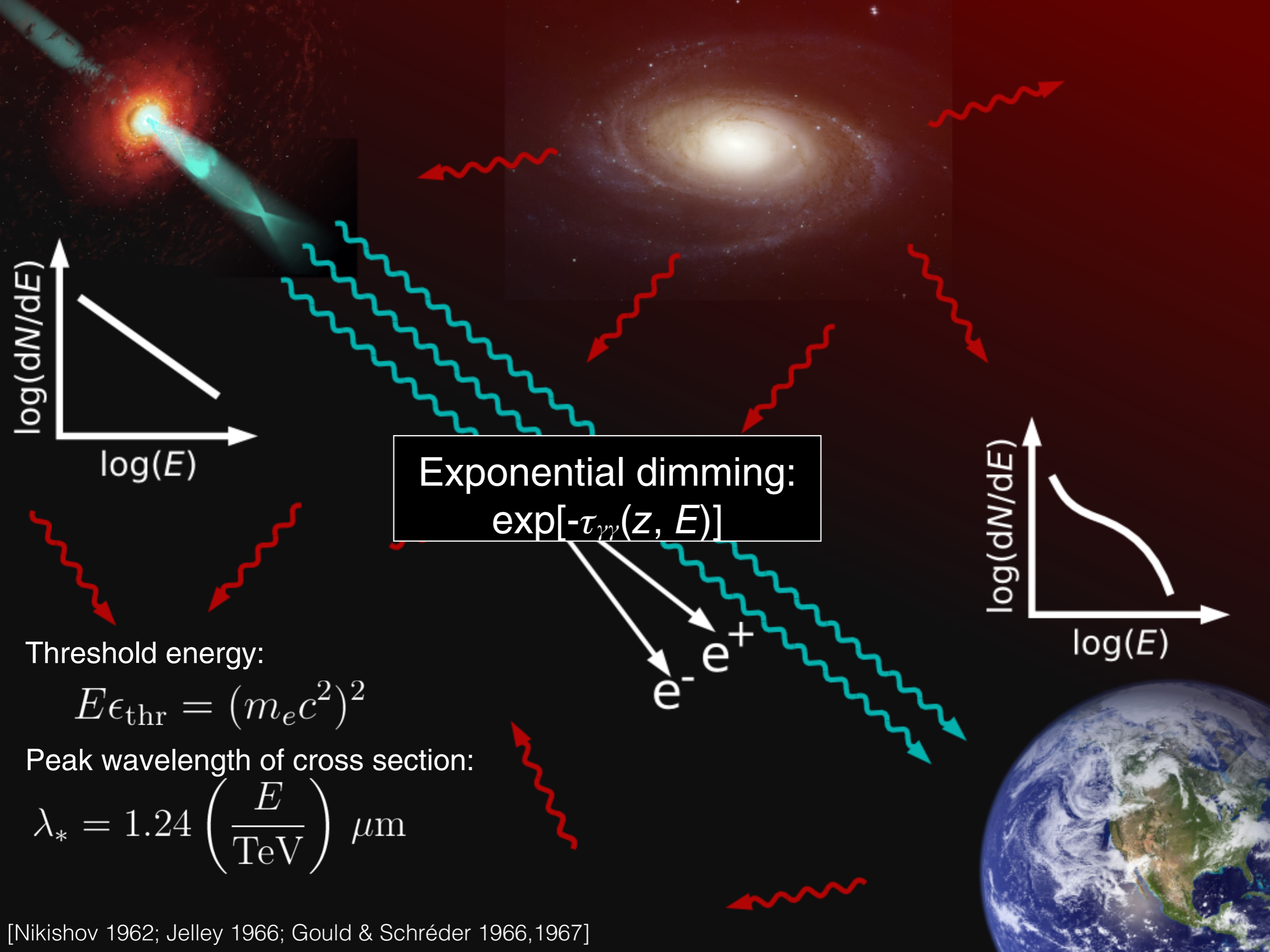


Threshold energy:

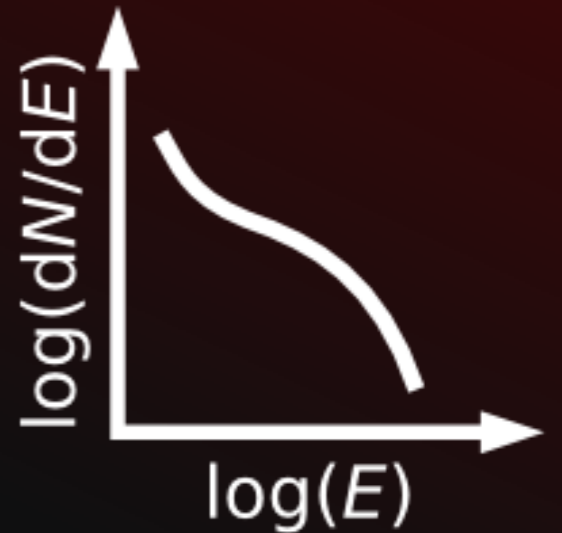
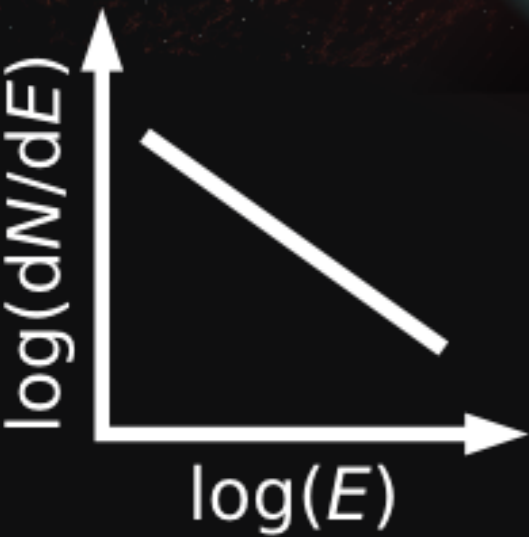
$$E\epsilon_{\text{thr}} = (m_e c^2)^2$$

Peak wavelength of cross section:

$$\lambda_* = 1.24 \left(\frac{E}{\text{TeV}} \right) \mu\text{m}$$



Exponential dimming:
 $\exp[-\tau_{\gamma\gamma}(z, E)]$



Threshold energy:

$$E\epsilon_{\text{thr}} = (m_e c^2)^2$$

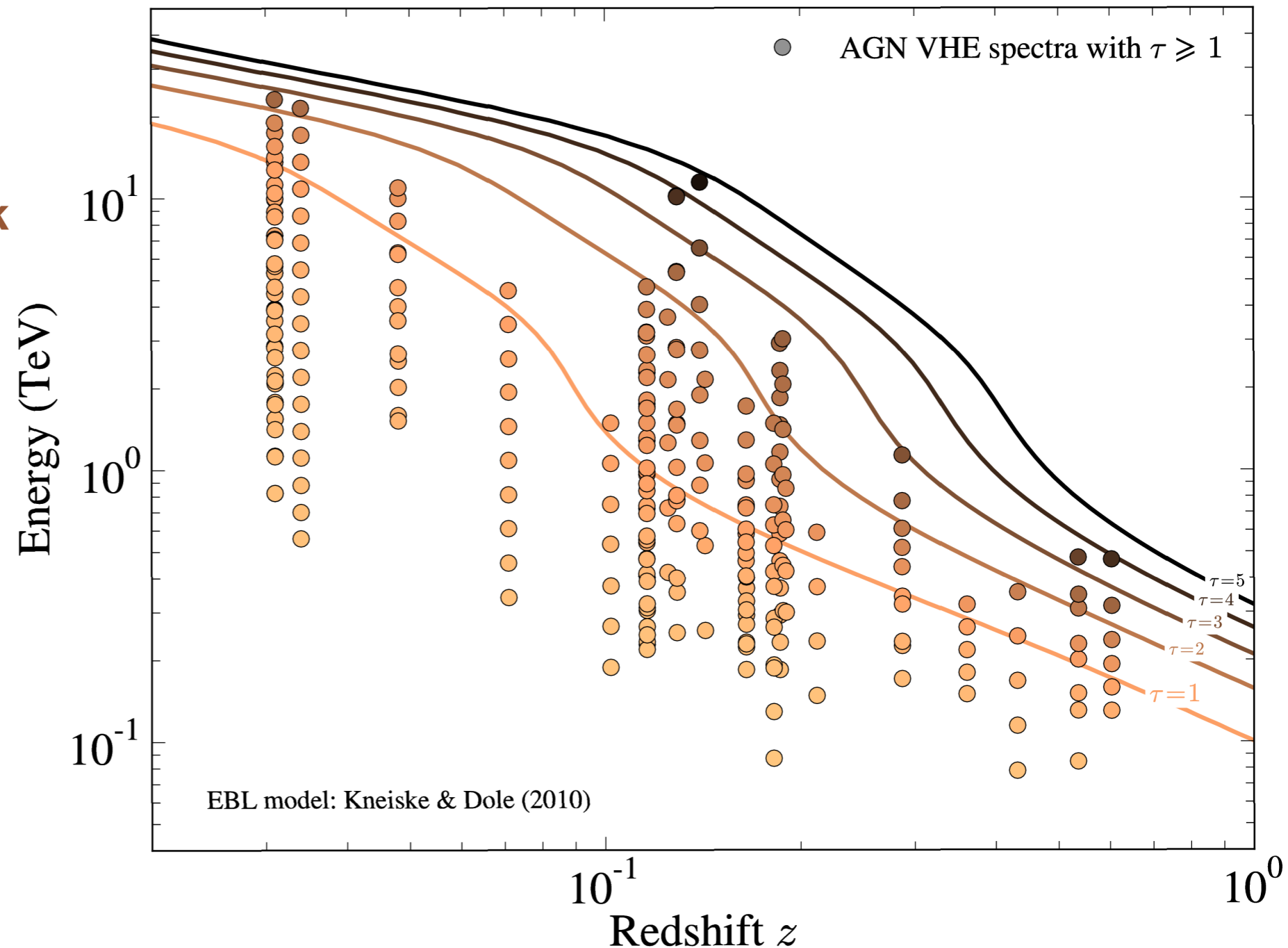
Peak wavelength of cross section:

$$\lambda_* = 1.24 \left(\frac{E}{\text{TeV}} \right) \mu\text{m}$$

$e^- e^+$

Investigate opacity of the Universe

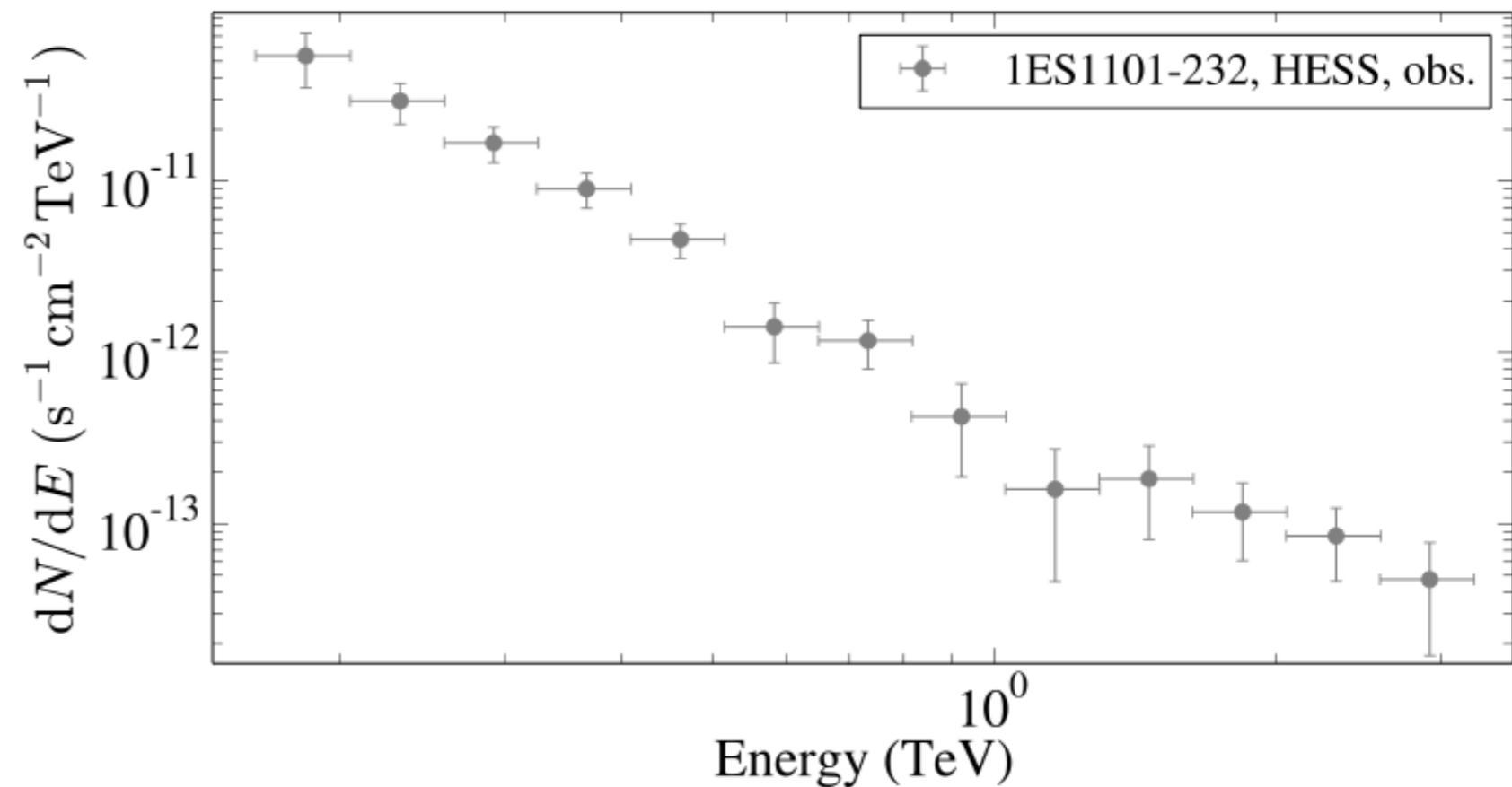
- Investigate *all* VHE spectra in **optical thick regime** (i.e., $\tau_{\gamma} \geq 2$)
- Use EBL model from Kneiske & Dole, 2010 (KD): predicts **minimal attenuation at TeV energies**



[Horns & MM, 2012]

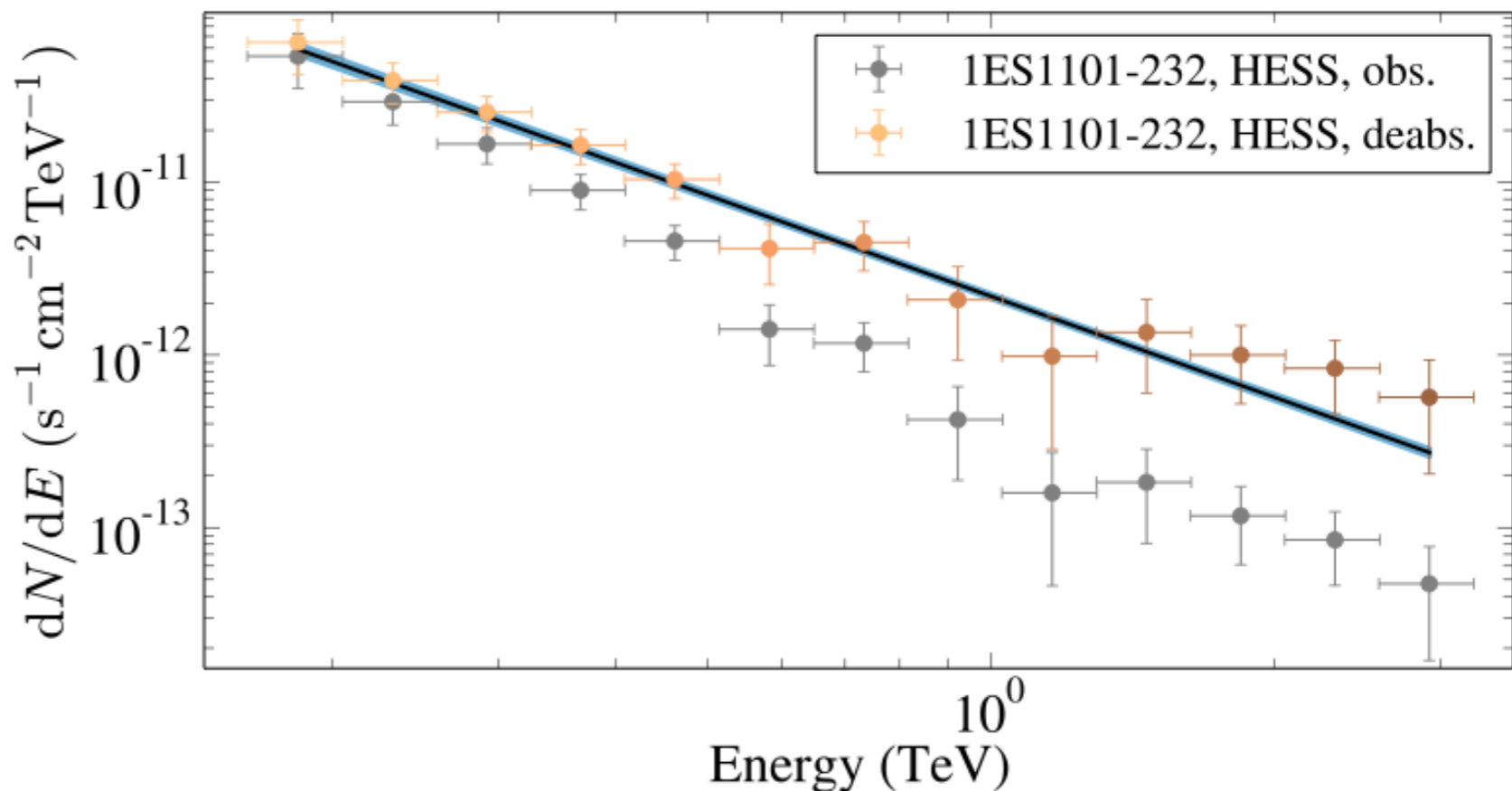
Method to search for low opacity

- apply **absorption-correction with KD model** to observed spectrum



Method to search for low opacity

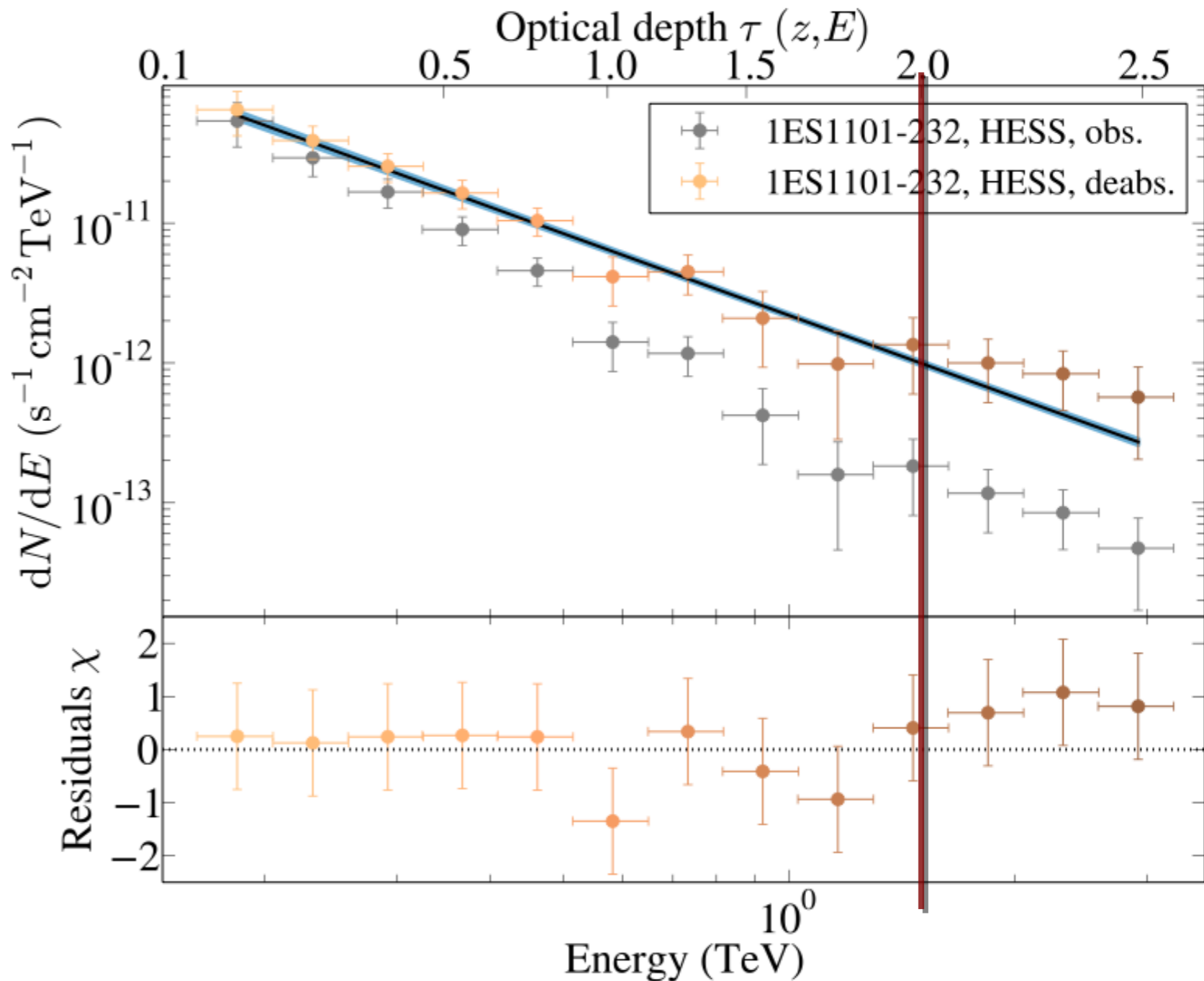
- apply **absorption-correction with KD model** to observed spectrum
- **Fit corrected spectrum with analytical function** (either power law or log parabola)



[Horns & MM, 2012]

Method to search for low opacity

- apply **absorption-correction with KD model** to observed spectrum
- **Fit corrected spectrum with analytical function** (either power law or log parabola)
- Fit **residuals should follow (0,1) normal distribution**, also for $\tau_{\gamma\gamma} \geq 2$
- If $\chi > 0$: **overcorrection**

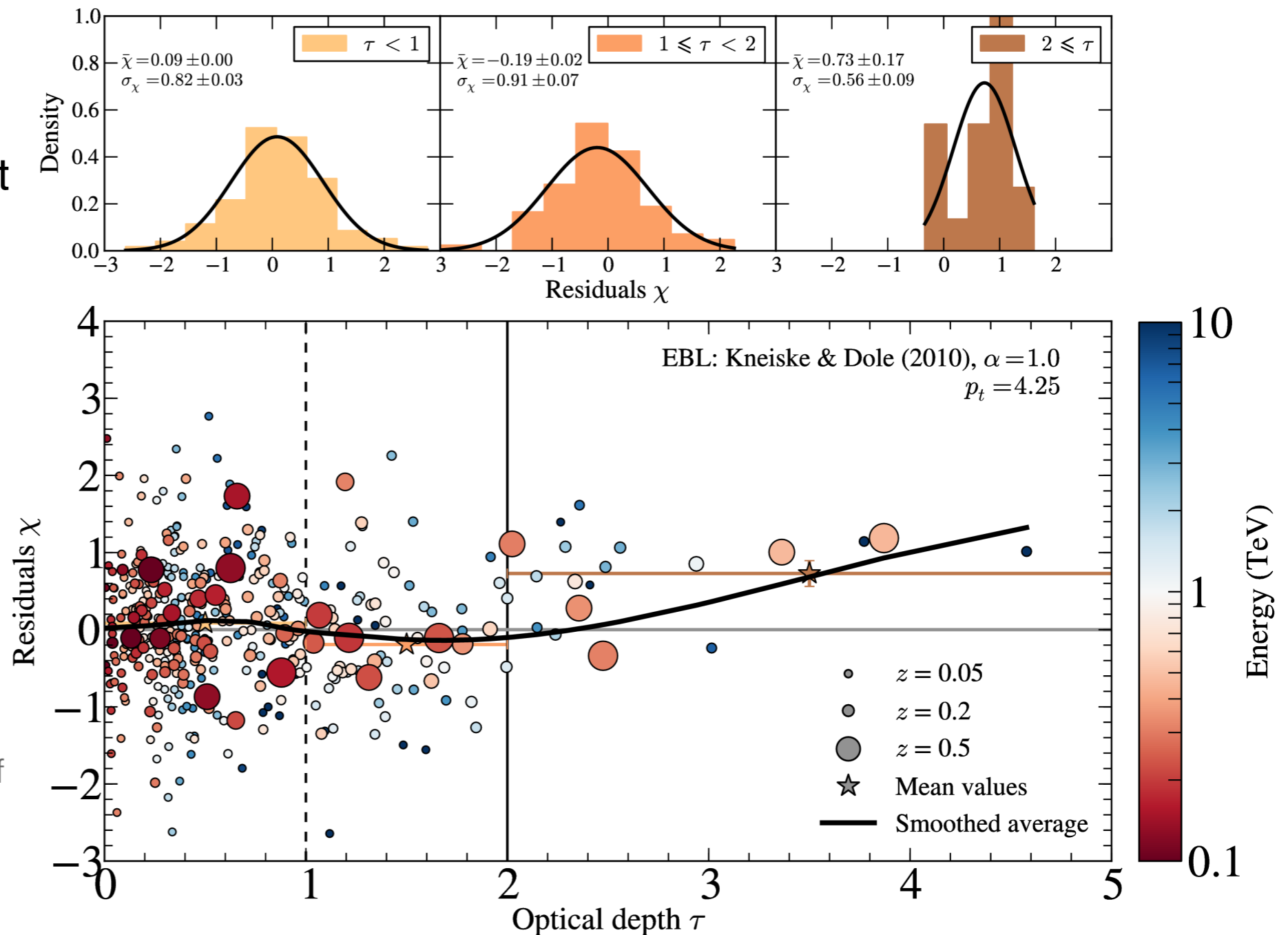


$$\chi_i = (F_{\text{meas}, i} - F_{\text{theo}}(E_i)) / \sigma_i$$

[Horns & MM, 2012]

Indication for pair-production anomaly

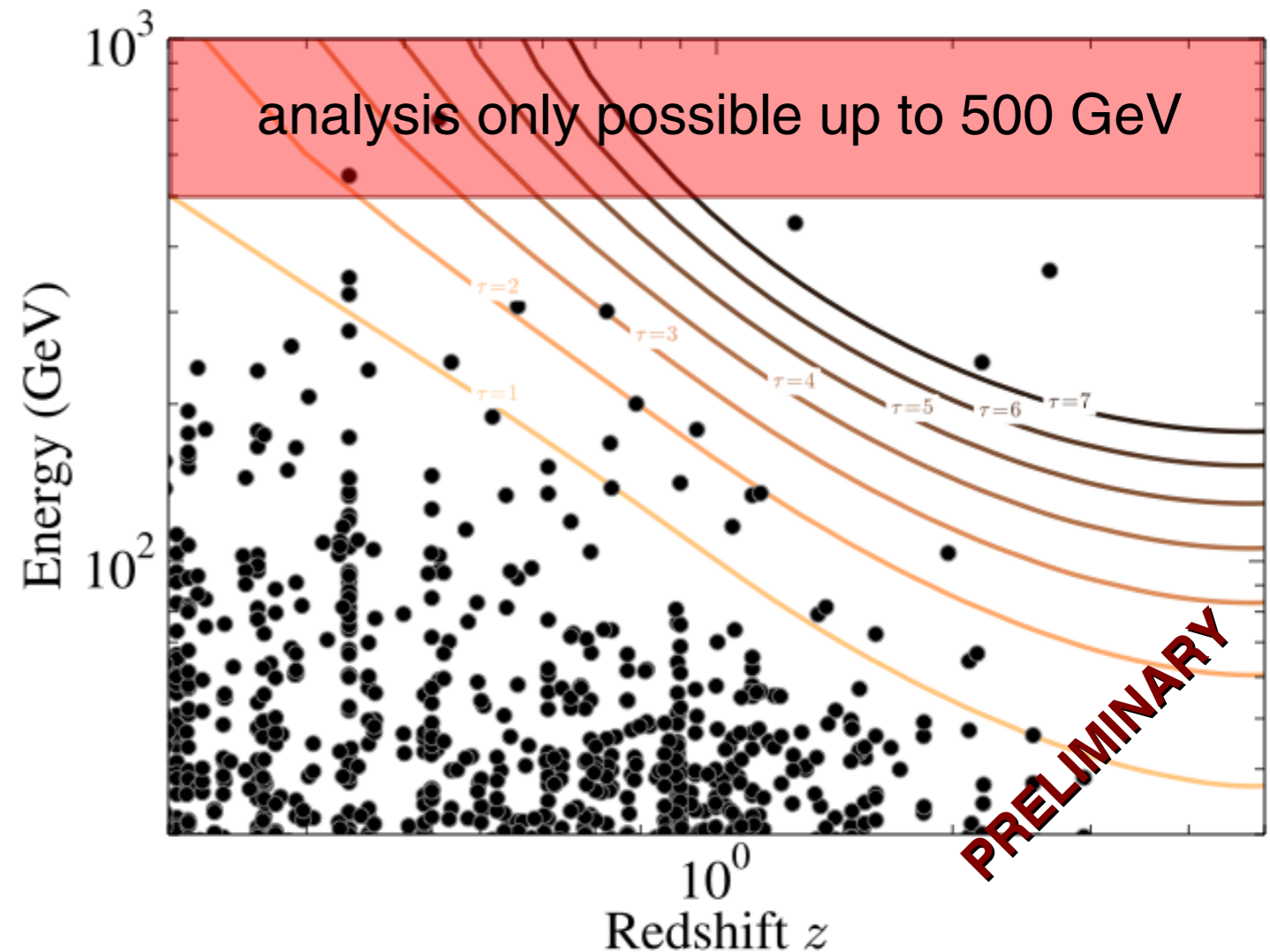
- expectation $\langle \chi \rangle = 0$
test with Student's t test
- Result: $p_t = 4.3\sigma$
indication for overcorrection
- Systematics: energy calibration and resolution strongest effect (reduces p_t to 2σ , however, no indication in mock data sample, energy cross calibration of the order of 5%; Meyer et al. 2010)



[Horns & MM, 2012]

Search for low opacity in *Fermi*-LAT data

- Associate photons with AGN (listed in 2FGL, known redshift)
- For each photon, **calculate optical depth**
- From intrinsic spectrum: **calculate probability to observe detected photons**
- **Combining results from all sources** and correct for trials
- **Preliminary** results for *Pass 7*:
 - $P_{\text{post-trial}}(\tau_{\gamma\gamma} \geq 1) = 0.06$
 - $P_{\text{post-trial}}(\tau_{\gamma\gamma} \geq 2) = 1.2 \times 10^{-4}$
- Redo analysis with ***Pass 7 reprocessed*** and ***Pass 8***



[Horns and MM 2013, see also MM, PhD thesis 2013 – Disclaimer: analysis conducted *before* joining the *Fermi*-LAT collaboration]

Mechanisms to explain low opacity

(... if low opacity not caused by systematics ...)

- γ -ray / cosmic-ray induced **electromagnetic cascades**

[e.g., Protheroe & Stanev, 1993; Essey & Kusenko, 2010]

- **Lorentz invariance violation**

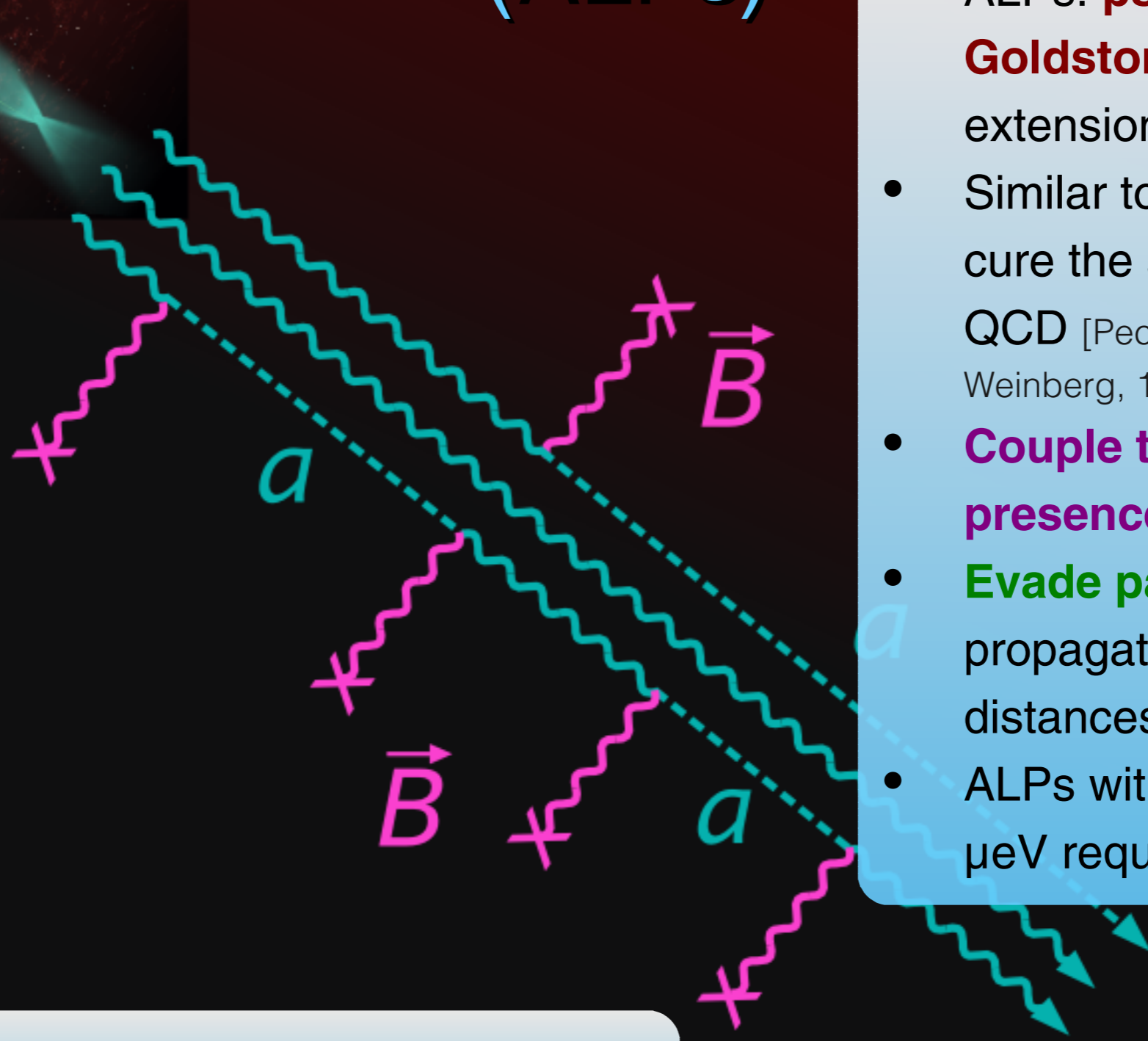
[e.g., Jacob & Piran, 2008, Shao & Ma, 2010]

- Oscillations into **hidden photons**

[e.g., Jaeckel & Ringwald, 2010; Jaeckel, 2013, for reviews]

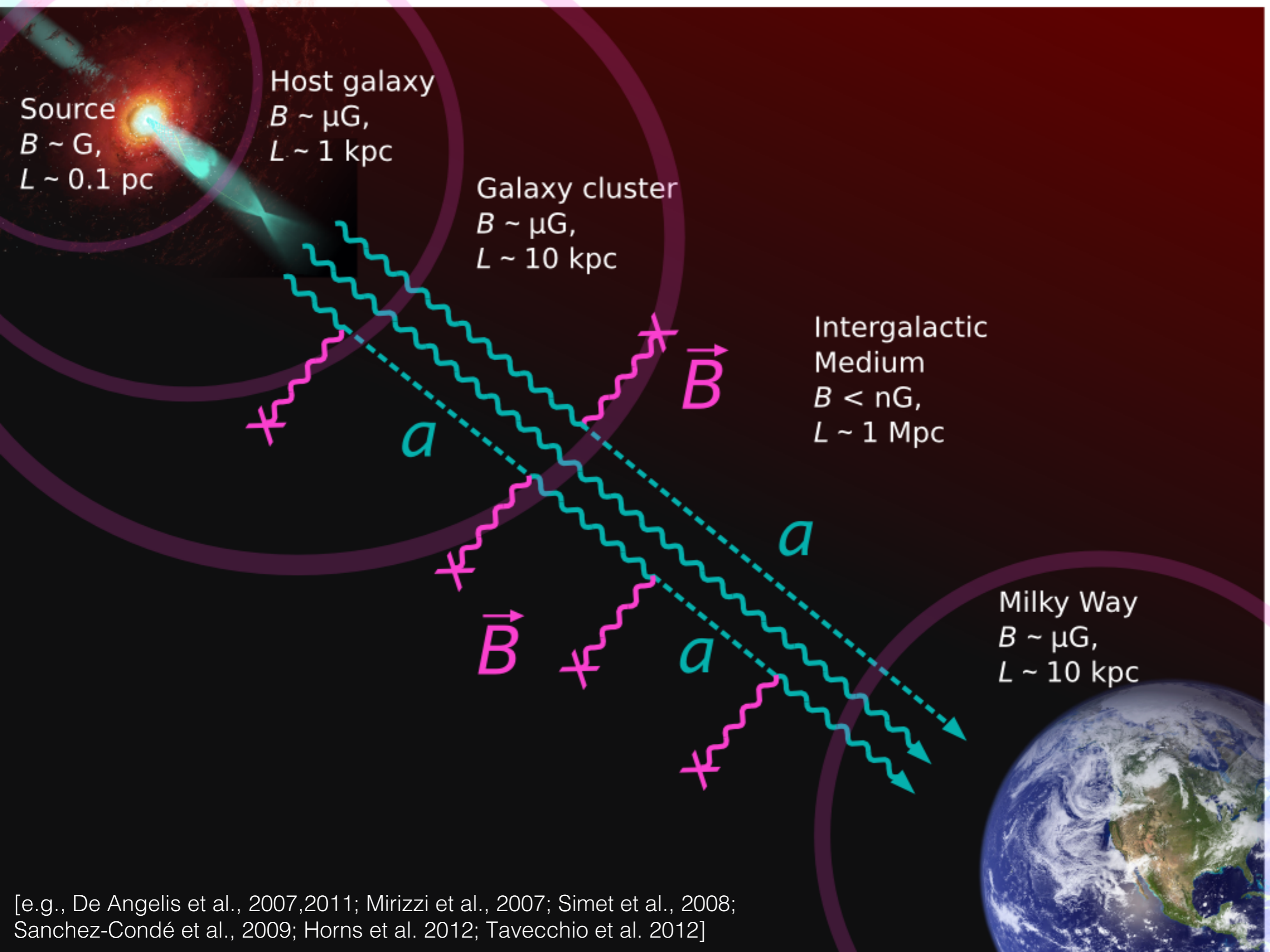
- Oscillations into **axion-like particles**

Conversion of photons into axion-like particles (ALPs)



- ALPs: **pseudo-Nambu Goldstone bosons**, arise in extensions of Standard Model
- Similar to **axions**, proposed to cure the strong CP problem in QCD [Peccei & Quinn, 1977; Weinberg, 1978; Wilczek, 1978]
- **Couple to photons in the presence of magnetic fields**
- **Evade pair production**, can propagate over cosmological distances
- ALPs with masses $m_a \lesssim 1 \mu\text{eV}$ required

$$\mathcal{L}_{a\gamma} = -\frac{1}{4}g_{a\gamma} F_{\mu\nu}\tilde{F}^{\mu\nu}a = g_{a\gamma} \mathbf{E} \cdot \mathbf{B}a$$



[e.g., De Angelis et al., 2007,2011; Mirizzi et al., 2007; Simet et al., 2008; Sanchez-Condé et al., 2009; Horns et al. 2012; Tavecchio et al. 2012]

Source
 $B \sim G,$
 $L \sim 0.1 \text{ pc}$


Host galaxy
 $B \sim \mu G,$
 $L \sim 1 \text{ kpc}$

Galaxy cluster
 $B \sim \mu G,$
 $L \sim 10 \text{ kpc}$

- **Idea:** repeat analysis of VHE spectra, **including ALPs**
- Test if **ALP effect reduces tension** between models and data
- **Choose optimistic B -field values** to derive conservative parameter range of photon-ALP coupling

Intergalactic
 $B < nG,$
 $L > 10 \text{ kpc}$

Milky Way
 $B \sim \mu G,$
 $L \sim 10 \text{ kpc}$

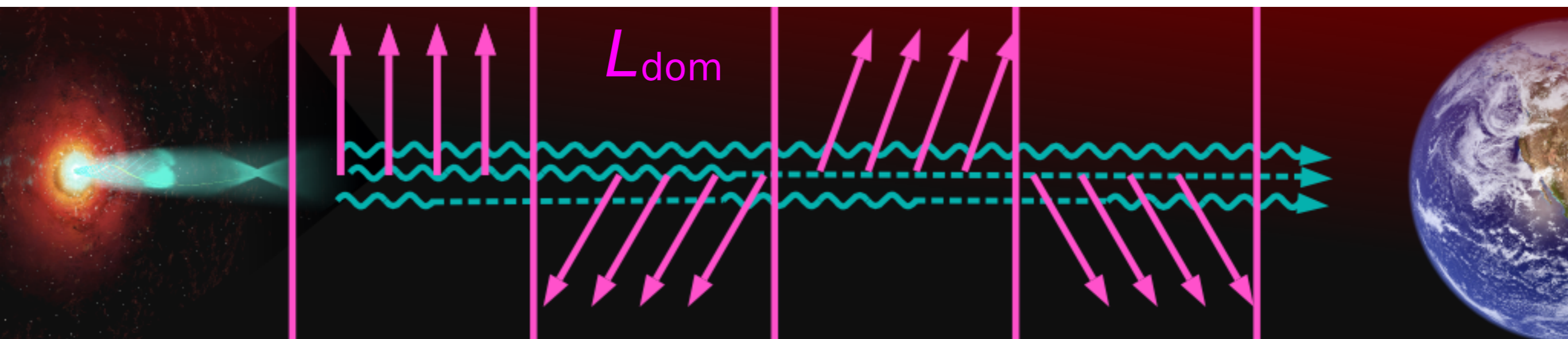


B-field scenarios

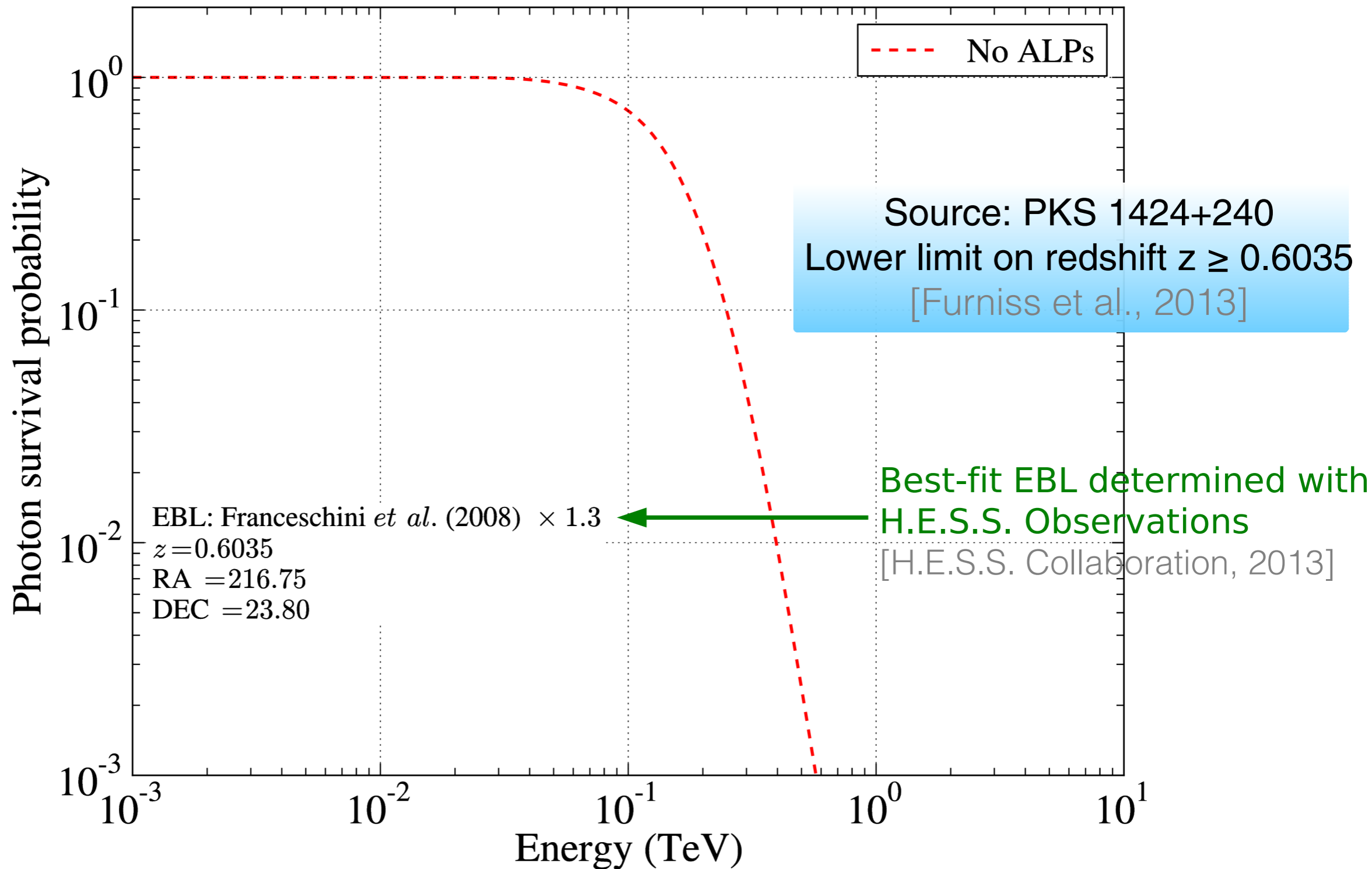
	B^0_{IGMF} (nG)	λ^c_{IGMF} (Mpc)	B^0_{ICMF} (μG)	λ^c_{ICMF} (kpc)	r_{cluster} (Mpc)	GMF
Optimistic ICMF	-	-	10	10	1	✓
Optimistic IGMF	5	50	-	-	-	✓
Fiducial	0.01	10	1	10	2/3	✓

- Intracluster and intergalactic B fields: modeled with **domain like structure**: strength constant, **orientation changes randomly** from one cell to the next
- In *optimistic ICMF* scenario: **all AGN assumed to be located in clusters**, in *fiducial* scenario only if observational evidence exists

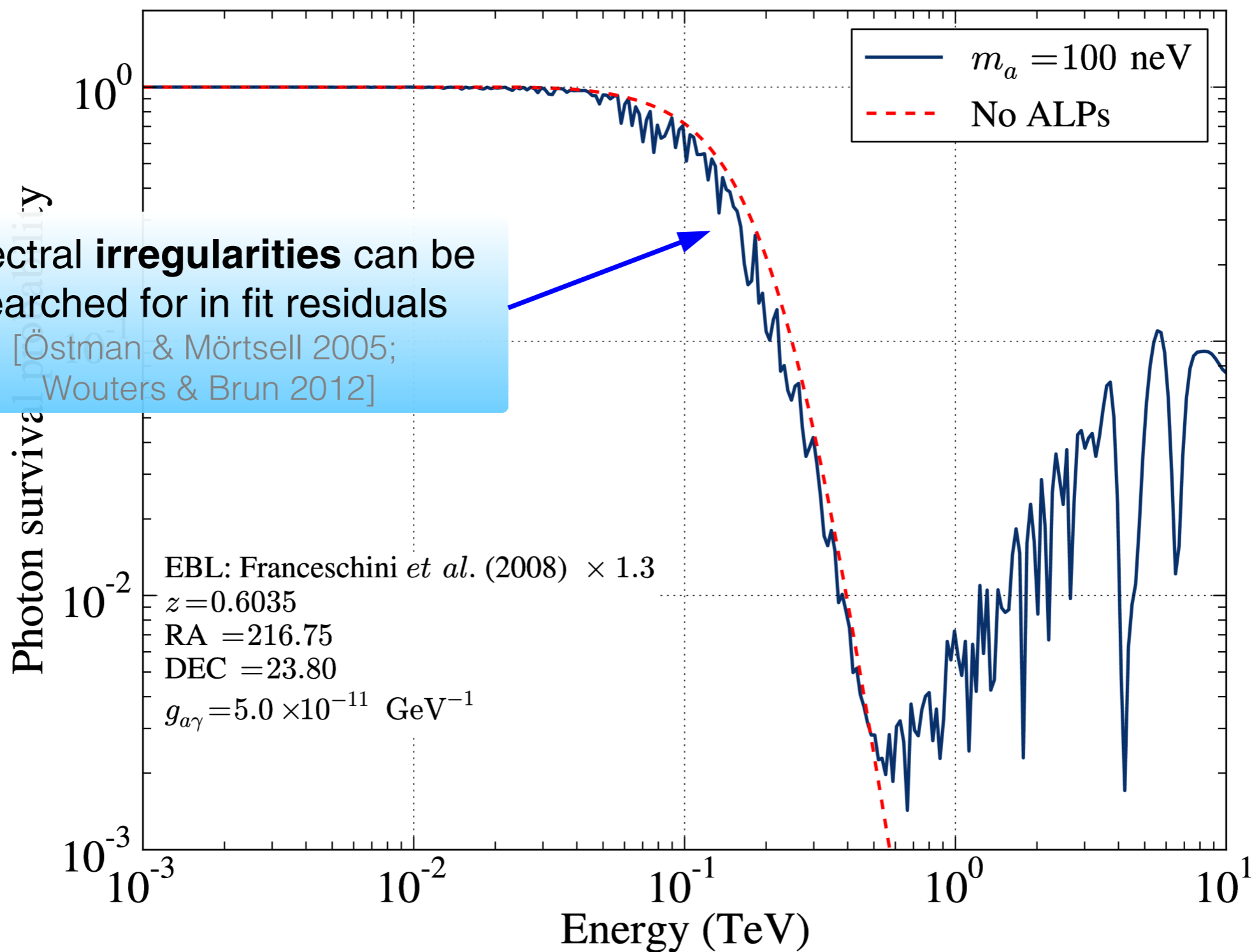
[MM, Horns, Raue 2013]



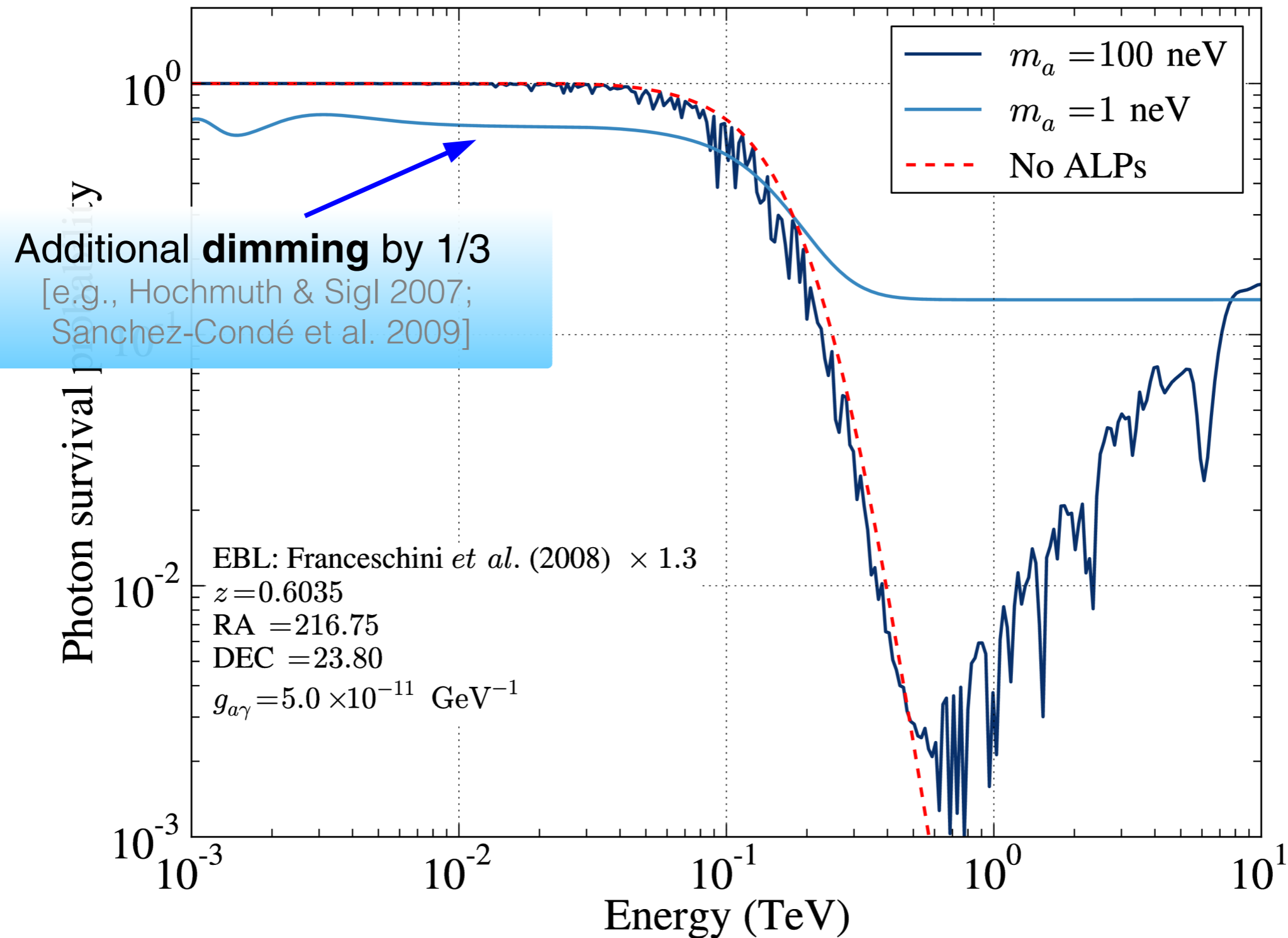
Influence of ALP mixing on γ -ray attenuation



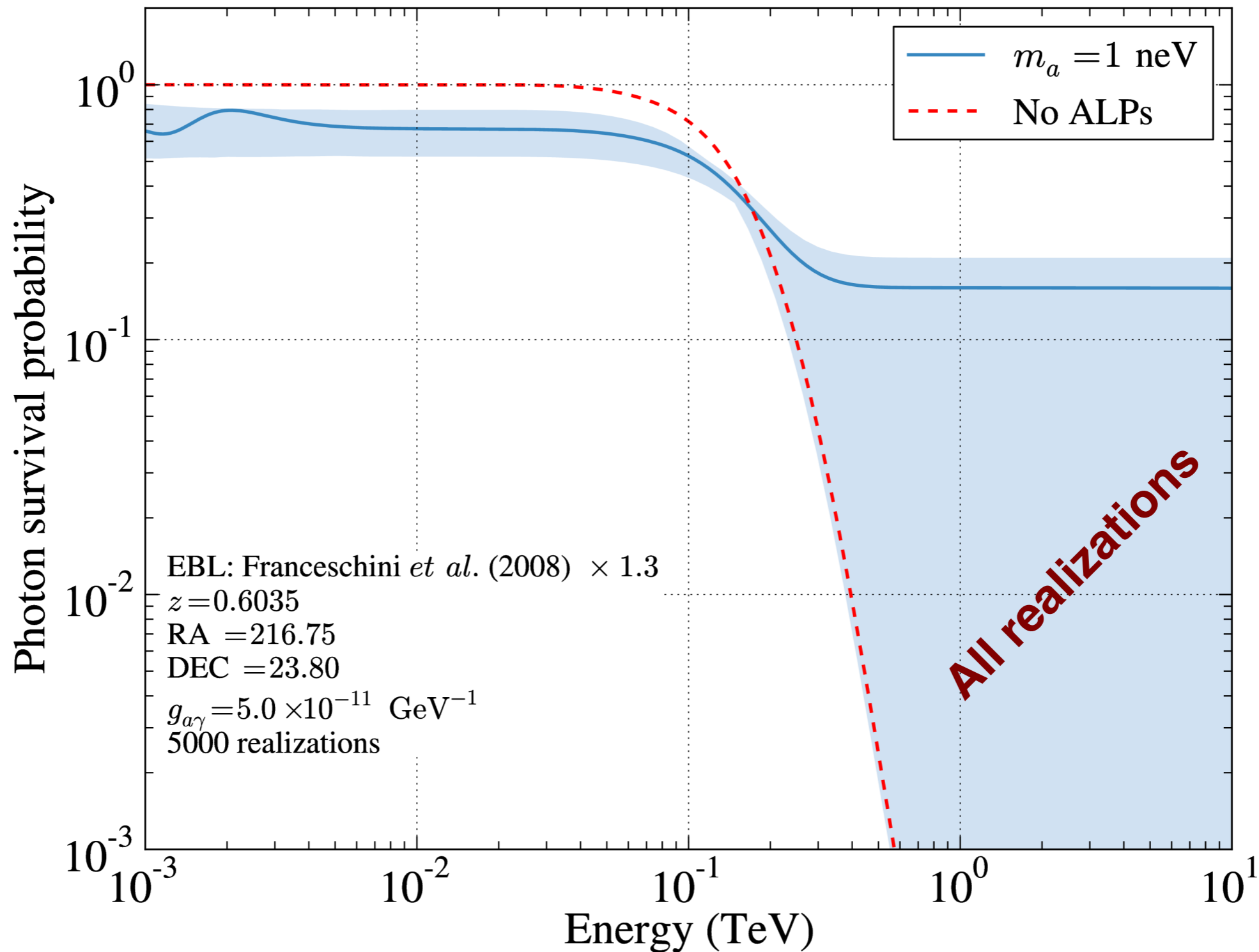
Influence of ALP mixing on γ -ray attenuation



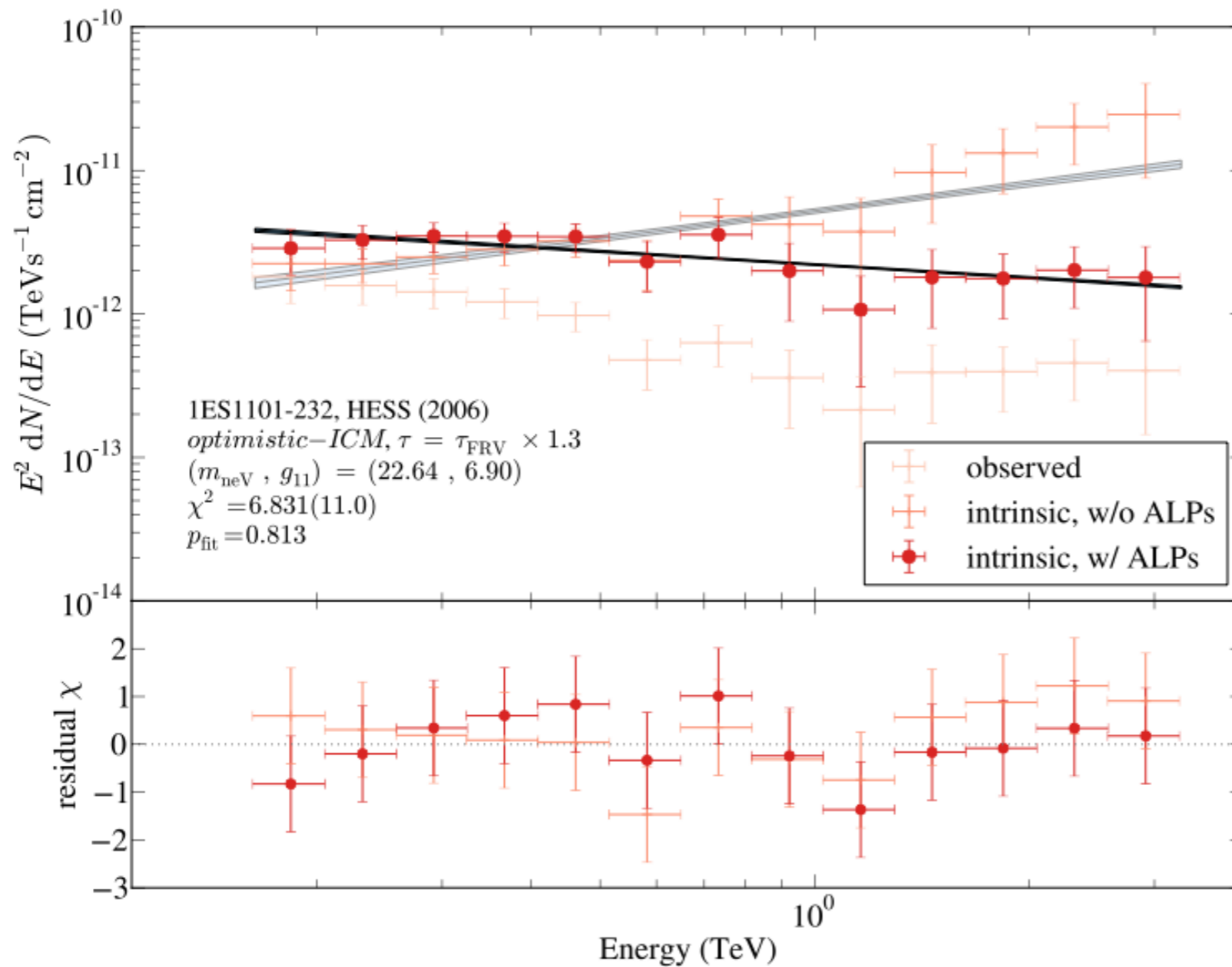
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Influence of ALP mixing on γ -ray attenuation

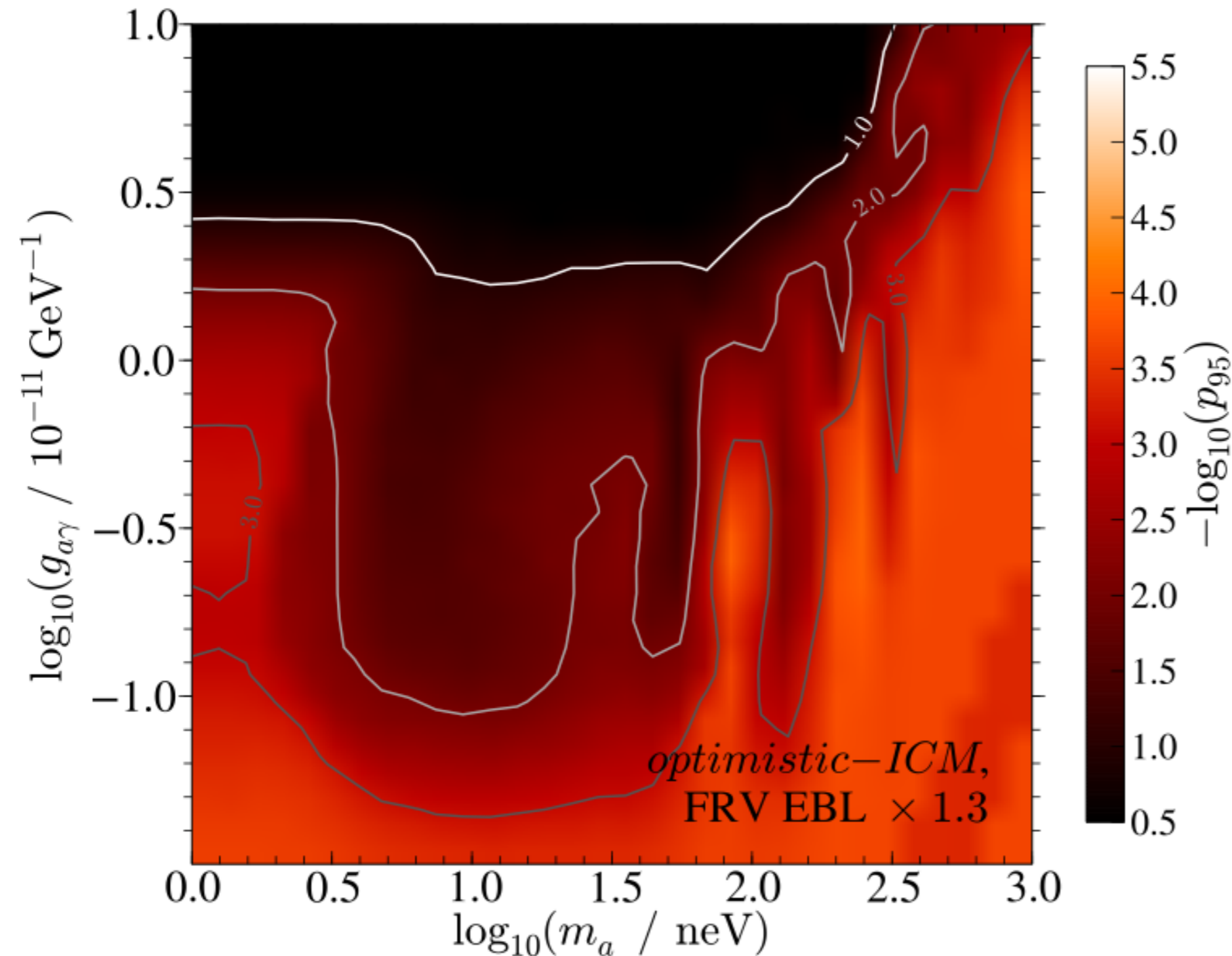


Effect on VHE spectra



- Compared to case w/o ALPs: **residuals close to zero**
- **No overcorrection** anymore
- Depends on **realization of random B field**

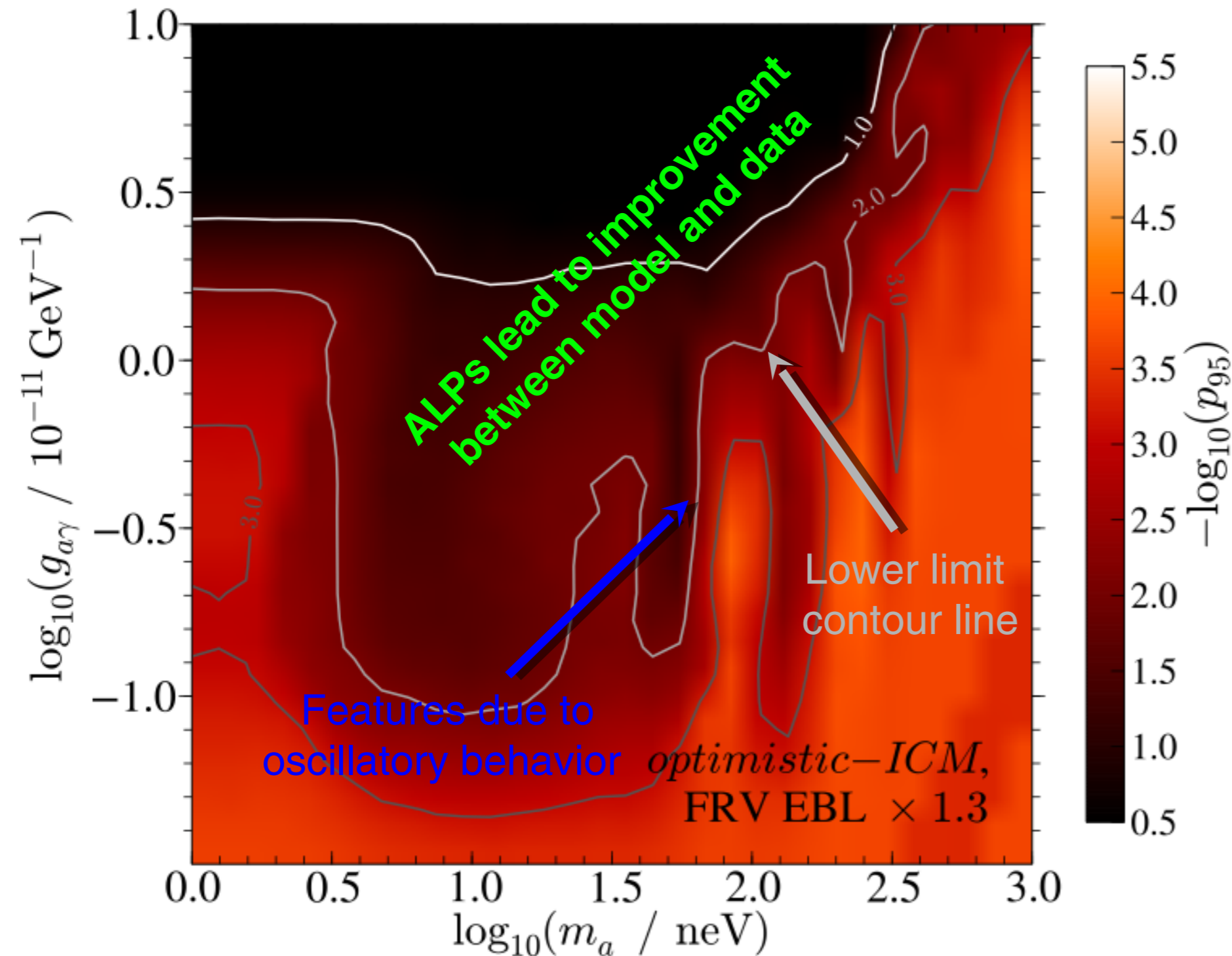
Lower limits for *optimistic ICMF* scenario



- 32 x 32 grid in $(m_a, g_{a\gamma})$
- for each point: **5000 realizations simulated**
- **Lower limit on coupling:** at least 5 % of all simulated realizations need to describe data with probability $> 1\%$

[MM, Horns, Raue 2013]

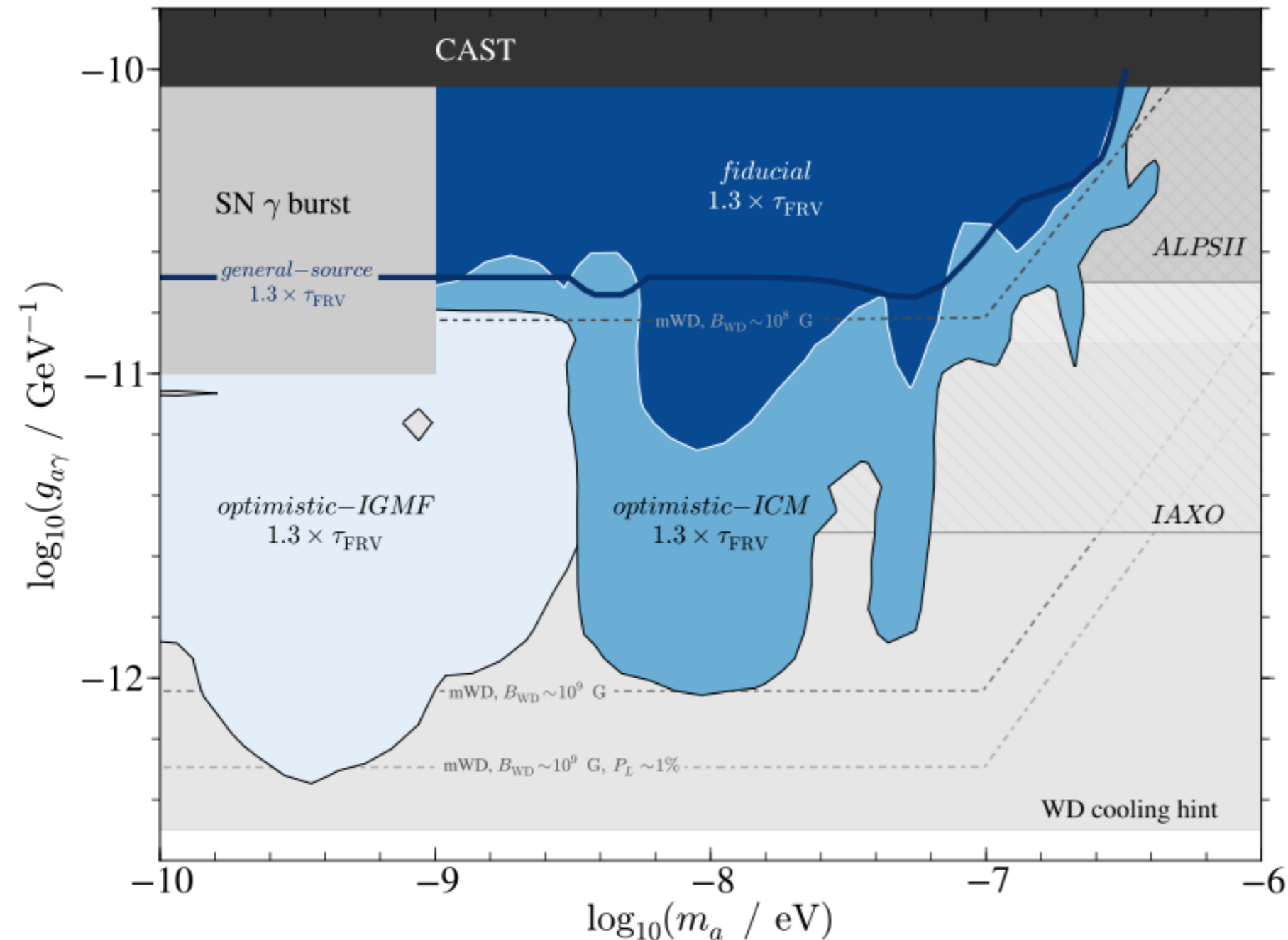
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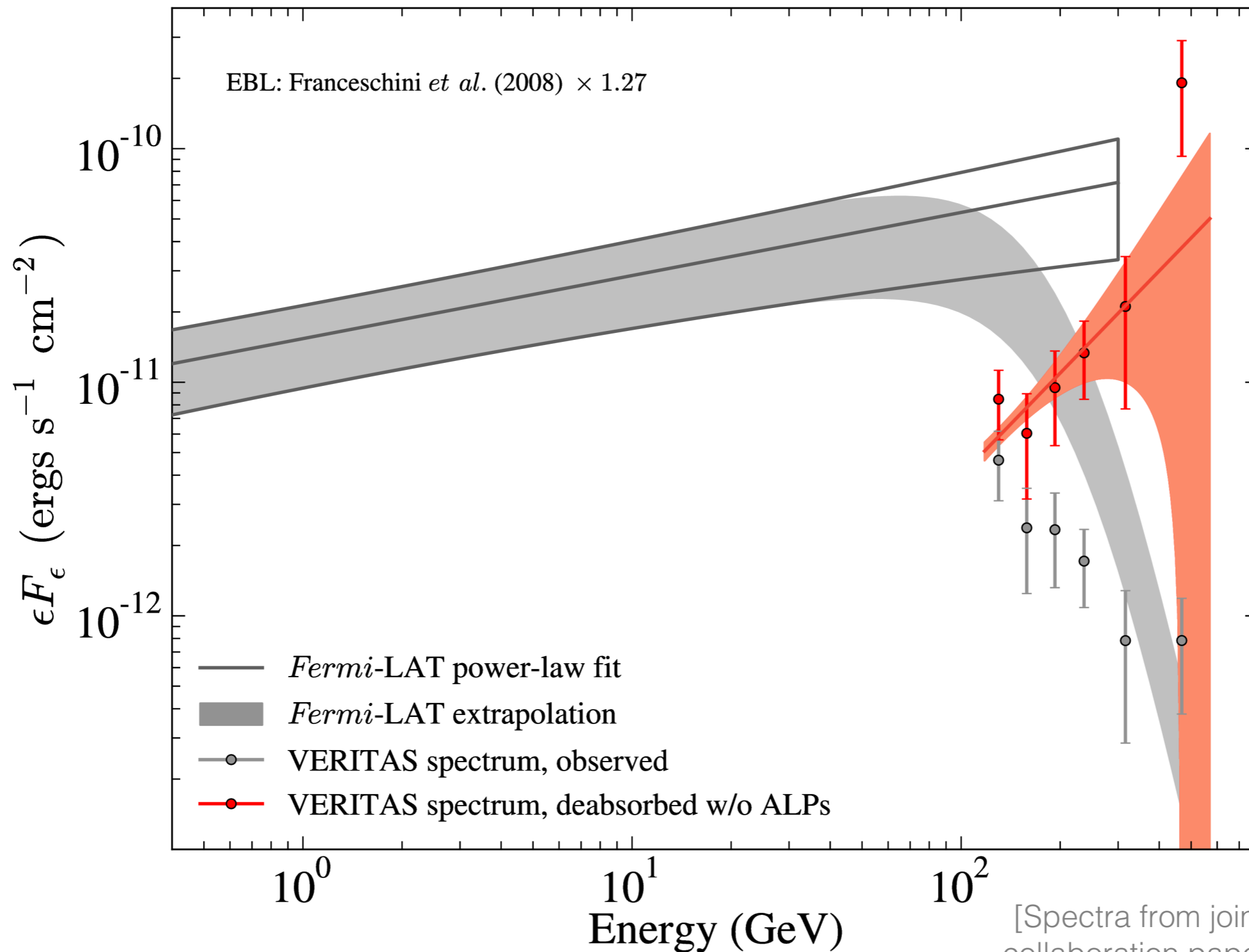
Limits on $g_{a\gamma}$



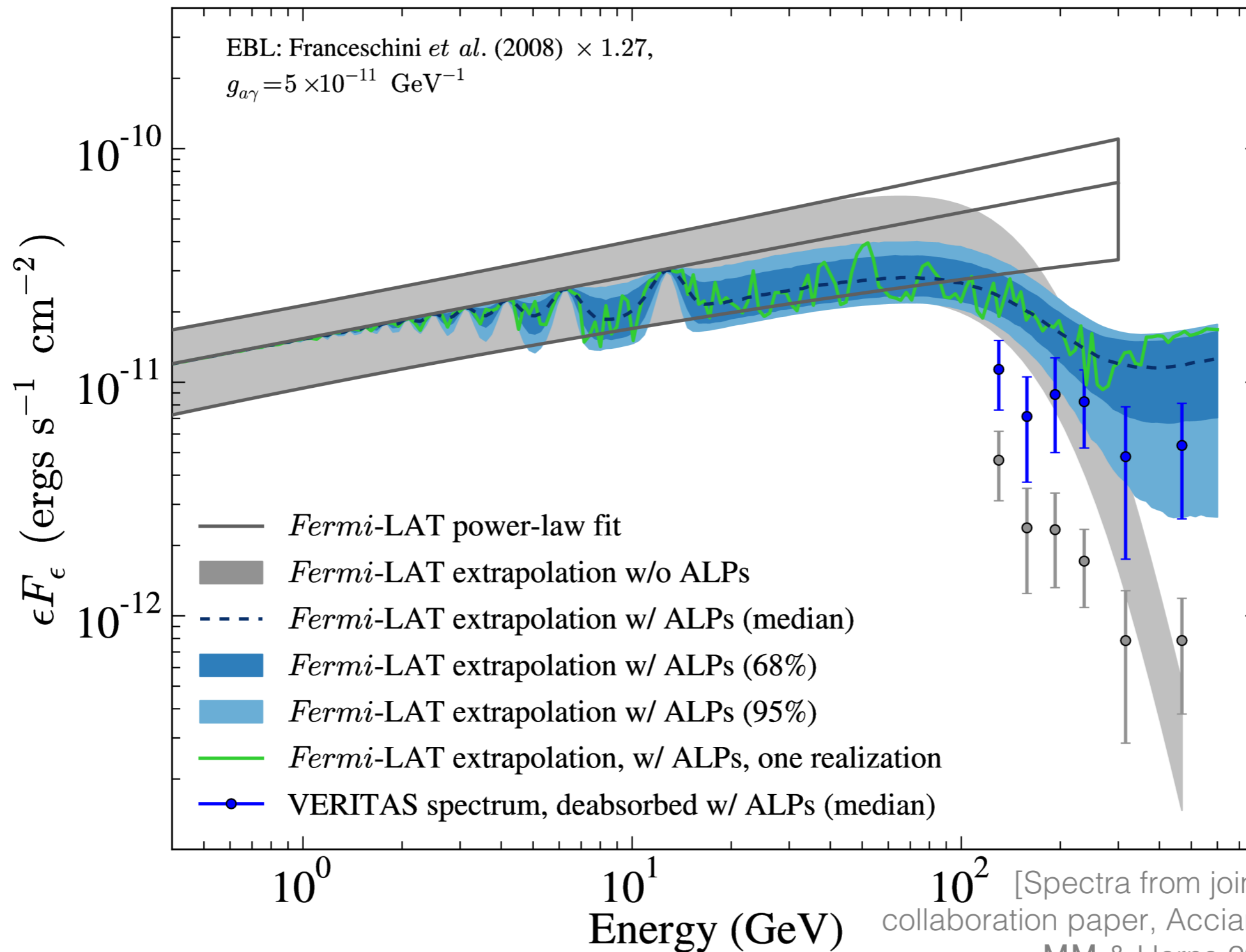
- **Lower limits** on couplings to explain reduced opacity close to **upper limits from CAST** experiment [Andriamonje et al., 2007]
- In reach of **future dedicated ALP searches** such as ALPS II and IAXO
- Reach into region to **explain white dwarf cooling hint** [Isern et al., 2008]

[MM, Horns, Raue 2013]

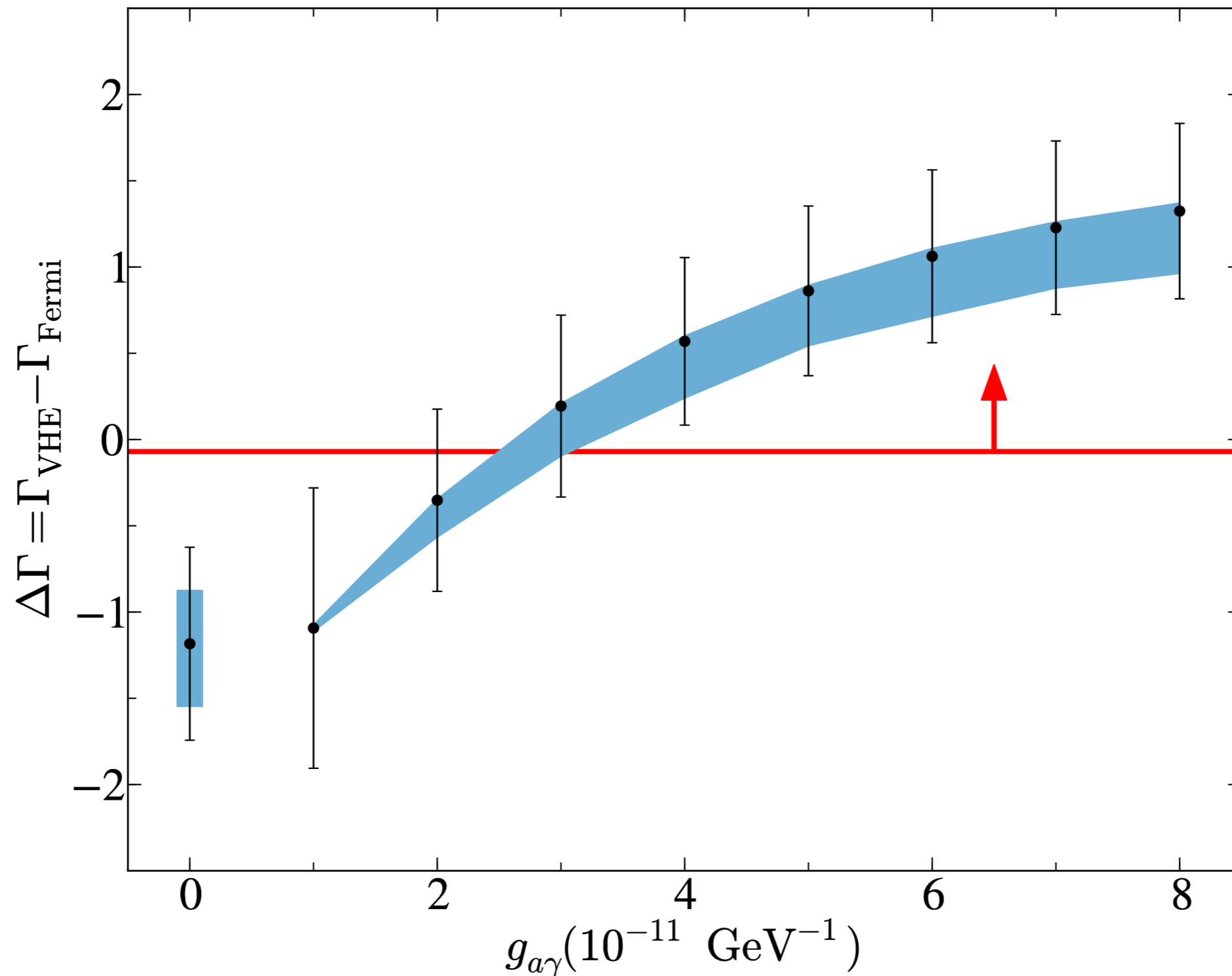
A closer look on PKS 1424+240



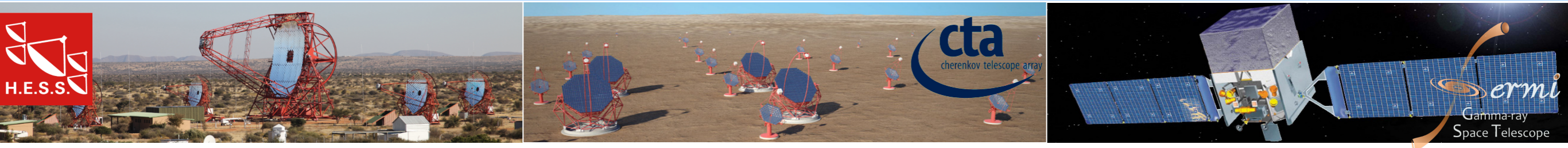
A closer look on PKS 1424+240



A closer look on PKS 1424+240



Summary & Outlook

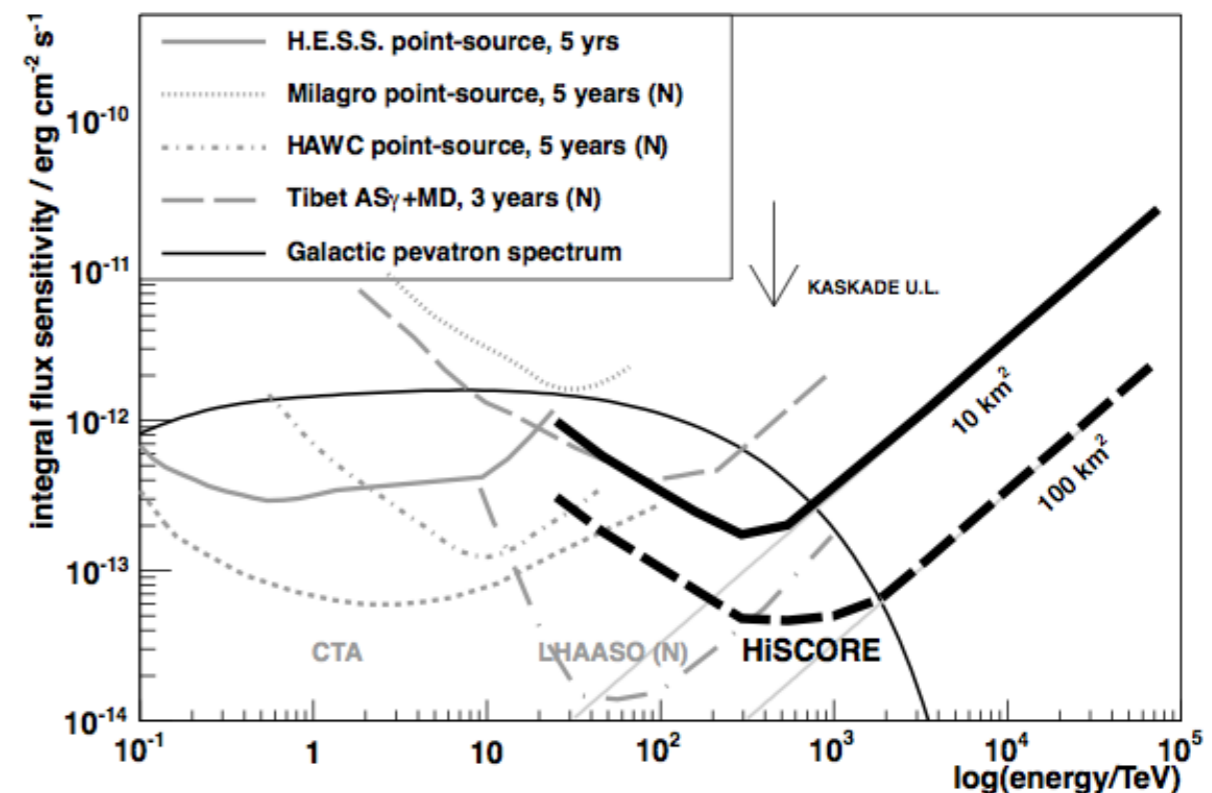
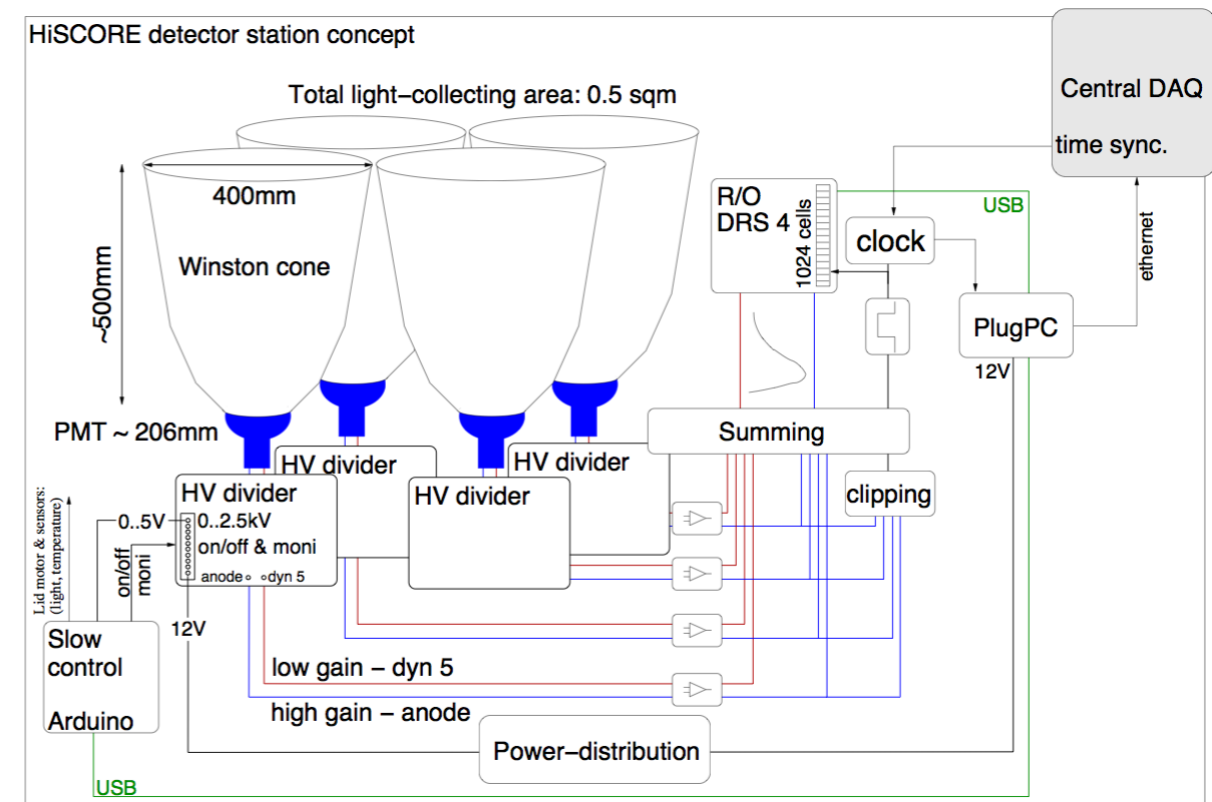


- **Indications for a reduced opacity** have been found in IACT and *Fermi*-LAT spectra (preliminary!) of blazars at a **$\sim 4\sigma$ confidence level**
- If interpreted as evidence for physics beyond the standard model, **conversion of photons into ALPs** in ambient magnetic could explain anomaly
- For optimistic B-fields, couplings **$g_{\text{a}\gamma} \gtrsim 10^{-12} \text{ GeV}^{-1}$** are necessary to explain opacity, whereas **$g_{\text{a}\gamma} \gtrsim 2 \times 10^{-11} \text{ GeV}^{-1}$** for more conservative B-field parameters
- **H.E.S.S. Phase II** will be able to **measure intrinsic and absorbed blazar spectra simultaneously**
- **CTA: 10 times more sensitive** than currently operating IACT, energy range $10 \text{ GeV} \lesssim E \lesssim 100 \text{ TeV}$ [Actis et al., 2011]
- **Fermi-LAT**: new instrumental response functions promise improved PSF, 15-20% increase in acceptance, and **event reconstruction up to 3 TeV** [Bregeon et al., 2013; Atwood et al., 2013]
- In general: search for **ALPs** in **high $\tau_{\gamma\gamma}$ -environments** where a **B field** is present or look for **spectral features** like **irregularities** or „step“ – Joint analysis of **several sources**

Backup slides

HiSCORE detector

- HiSCORE = **Hundred * i Square km Cosmic OOrigin Explorer**
- Non-imaging air Cherenkov detector
- Energy regime: **γ -rays: 10 TeV - 1 EeV, cosmic rays: 100 TeV - 1 EeV**
- Detector stations with 100m - 200m spacing, spread out over 10 - 100 km²
- Each station equipped with 4 PMTs
- Shower reconstruction and γ /hadron separation through:
 - measurement of light amplitude
 - longitudinal shower
 - development and shower arrival time



Lorentz invariance violation

- LIV predicted in certain quantum gravity theories

- LIV leads to different dispersion relation:

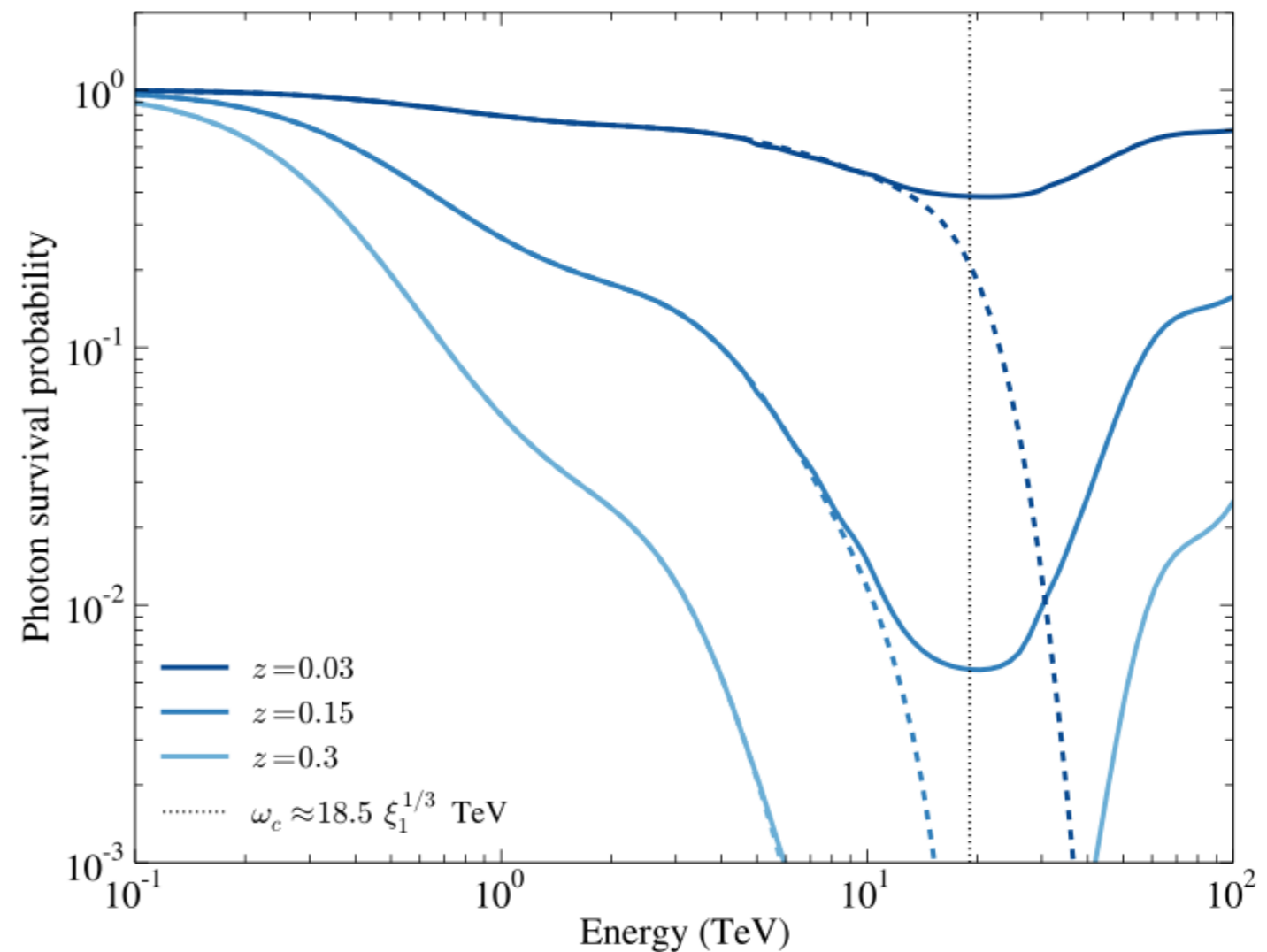
$$\omega^2 = k^2 \left[1 \pm \sum_{n=1}^{\infty} \left(\frac{\omega}{\xi_n E_{\text{pl}}} \right)^n \right]$$

- Alters energy threshold for pair production

$$\epsilon_{\text{thr}} = \frac{m_e^2}{\omega} + \zeta_n \left(\frac{\omega}{\xi_n E_{\text{Pl}}} \right)^n \omega$$

- Occurs at fixed energy (and thus different optical depths)

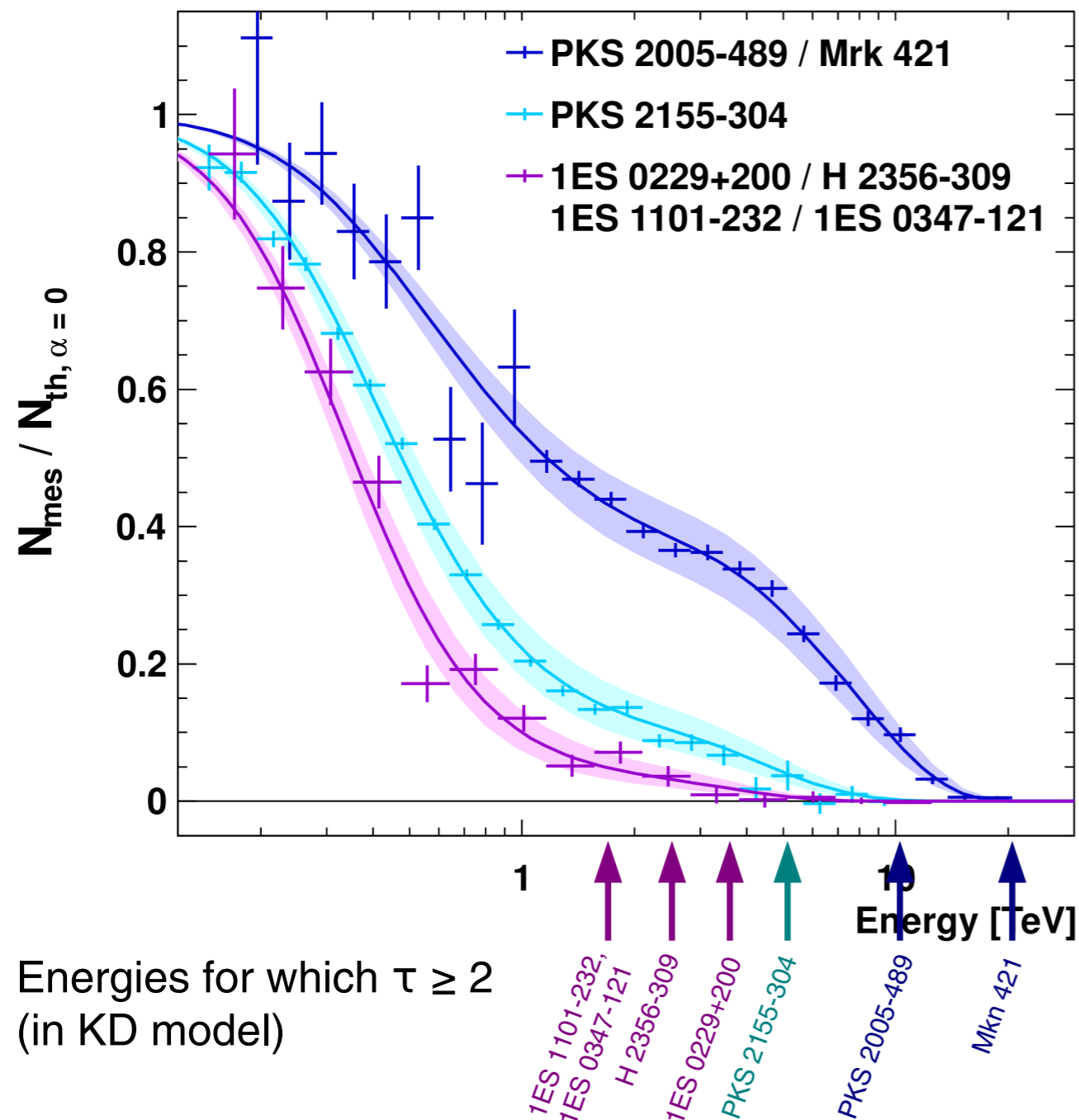
$$\omega_c = \left[\frac{m_e^2 (\xi_n E_{\text{Pl}})^n}{(n+1)\zeta_n} \right]^{\frac{1}{n+2}}$$



[See, e.g., Shao & Ma, 2010, for a review and Jacob & Piran, 2008]

No hint for low opacity from H.E.S.S. Data?

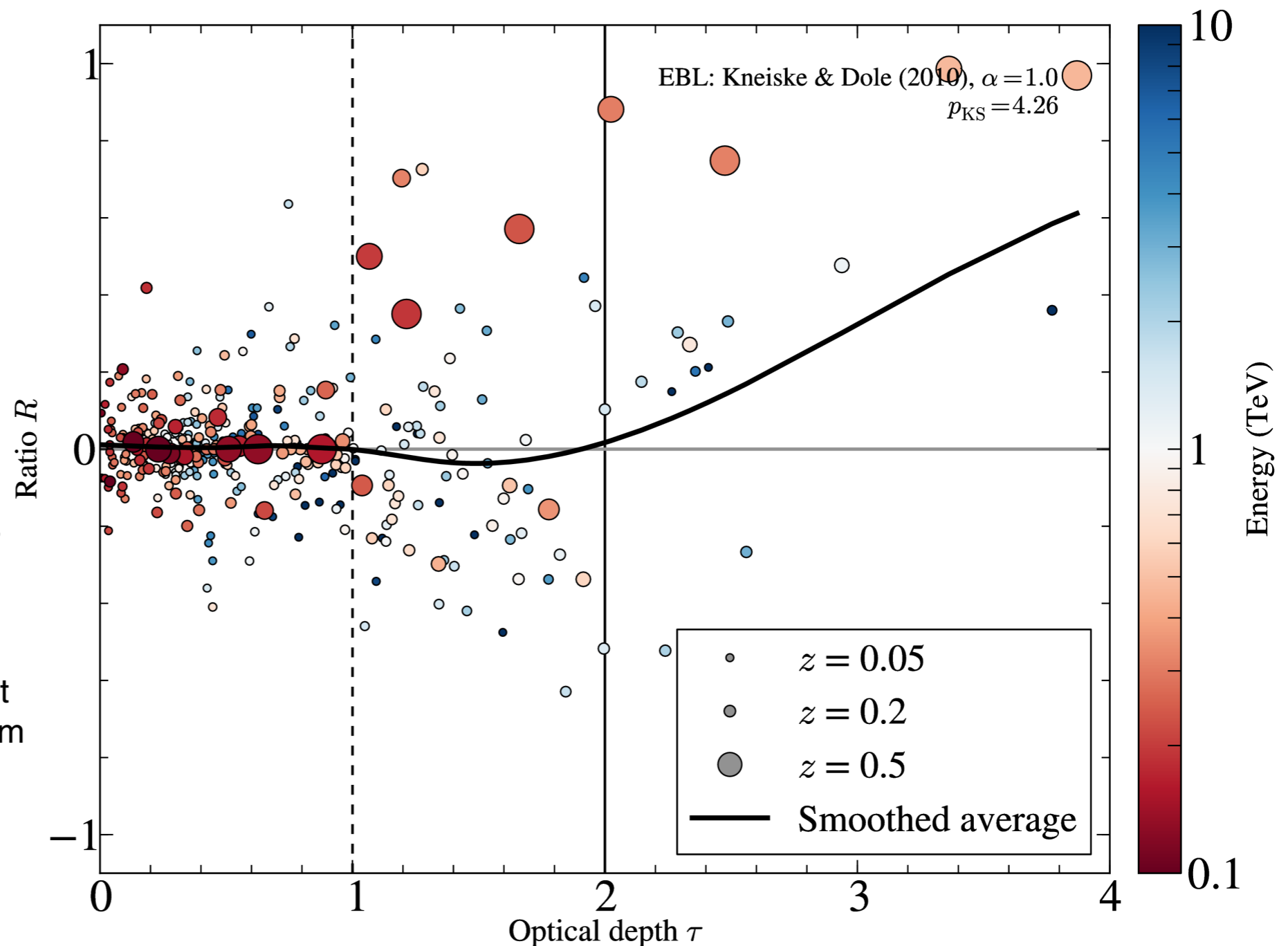
[Figure from H.E.S.S. Collaboration, 2013]



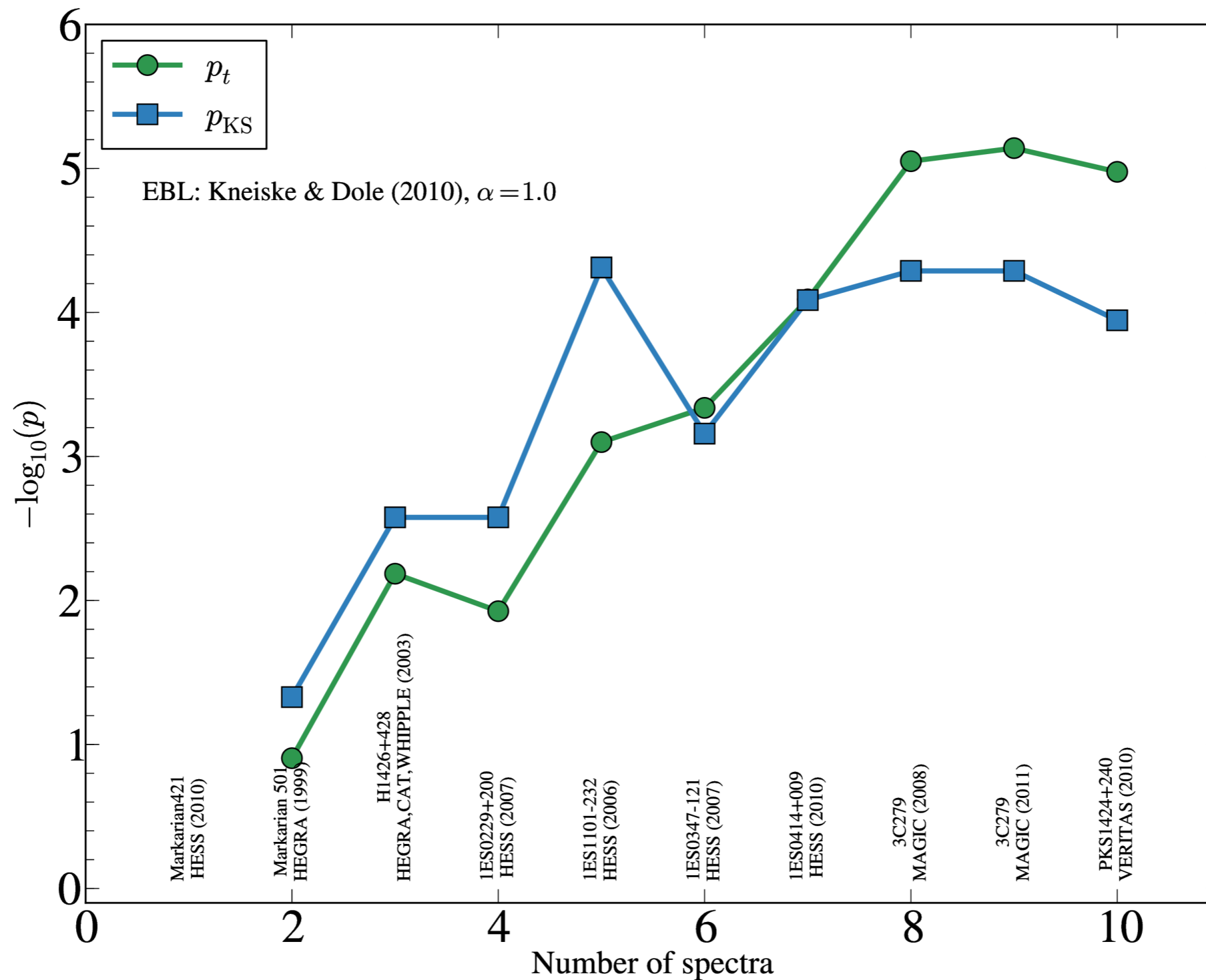
- Reduced opacity should become **visible in residuals** of recent H.E.S.S. analysis of EBL imprint in blazar spectra
- **No excess seen** (although hard to tell from the plot)
- Sources binned into 3 redshift bins, might **mask the effect**

Test opacity with KS test

- Fit VHE spectra in optical thin regime, i.e., $\tau_\gamma < 1$
- extrapolate to higher optical depths
- calculate ratio between extrapolation and absorption-corrected data points
- compare distributions of ratios for $1 < \tau_\gamma \leq 2$ and $\tau_\gamma \geq 2$ with Kolomogorov-Smirnov test
- Results in 4σ significance that distributions are nor drawn from same underlying probability distribution function



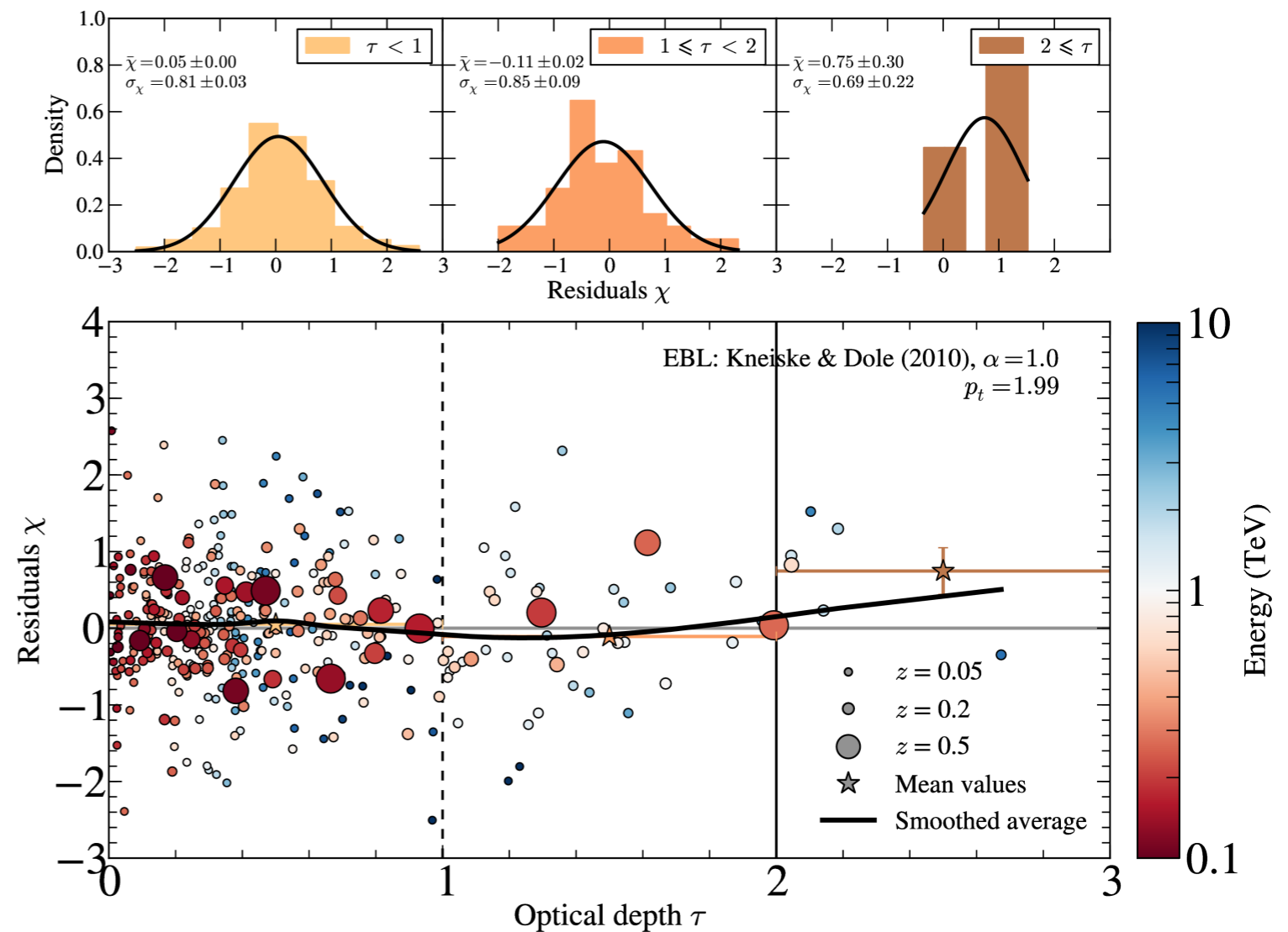
Cumulative significance of PPA for VHE analysis



[Horns & MM, 2012]

Study of systematic uncertainties: energy resolution and calibration

- Limited energy resolution might cause **spill-over effect**
- Energy **calibration ($\Delta E/E \sim 15\%$)** uncertain [however: Cross calibration with LAT \Rightarrow only energy shift of $\sim 5\%$ necessary, see Meyer et al., 2010]
- Test repeated with energy points scaled by -15% and last energy point removed \Rightarrow **significance reduced to 2σ**
- However: **Mock data** sample with Galactic sources **does not show indication**
- **Further tests** conducted: source intrinsic effects (spectral hardening, selection bias), different EBL models

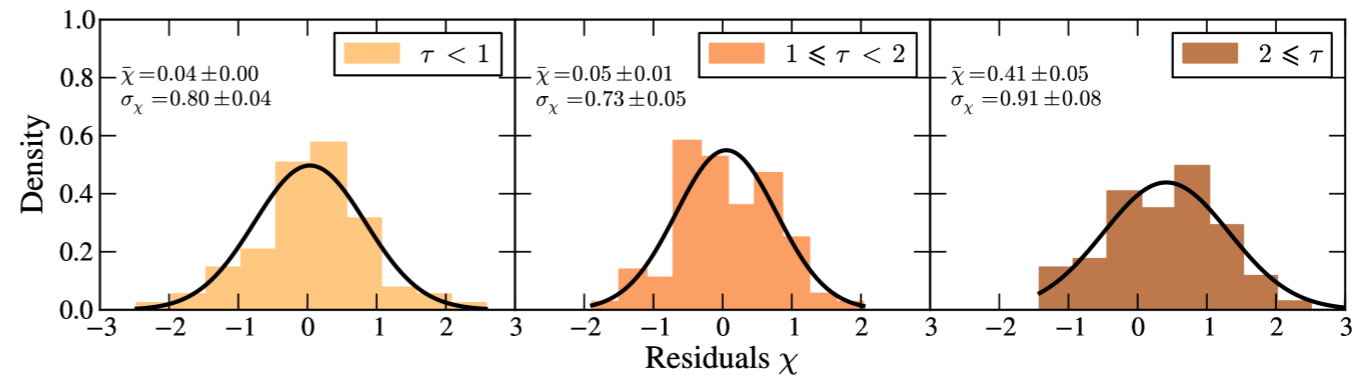


[Horns & MM, 2012]

Study of systematic uncertainties II

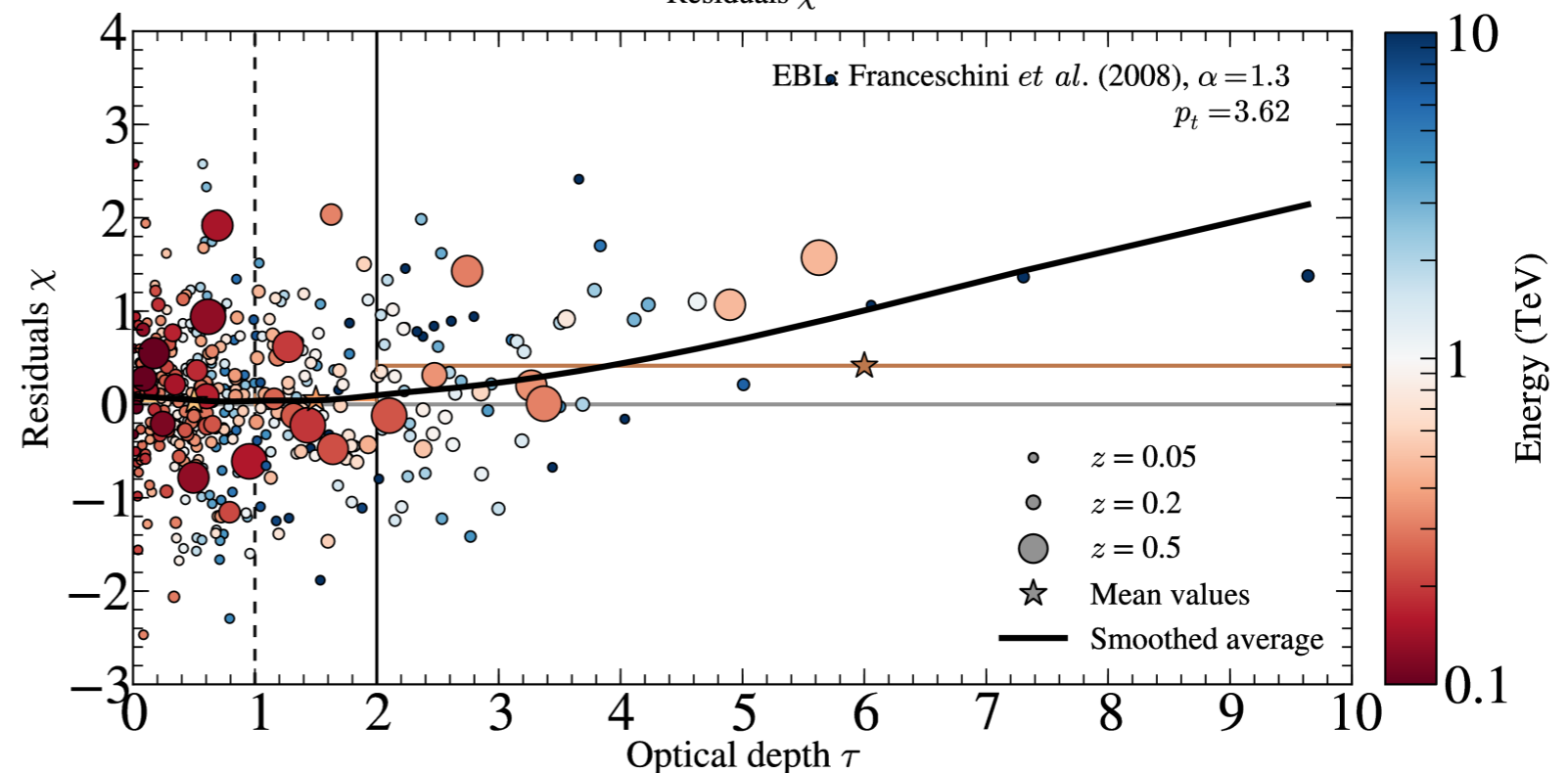
- **Study of mock data sample:**

- Redshift assigned to Galactic VHE spectra
- No absorption correction applied
- Test repeated, no indication found



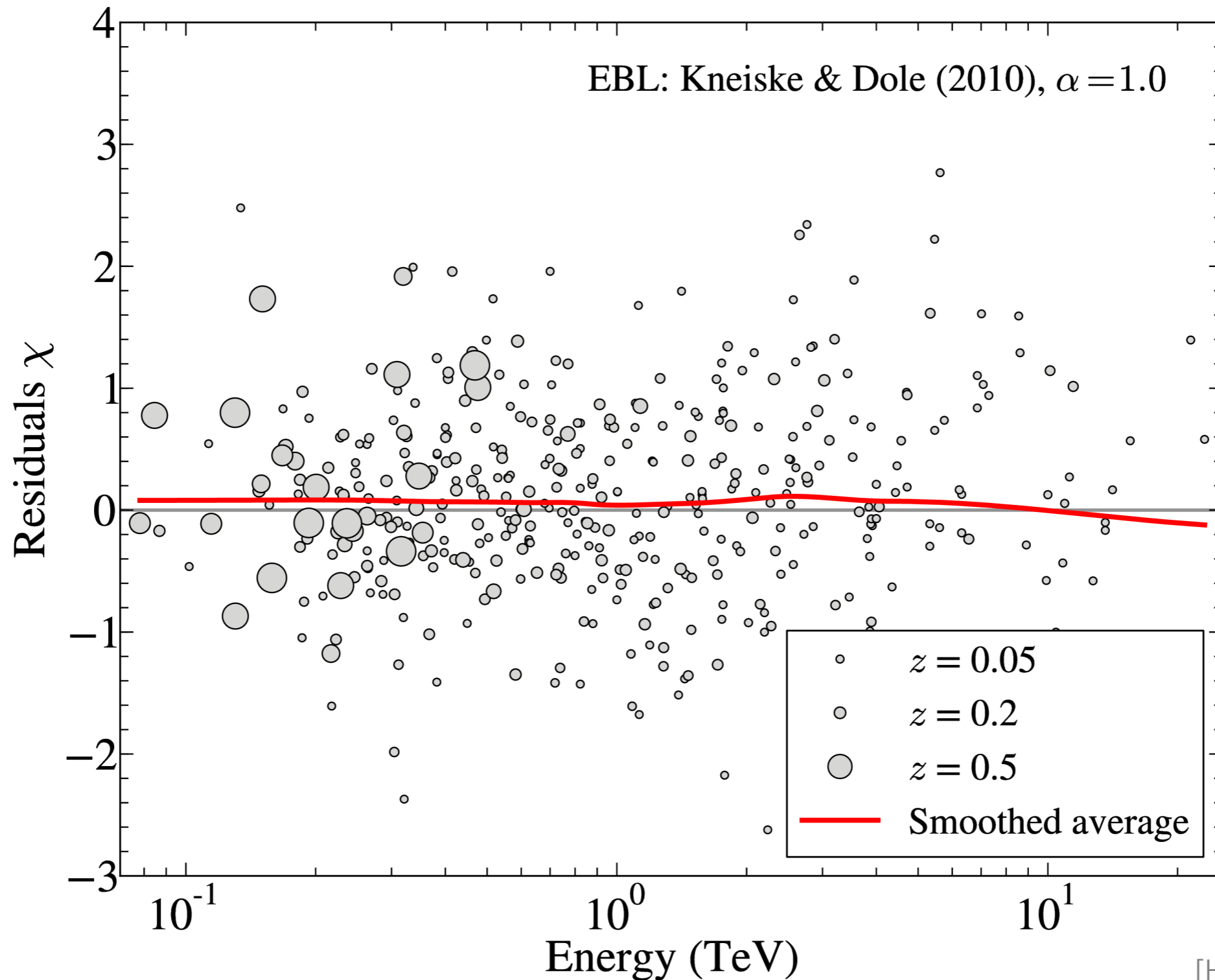
- **Different EBL models:**

- Repeated test with EBL model of Franceschini et al., 2008, additionally scaled optical depth by 1.3 [suggested by H.E.S.S. measurements, H.E.S.S. collaboration, 2013]
- Indication less significant, but trend still present



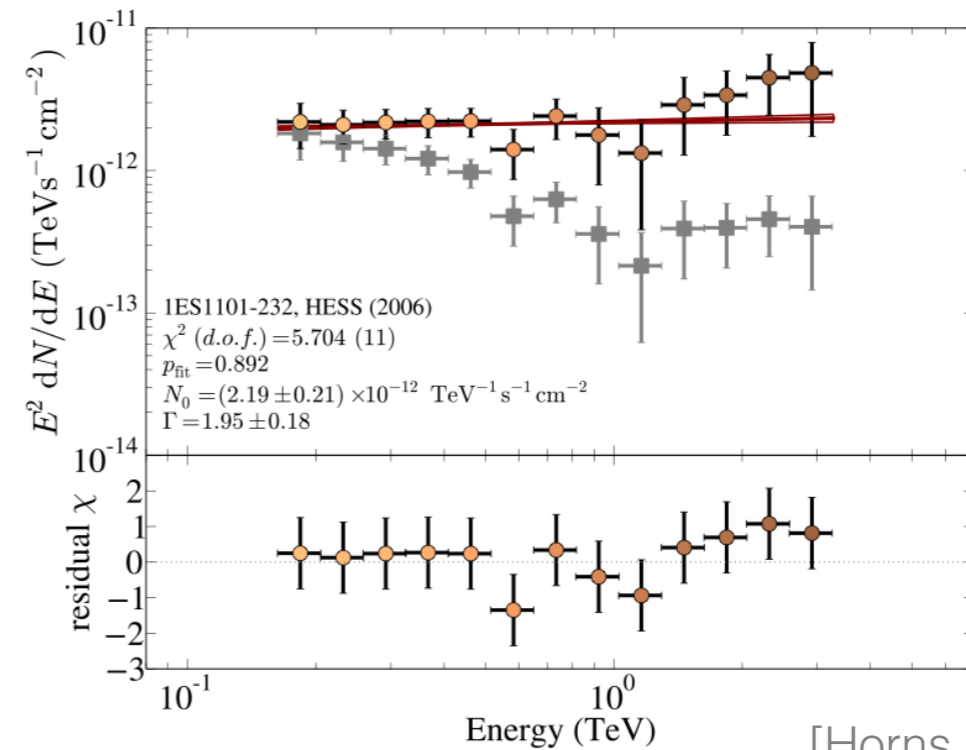
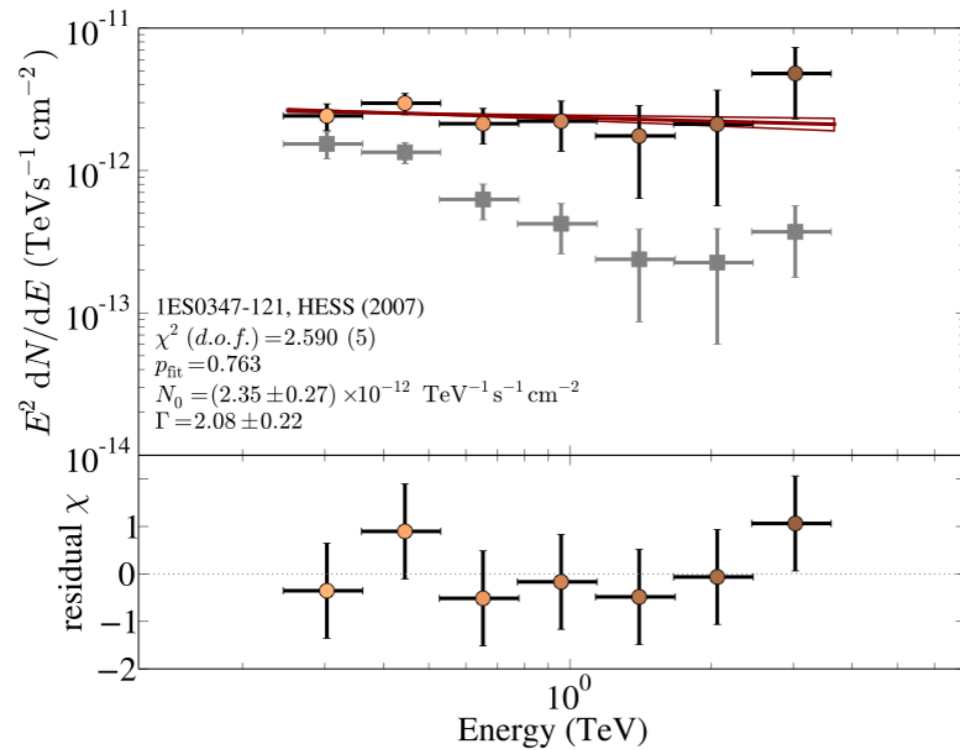
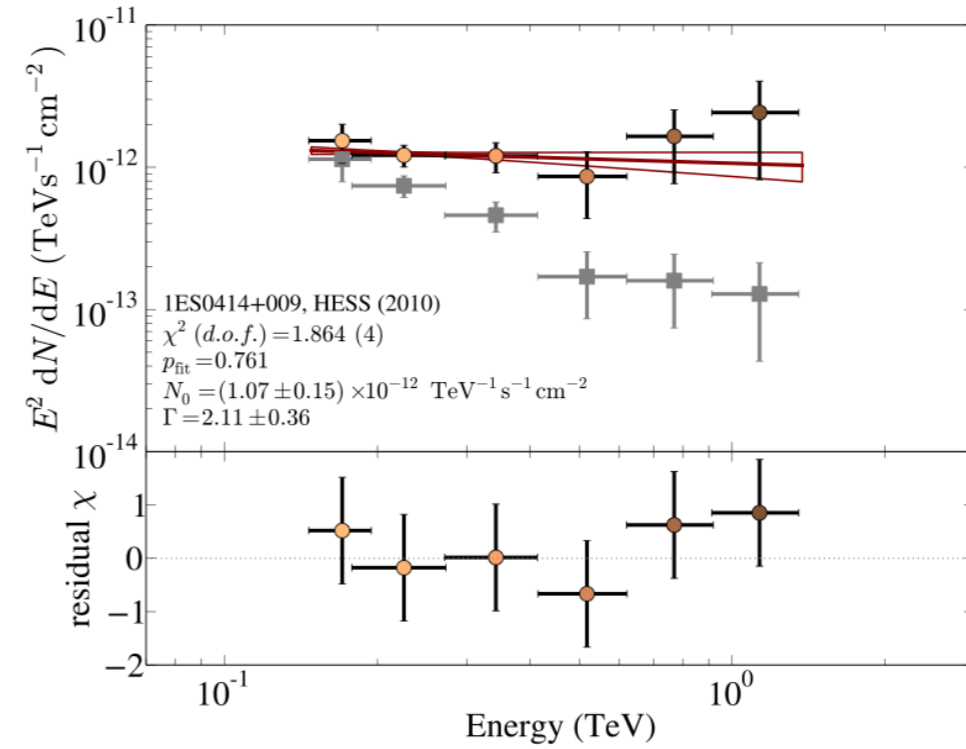
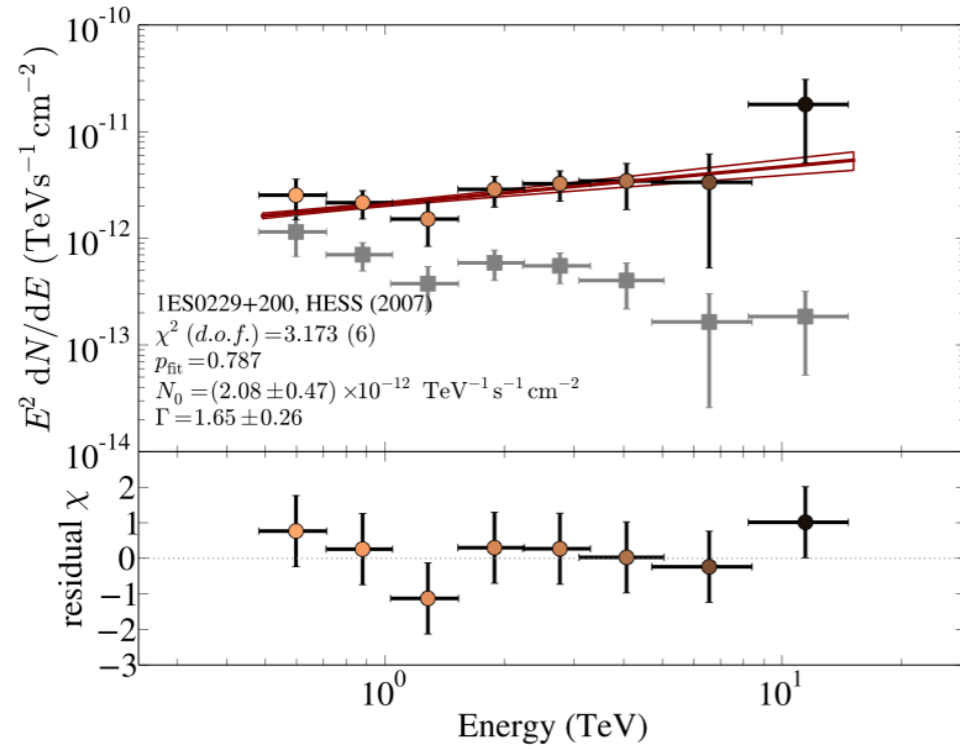
[Horns & MM, 2012]

No trend in energy seen



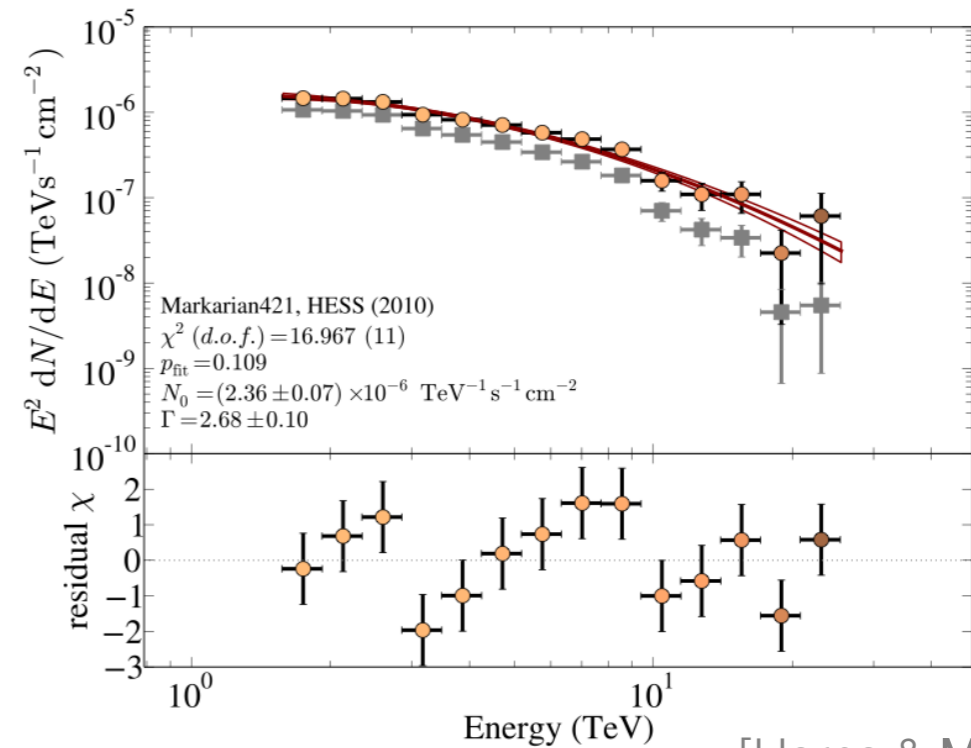
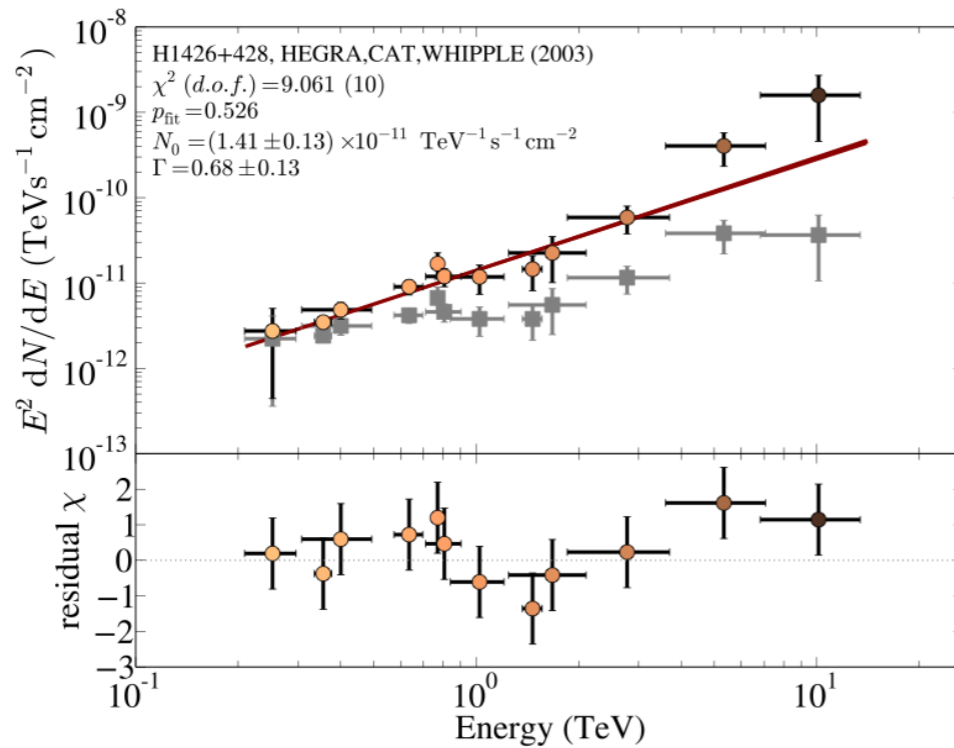
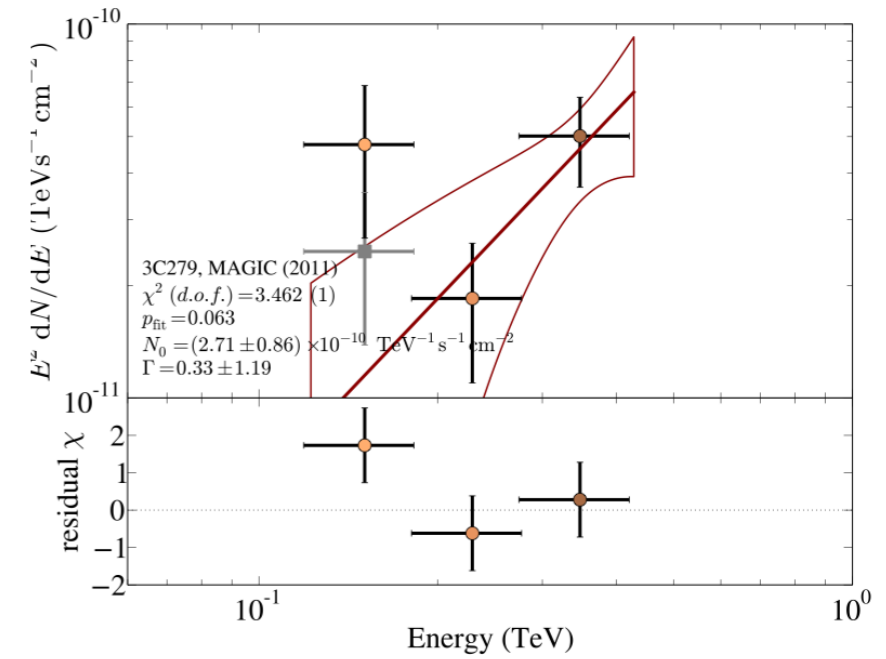
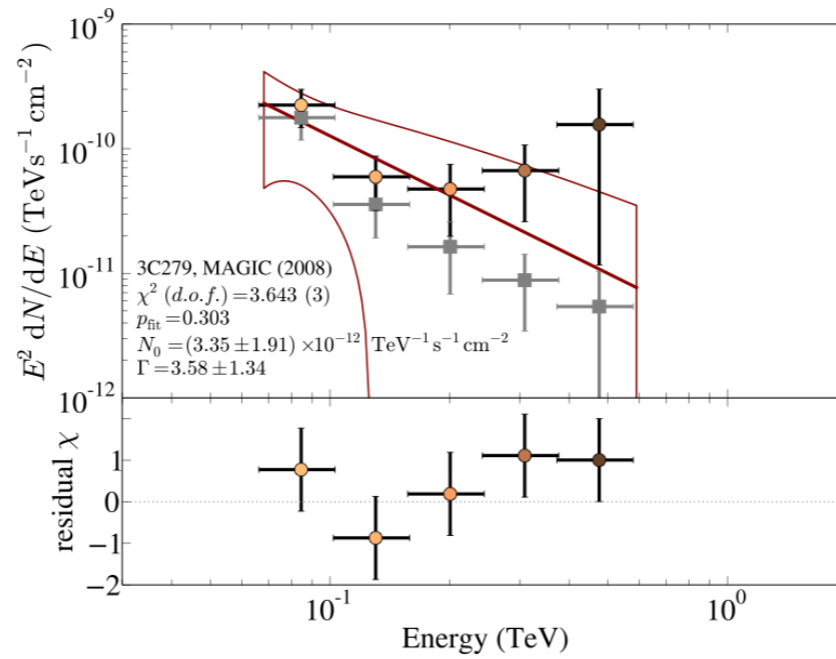
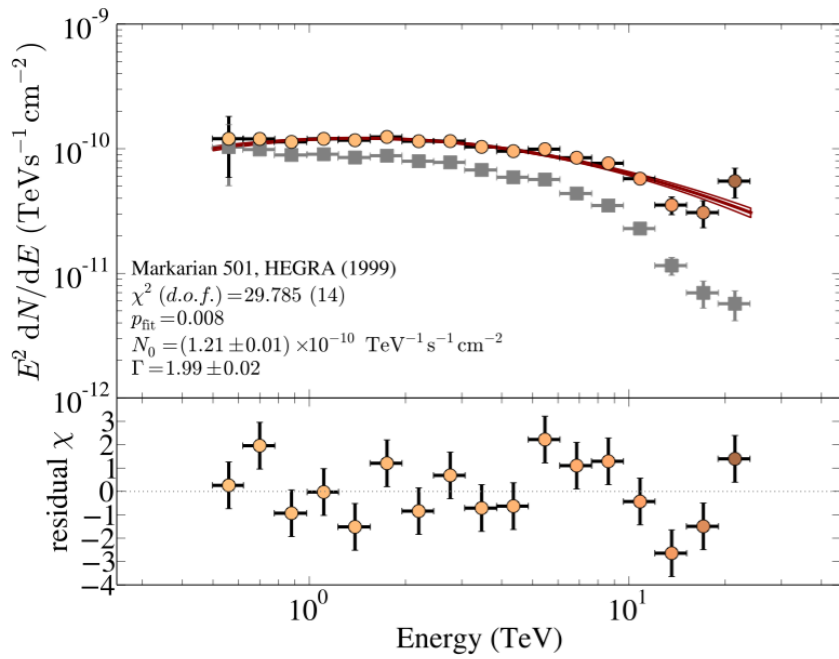
[Horns & MM, 2012]

Spectral fits I



[Horns & MM, 2012]

Spectral fits II



[Horns & MM, 2012]

Cross checks for VHE opacity analysis

Systematic check	Significance		Significance	
	p_{KS}		p_t	
-15 % energy scaling	2.93×10^{-4}	3.44σ	1.18×10^{-4}	3.68σ
Removed last energy point	1.02×10^{-3}	3.09σ	6.74×10^{-3}	2.44σ
Removed last energy point and -15 % energy scaling	6.74×10^{-3}	2.44σ	2.33×10^{-2}	1.99σ
FRV model	1.66×10^{-2}	2.13σ	4.61×10^{-3}	2.60σ
FRV model scaled by 1.3	0.17	0.97σ	2.33×10^{-4}	3.50σ
KD model scaled by 0.7	4.34×10^{-3}	2.63σ	4.23×10^{-2}	1.73σ
No absorption correction	0.32	0.47σ	3.37×10^{-2}	1.83σ

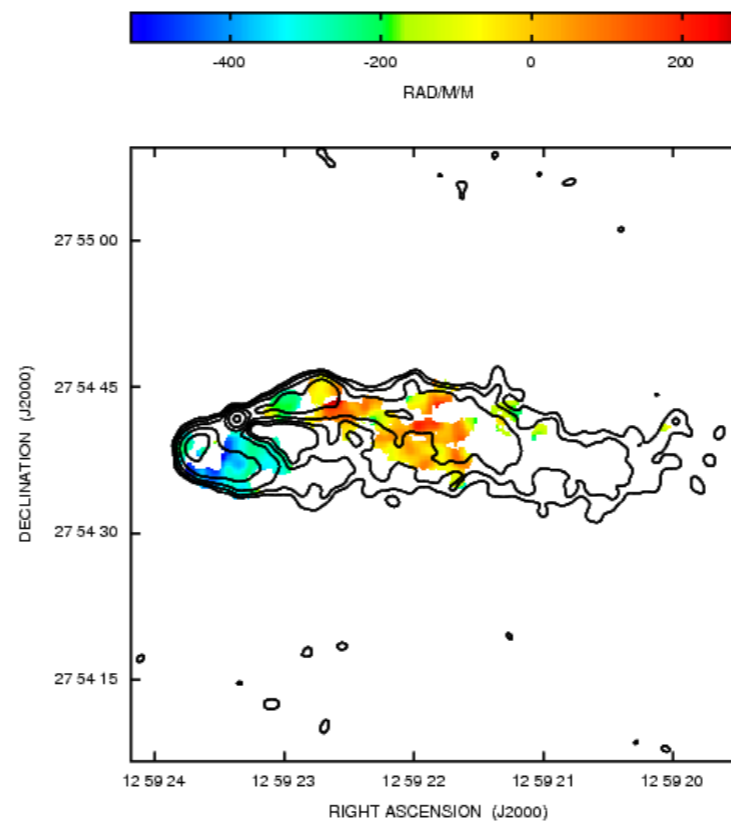
Note: PKS 1424+420 not included here

Backup: B-fields

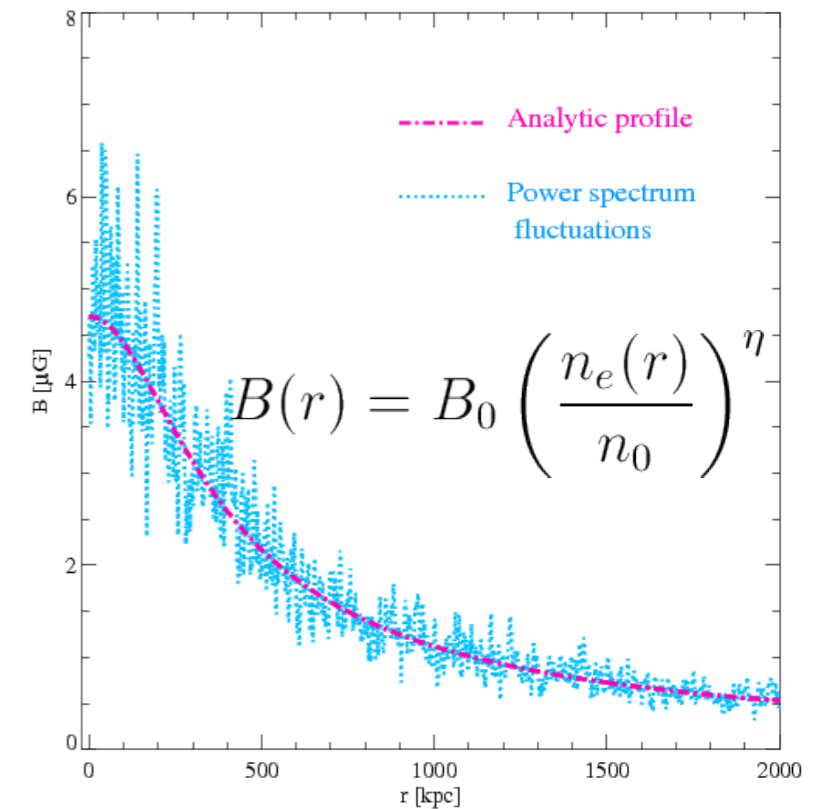
Intracluster magnetic fields

- Observational evidence:
 - **Non-thermal (synchrotron) emission** of intracluster medium
 - **Rotation measure measurements**
- Field strength between **0.1 and 10 μG**
- Extent: **up to few Mpc**
- Magnetic field **follows thermal electron distribution $n_e(r)$**

[Figure from Bonafede et al., 2010; see, e.g., Feretti et al., 2012, for a review]



Rotation measure map with 5 GHz contours of galaxy NGC 4869 in the Coma cluster



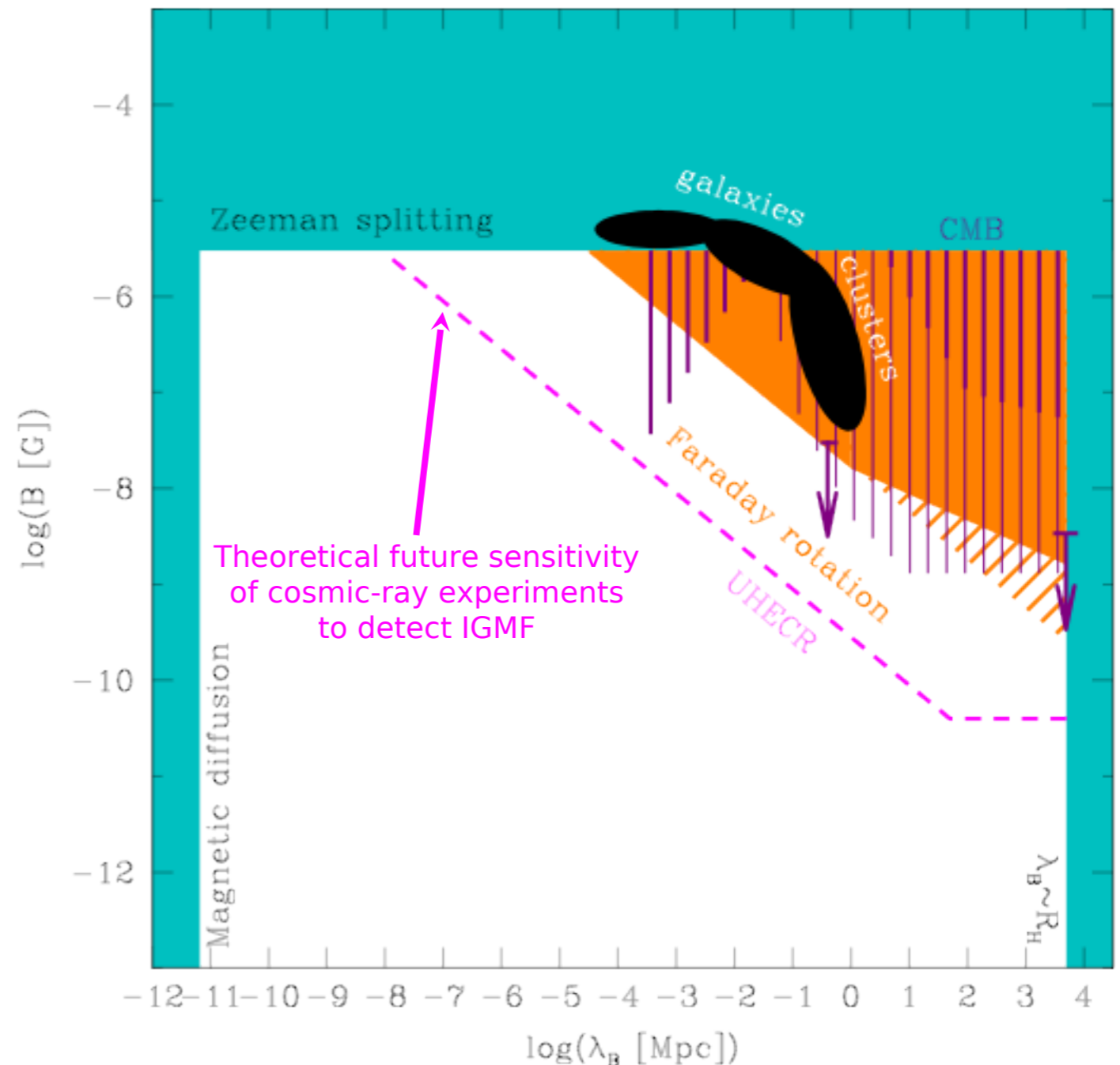
Simulated B field (blue) and analytical profile (magenta) of the Coma cluster

$$\Delta\Psi = \Psi - \Psi_0 = \lambda^2(\text{RM})$$

$$\text{RM} = 812 \int_0^{L/\text{kpc}} n_e B_{||} d\ell \text{ (rad m}^{-2}\text{)}$$

Intergalactic magnetic fields

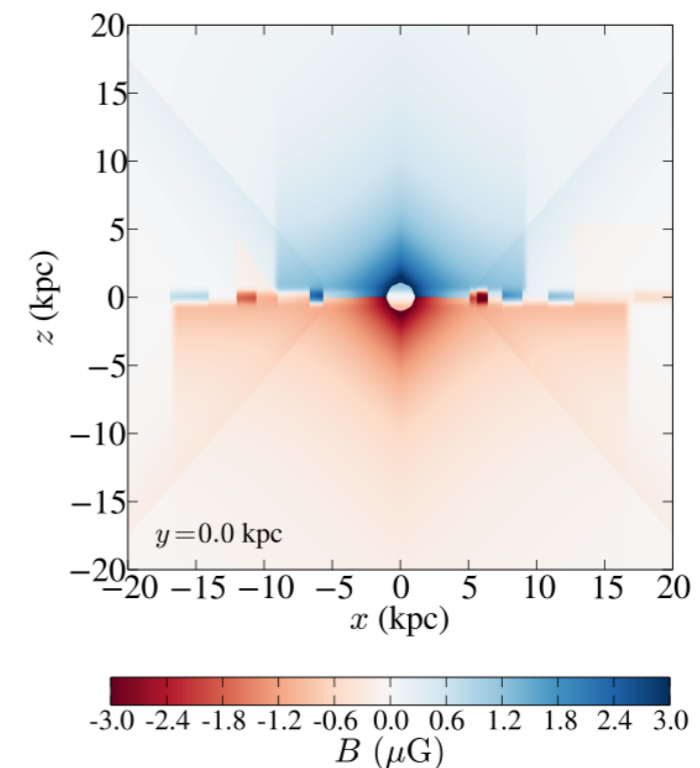
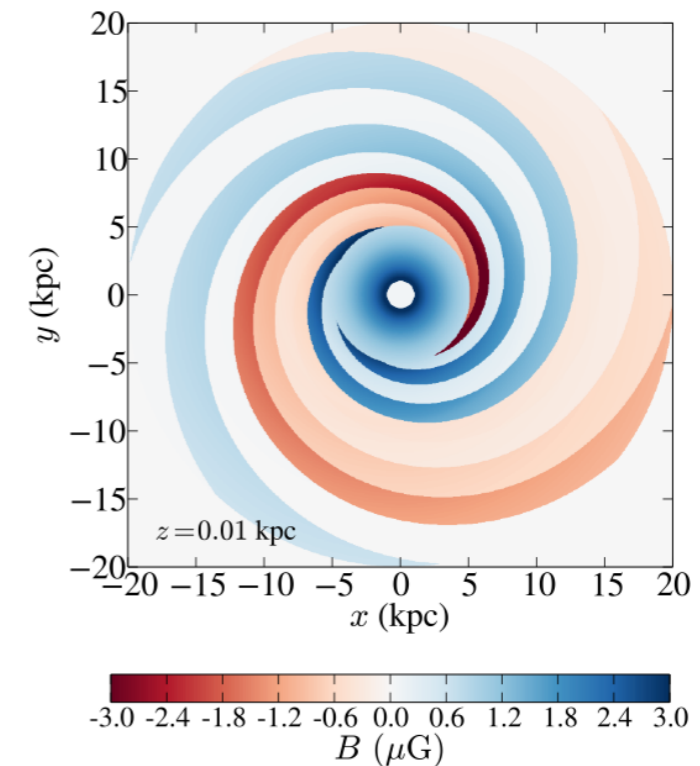
- **Zeeman splitting** of 21cm line of distant quasars in IGMF cannot be stronger than splitting due to galactic magnetic field
- **Faraday rotation** of polarized radio emission of distant quasars - depends on correlation length and assumed electron density in the IGM
- Theoretical limits from **simulations** of magnetic fields in **galaxies and galaxy clusters**



[see, e.g., Neronov & Vovk, 2009, for a review, Figure from same reference]

Galactic magnetic field model

- **Regular component** of Galactic magnetic field (GMF) model of Jansson & Farrar (2012)
- Consists of three components:
 1. **Disk**
 2. **Halo**
 3. **X**
- Derived from χ^2 -fit to WMAP7 synchrotron emission maps and Faraday rotation measurements
- Additionally: purely **turbulent and striated component**



[Figures reproduced from regular component of the GMF model of Jansson & Farrar, 2012]

Axion and ALPs

The strong CP problem

- QCD allows for **CP violating term** in Lagrangian

$$\mathcal{L}_{\text{CP}} = \frac{\alpha_S}{4\pi} \theta \text{tr} \left[G_{\mu\nu} \tilde{G}^{\mu\nu} \right]$$

- Observable effect: **electric dipole moment of the neutron**, strength depends on θ , expected of order unity

- measurement gives rise to strong CP problem:

$$|\bar{\theta}| = |\theta + \arg \det \mathcal{M}_q| \lesssim 10^{-10}$$

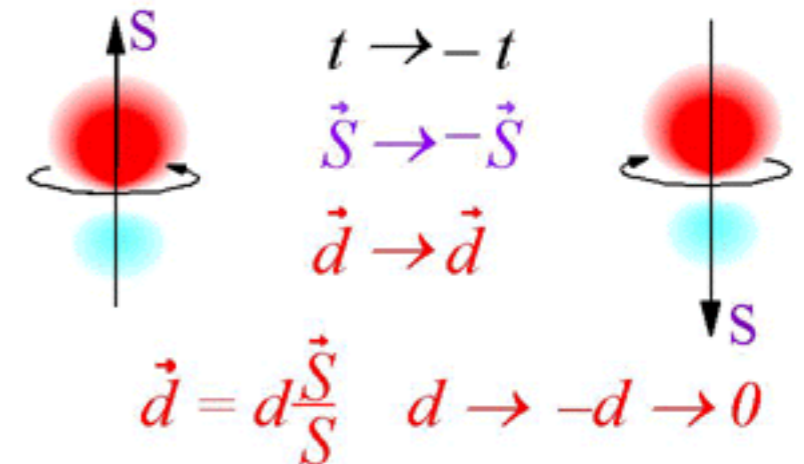
- Solution: introduce **new symmetry U(1)_{PQ}**, spontaneously broken at scale f_a

- θ replaced by field a , associated with U(1)_{PQ}, relaxes to zero $\langle a \rangle = 0$, solves strong CP problem

$$\theta \rightarrow a/f_a$$

- Symmetry breaking gives rise to **pseudo-Nambu-Goldstone boson, the axion**

$$m_a \sim 6 \text{ meV} \frac{10^9 \text{ GeV}}{f_a}$$



Electric dipole moment of neutron violates T symmetry (and thus CP symmetry, since CPT is conserved)

[Figure from

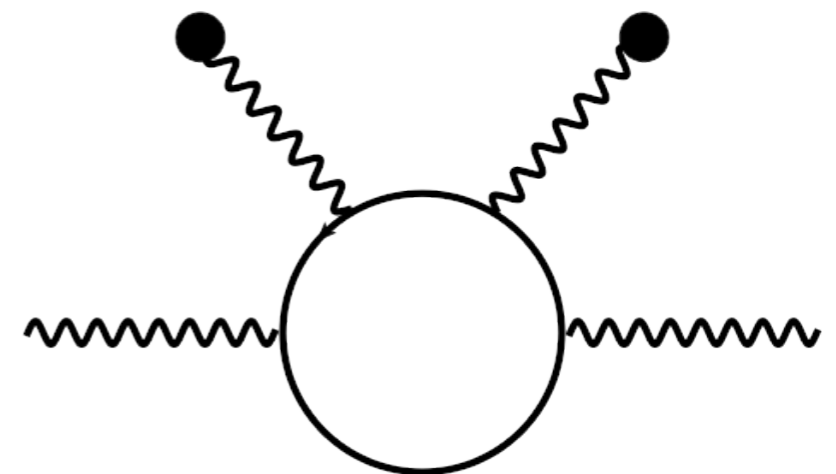
<http://oldwww.phys.washington.edu/users/wcgriff/romalis/EDM/imageA8M.gif>]

[Peccei & Quinn, 1977; Weinberg, 1978; Wilczek, 1978]

Photon-ALPs Lagrangian

Propagation of photon in external magnetic field:

$$\begin{aligned} \mathcal{L} = & -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} && \text{Photon propagator} \\ & +\frac{1}{2}\left(\partial_{\mu}a\partial^{\mu}a - m_a^2a^2\right) && \text{Kinetic and mass term for ALP} \\ & -\frac{1}{4}g_{a\gamma}F_{\mu\nu}\tilde{F}^{\mu\nu}a && \text{Photon-ALP interaction} \\ & +\frac{\alpha^2}{90m_e^4}\left[\left(F_{\mu\nu}F^{\mu\nu}\right)^2 + \frac{7}{4}\left(F_{\mu\nu}\tilde{F}^{\mu\nu}\right)^2\right] && \text{Euler-Heisenberg effective Lagrangian} \end{aligned}$$



EoM of ALPs

- From Lagrangian, derive equation of motion:

$$[i\partial_{x_3} + E + \mathcal{M}_0] \psi(x_3) = 0$$

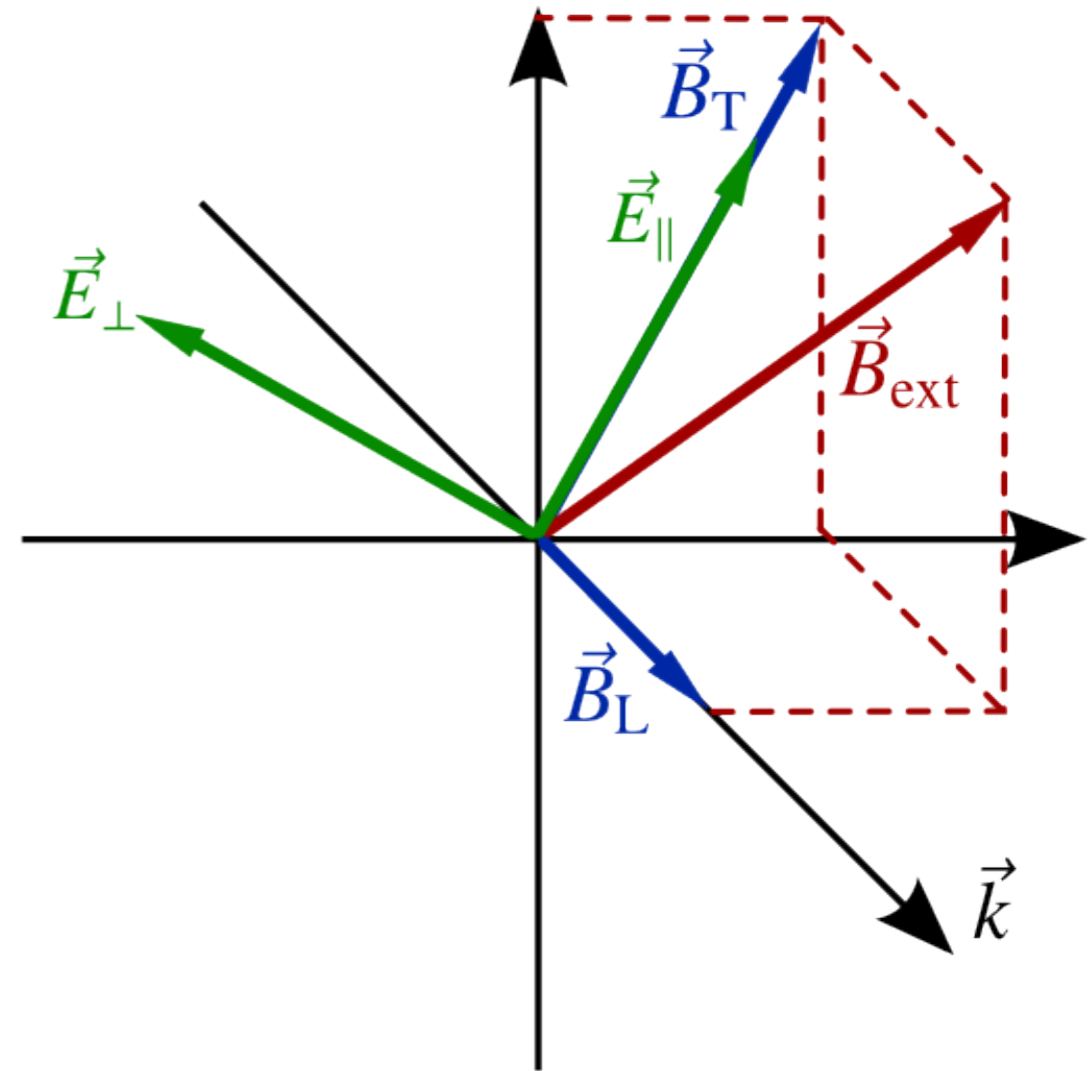
- ALPs only mix with E_{\parallel}
- Solve with Ansatz:

$$\psi(x_3) = (A_{\perp}(x_3), A_{\parallel}(x_3), a(x_3))^T$$

$$\psi(x_3) = e^{iE(x_3 - x_{3,0})} \mathcal{T}(x_3, x_{3,0}) \psi(x_{3,0})$$

- Diagonalize mixing matrix, transfer matrix given by:

$$\mathcal{T}(x_3, x_{3,0}) = \sum_{j=1}^3 e^{i\lambda_j(x_3 - x_{3,0})} T_j$$



Photon-ALP mixing matrix

$$\mathcal{M}_0 = \begin{pmatrix} \Delta_{\perp} & 0 & 0 \\ 0 & \Delta_{||} & \Delta_{a\gamma} \\ 0 & \Delta_{a\gamma} & \Delta_a \end{pmatrix}$$

$$\Delta_{\text{pl}} = -1.1 \times 10^{-7} \left(\frac{n_{\text{el}}}{10^{-3} \text{cm}^{-3}} \right) \left(\frac{E}{\text{GeV}} \right)^{-1} \text{kpc}^{-1},$$

$$\Delta_{\text{QED}} = 4.1 \times 10^{-9} \left(\frac{E}{\text{GeV}} \right) \left(\frac{B_{\perp}}{\mu\text{G}} \right)^2 \text{kpc}^{-1},$$

$$\Delta_a = -7.8 \times 10^{-2} \left(\frac{m_a}{\text{neV}} \right)^2 \left(\frac{E}{\text{GeV}} \right)^{-1} \text{kpc}^{-1},$$

$$\Delta_{a\gamma} = 1.52 \times 10^{-2} \left(\frac{g_{a\gamma}}{10^{-11} \text{GeV}^{-1}} \right) \left(\frac{B_{\perp}}{\mu\text{G}} \right) \text{kpc}^{-1}$$

$$\Delta_{\text{pl}} = -\omega^2 / (2E)$$

$$\Delta_{||} = \Delta_{\text{pl}} + 7/2 \Delta_{\text{QED}}$$

$$\Delta_{\perp} = \Delta_{\text{pl}} + 2 \Delta_{\text{QED}}$$

- Neglected: Cotton-Mouton effect, i.e., assumed $\Delta_{\text{pl}}^{\parallel} = \Delta_{\text{pl}}^{\perp} = \Delta_{\text{pl}}$
- Neglected: Faraday rotation
- Both effects proportional to λ^2 , small contributions at γ -ray energies

Density matrix formalism

- **Polarization of VHE -rays cannot be measured**, use **density matrix formalism** to describe photon-ALP conversions:

$$\rho(x_3) = \begin{pmatrix} A_1(x_3) \\ A_2(x_3) \\ a(x_3) \end{pmatrix} \otimes \left(A_1(x_3) \quad A_2(x_3) \quad a(x_3) \right)^*$$

- **Evolution** of density matrix given by von-Neumann like equation:

$$i \frac{d\rho}{dx_3} = [\rho, \mathcal{M}_0]$$

- **Probability** to find photons in polarization final:

$$P_{\text{final}} = \text{Tr}(\rho_{\text{final}} \mathcal{T} \rho_{\text{init}} \mathcal{T}^\dagger)$$

- **Unpolarized** initial matrix:

$$\rho_{\text{unpol}} = 1/2 \text{diag}(1, 1, 0)$$

Photon-ALP mixing

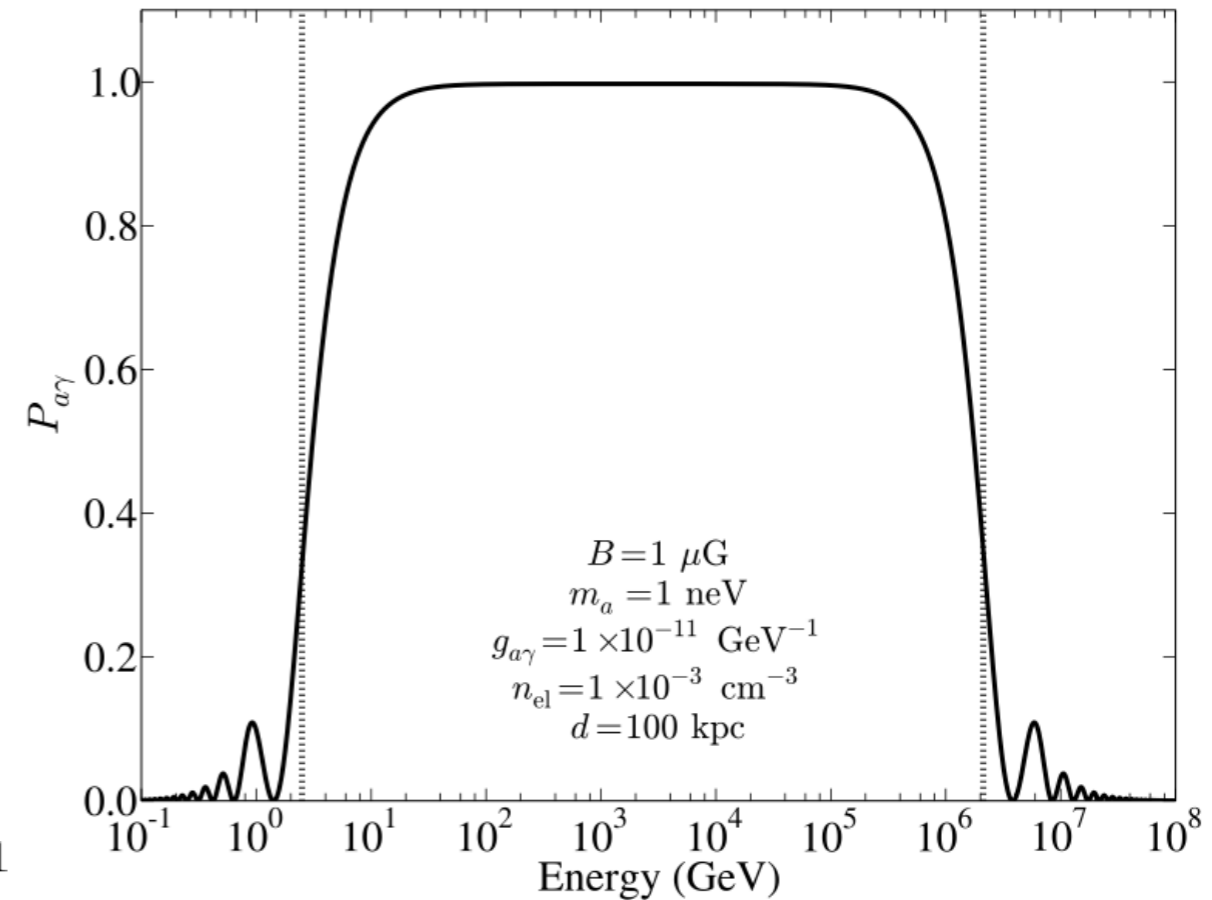
- **Lagrangian:**

$$\mathcal{L}_{a\gamma} = -\frac{1}{4}g_{a\gamma} F_{\mu\nu}\tilde{F}^{\mu\nu}a = g_{a\gamma} \mathbf{E} \cdot \mathbf{B}a$$

- Mixing becomes maximal (**strong mixing regime**) above **critical energy**:

$$\frac{E_{\text{crit}}}{\text{GeV}} = 2.5 \frac{|m_a^2 - \omega_{\text{pl}}^2|}{\text{neV}} \left(\frac{g_{a\gamma}}{10^{-11} \text{GeV}^{-1}} \right)^{-1} \left(\frac{B_{\perp}}{\mu\text{G}} \right)^{-1}$$

- Above a maximum energy, QED effects dominate and suppress mixing

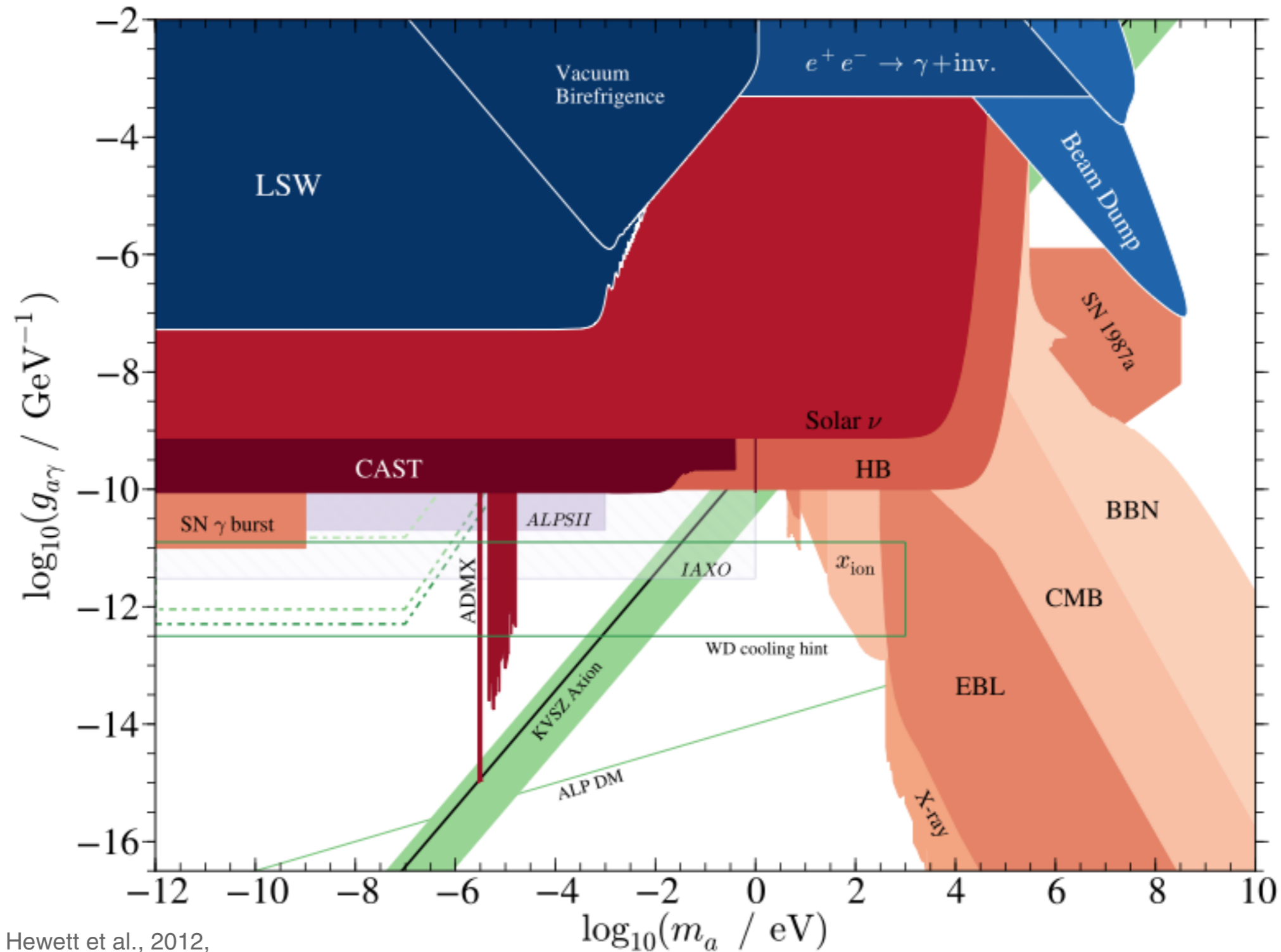


$$P_{a\gamma} = (\Delta_{a\gamma}d)^2 \frac{\sin^2(\Delta_{\text{osc}}d/2)}{(\Delta_{\text{osc}}d/2)^2}$$

Δ terms are combinations of parameters $B, m_a, g_{a\gamma}, n_{\text{el}}$, and energy

[e.g., Raffelt & Stodolsky 1988; De Angelis et al., 2007,2011; Mirizzi et al., 2007; Bassan & Roncadelli 2009]

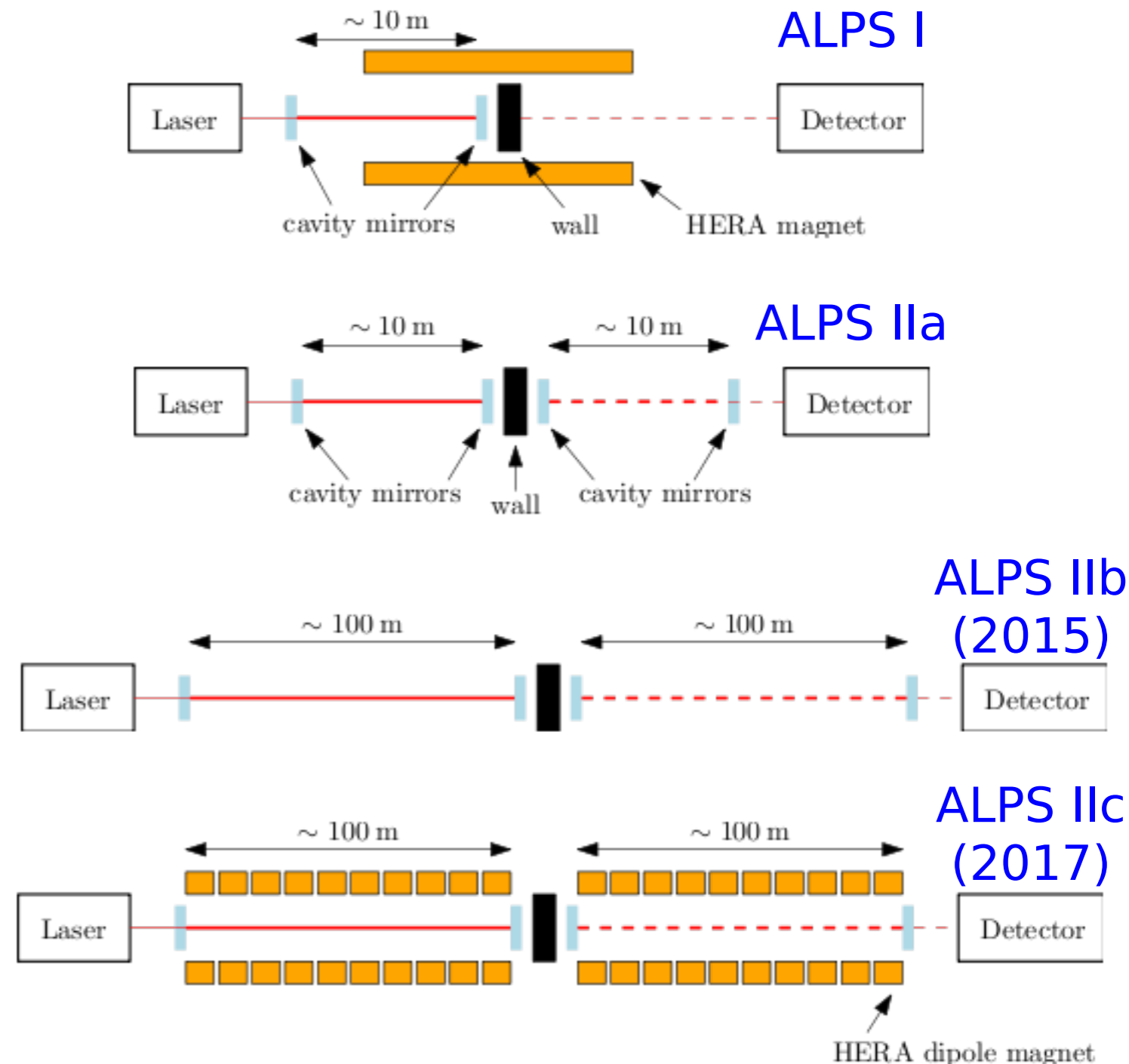
Current limits on ALPs



[adapted from Hewett et al., 2012,
with updates from J. Redondo, private communication]

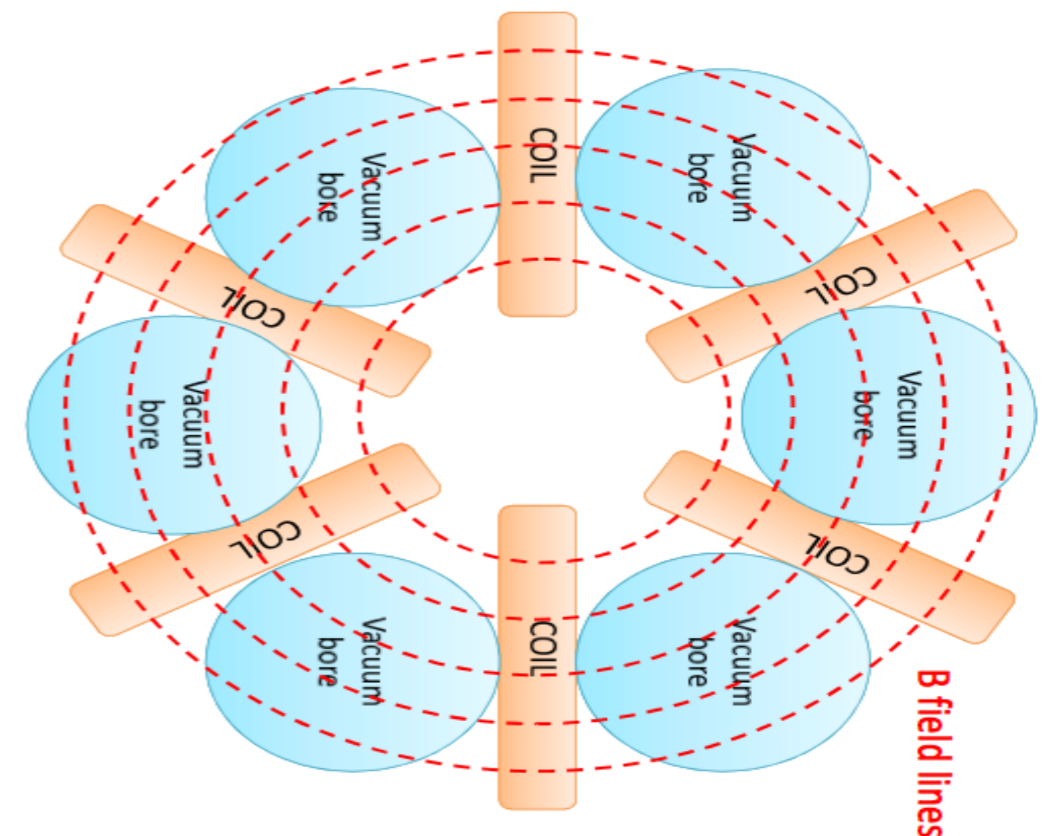
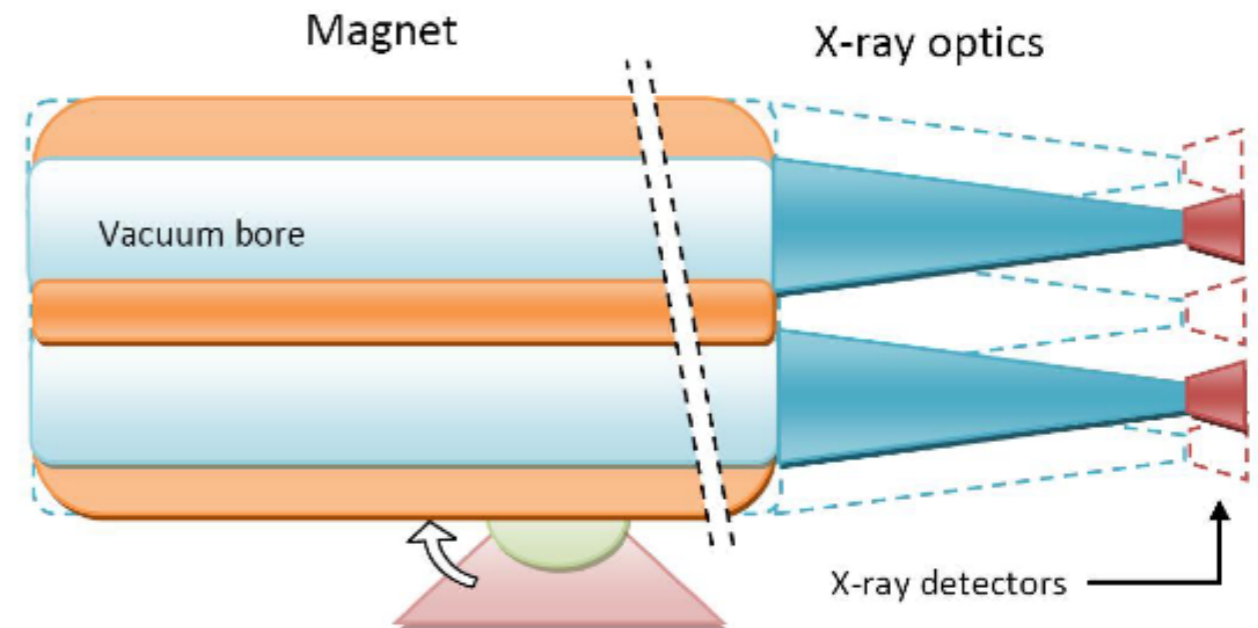
Any Light Particle Search (ALPS) Phase II

- Next generation “**Light shining through a wall**” experiment
- Several upgrades compared to ALPS I:
 - **Higher laser power** (using a 1064nm laser instead of 532nm)
 - **Transition Edge Sensor** instead of a CCD
 - **Regeneration cavity**
 - Maximizing $B \times L$: final stage with **20 straightened HERA dipole magnets**



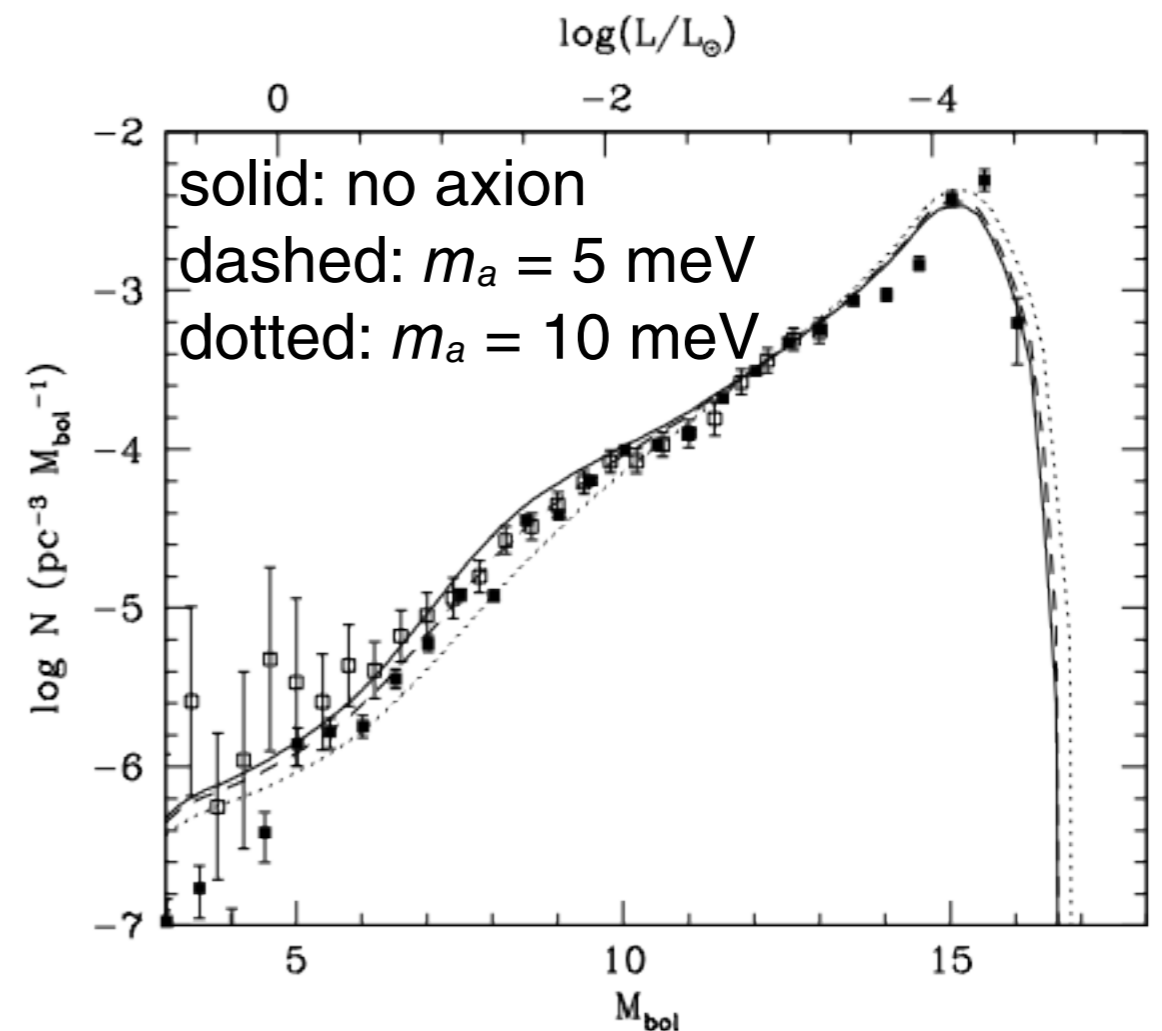
International Axion Observatory (IAXO)

- Next generation axion helioscope
- Toroidal magnetic field design (like ATLAS experiment) to increase geometrical cross section to several m^2
- X-ray optics as used in space missions (e.g. NuStar)
- State of the art X-ray detectors
- will probe couplings down to $g_{a\gamma} \gtrsim 10^{-12} \text{ GeV}^{-1}$



White dwarfs and ALPs

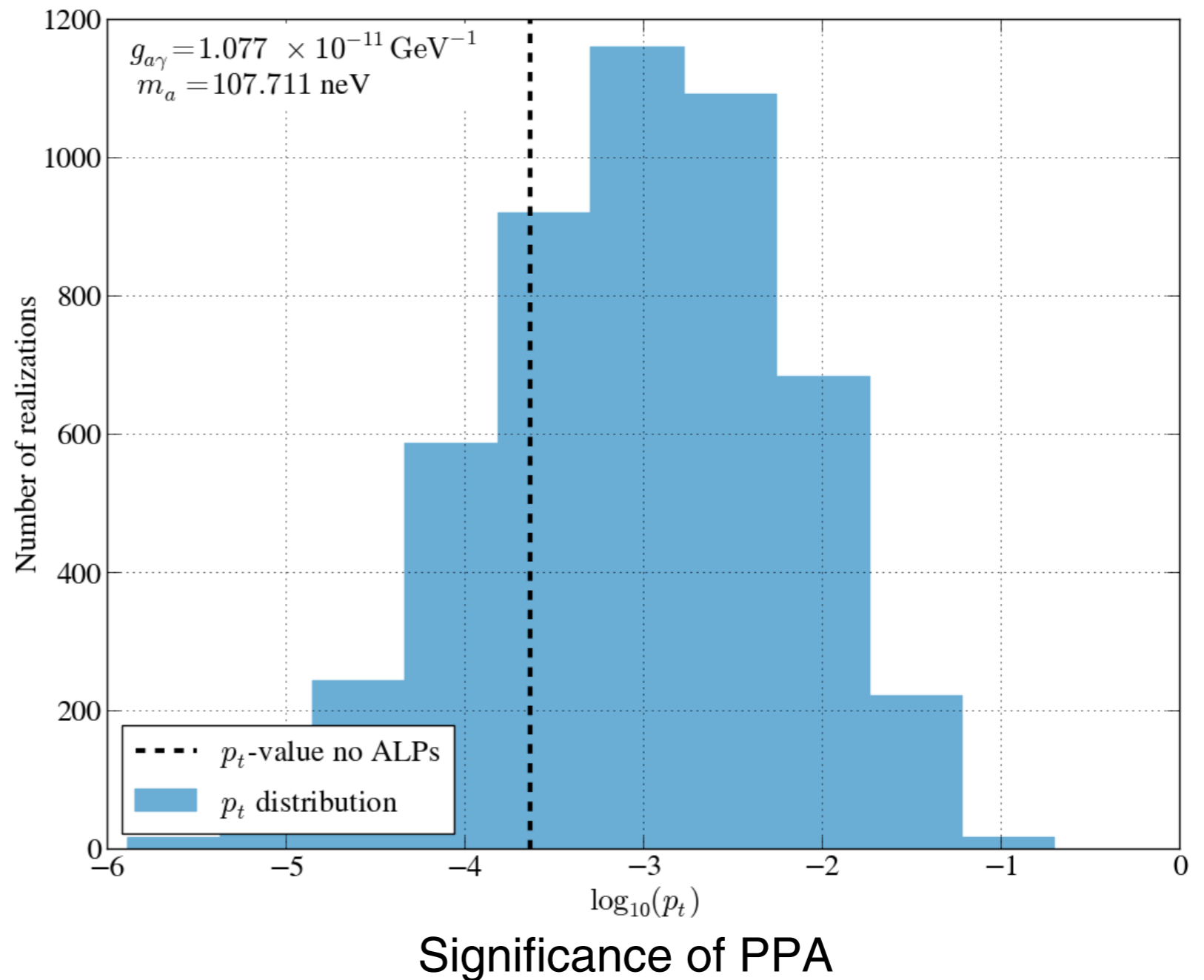
- Luminosity function of WD: **suggest extra cooling agent**
- **Including ALPs improves fit** to data
- Magnetic WD: **linear polarization of 5% observed**, none expected
- Derive limits on photon-ALP coupling: **ALPs should not overproduce polarization**
- On the other hand: **ALPs could also explain observed linear polarization**



Lower limits on photon- ALP coupling

Definition of lower limit on $g_{a\gamma}$

- Example: calculate 5000 random B -field realizations in *optimistic ICMF* scenario for one $(m_a, g_{a\gamma})$ pair

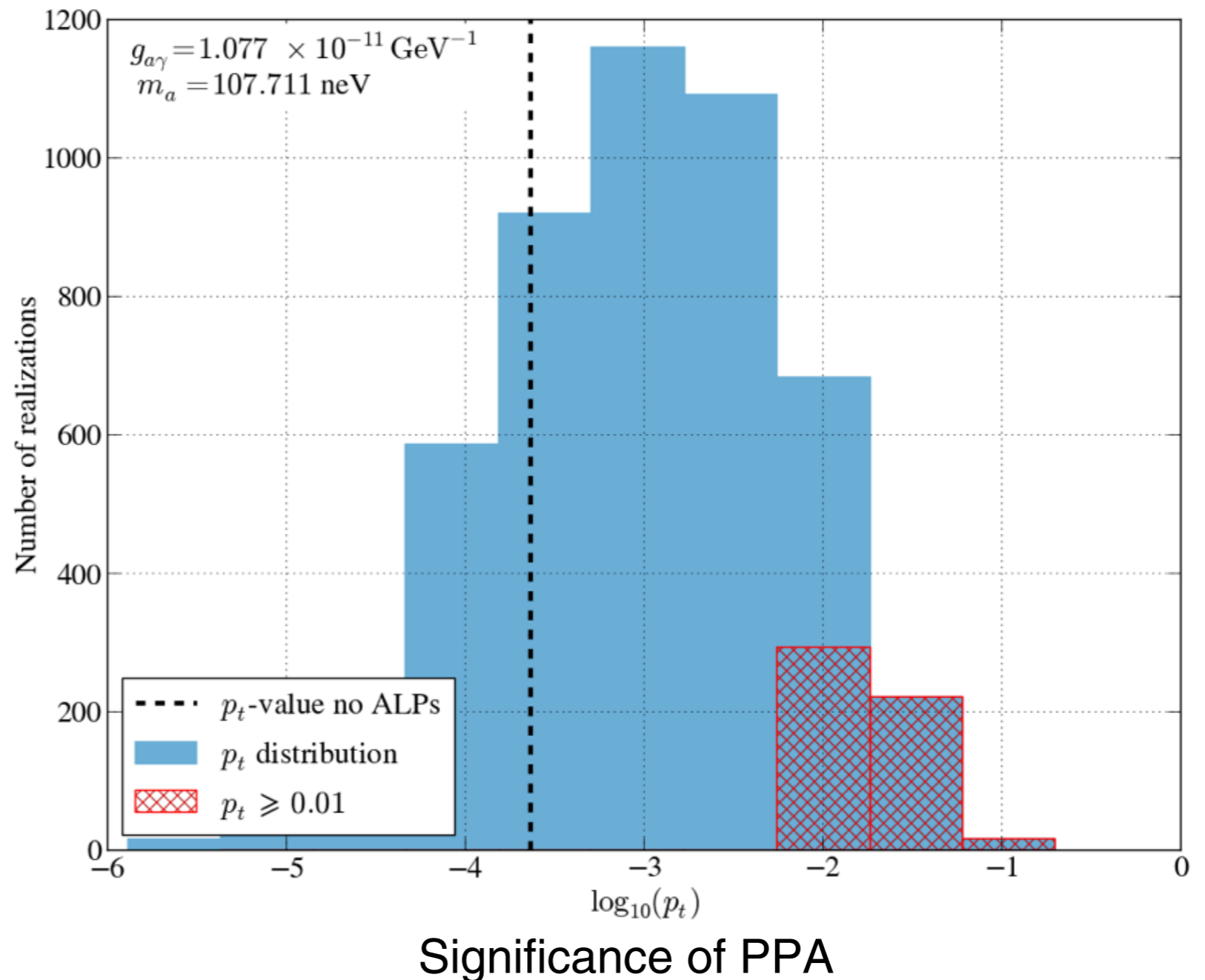


➔ Better accordance between model and data

[MM, Horns, Raue 2013]

Definition of lower limit on $g_{a\gamma}$

- Example: calculate 5000 random B -field realizations in *optimistic ICMF* scenario for one $(m_a, g_{a\gamma})$ pair
- Demand **accordance** between model and data of $p_t > 0.01$

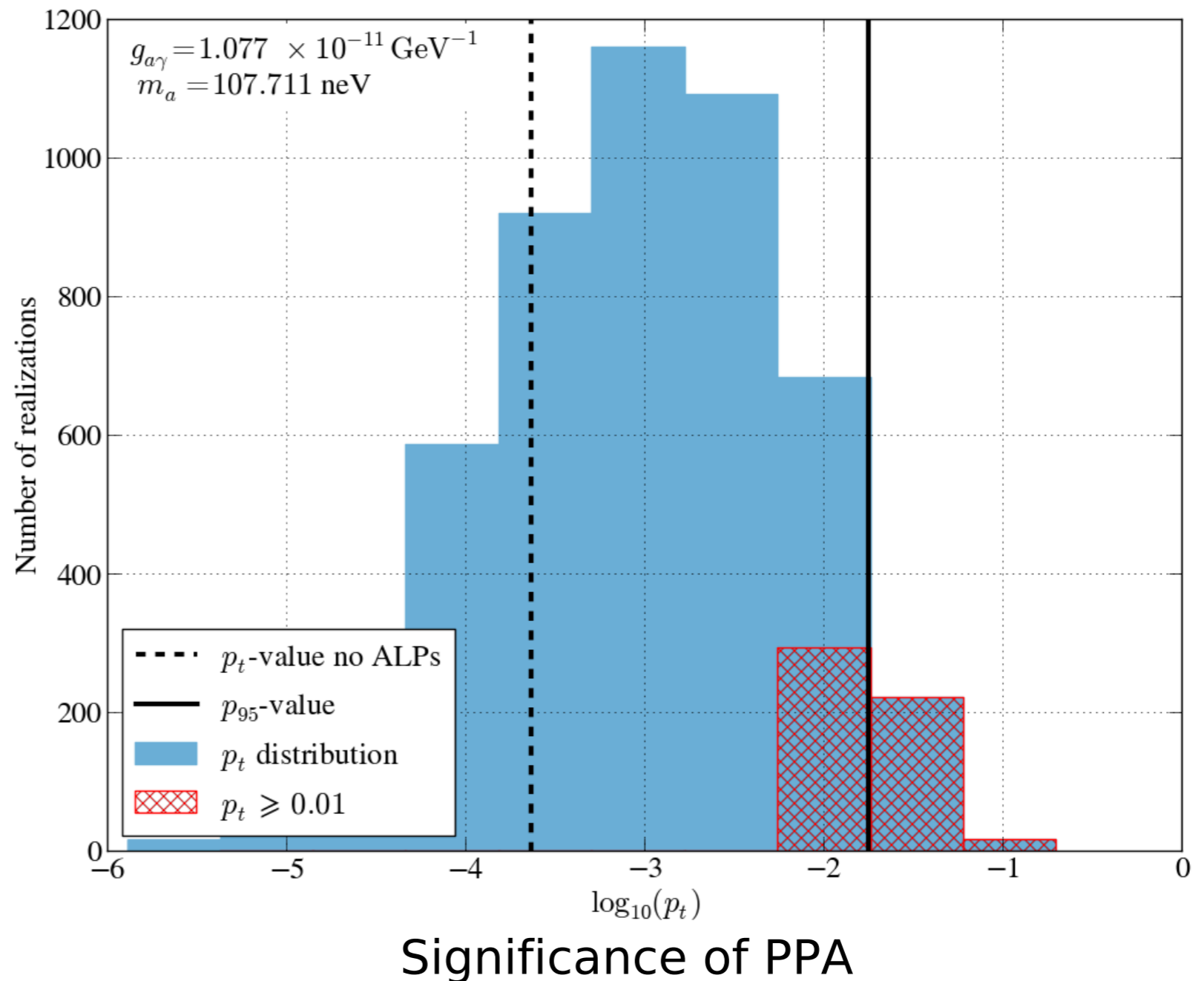


➔ Better accordance between model and data

[MM, Horns, Raue 2013]

Definition of lower limit on $g_{a\gamma}$

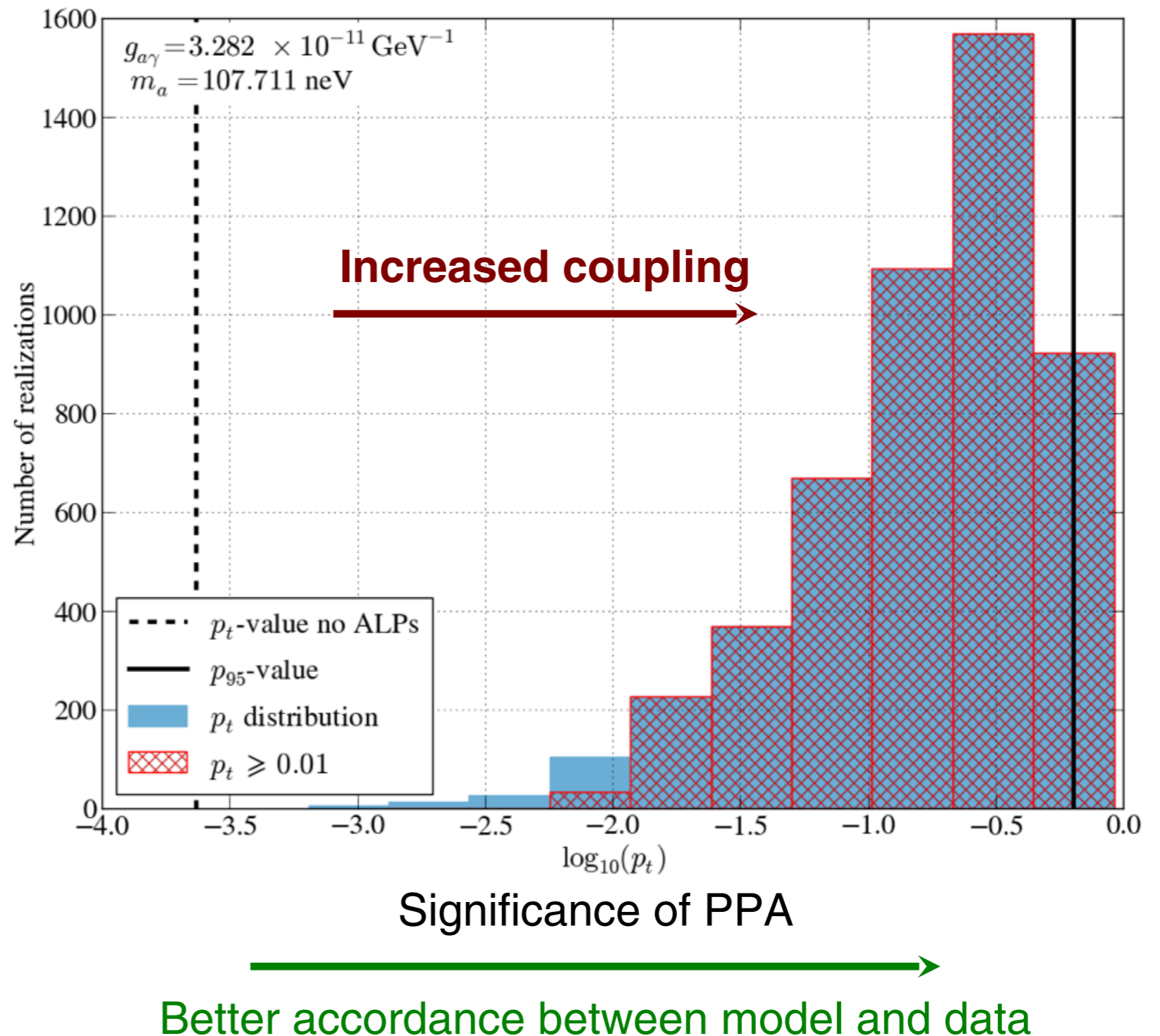
- Example: calculate 5000 random B -field realizations in *optimistic ICMF* scenario for one $(m_a, g_{a\gamma})$ pair
- Demand **accordance** between model and data of $p_t > 0.01$
- Demand that **at least 5% of all realizations result in $p_t > 0.01$** (p_{95} -value)



➔
Better accordance between model and data

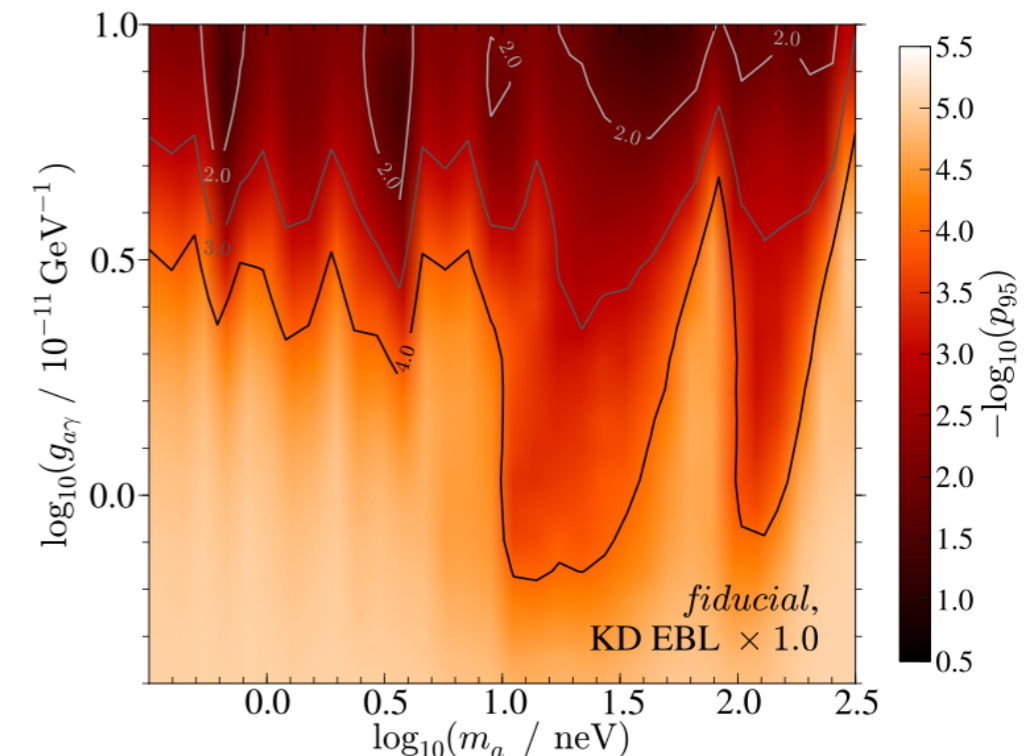
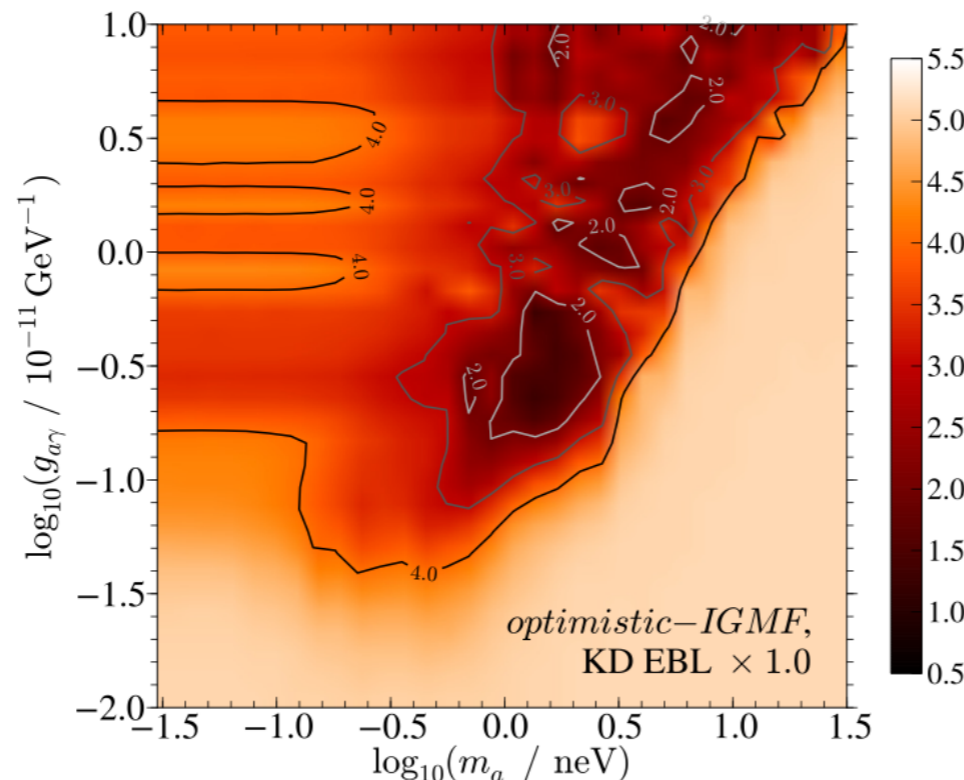
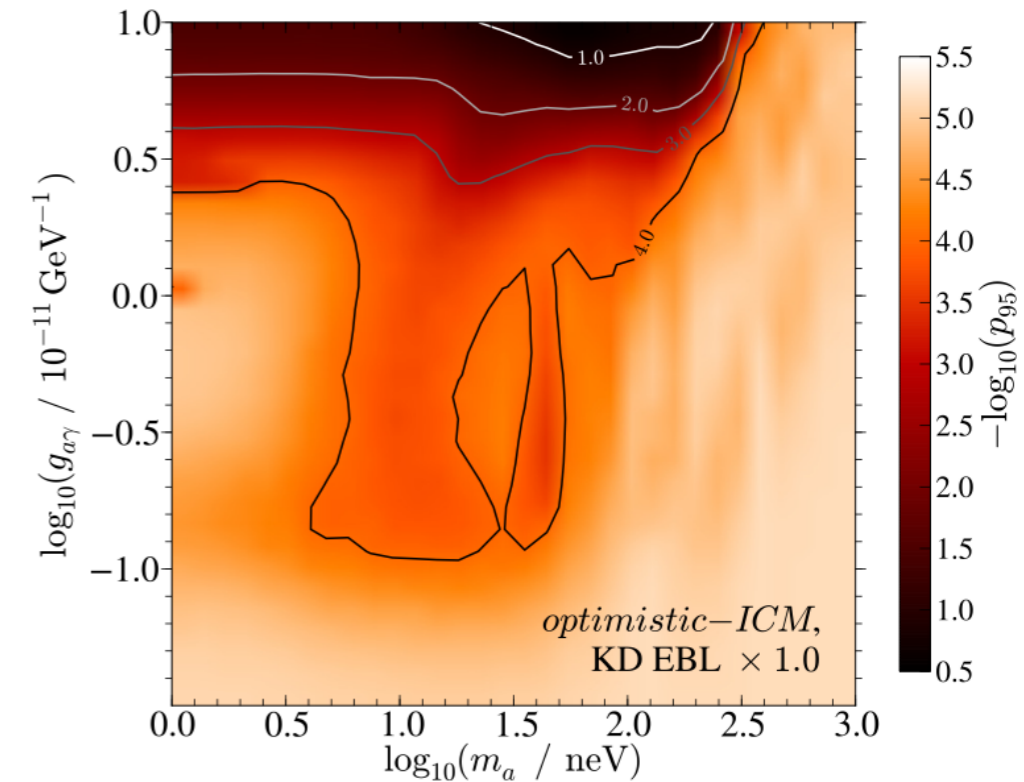
Definition of lower limit on $g_{a\gamma}$

- Example: calculate 5000 random B -field realizations in *optimistic ICMF* scenario for one $(m_a, g_{a\gamma})$ pair
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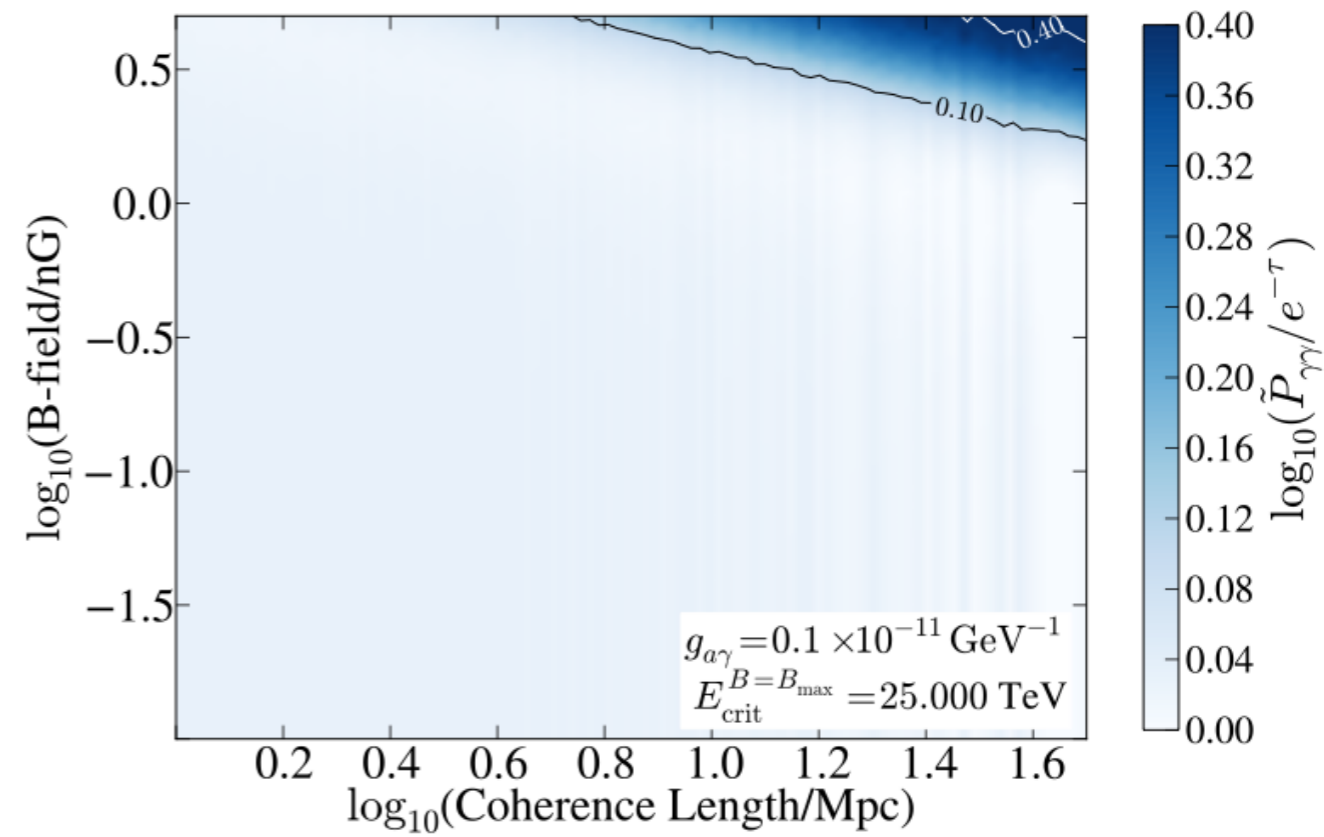
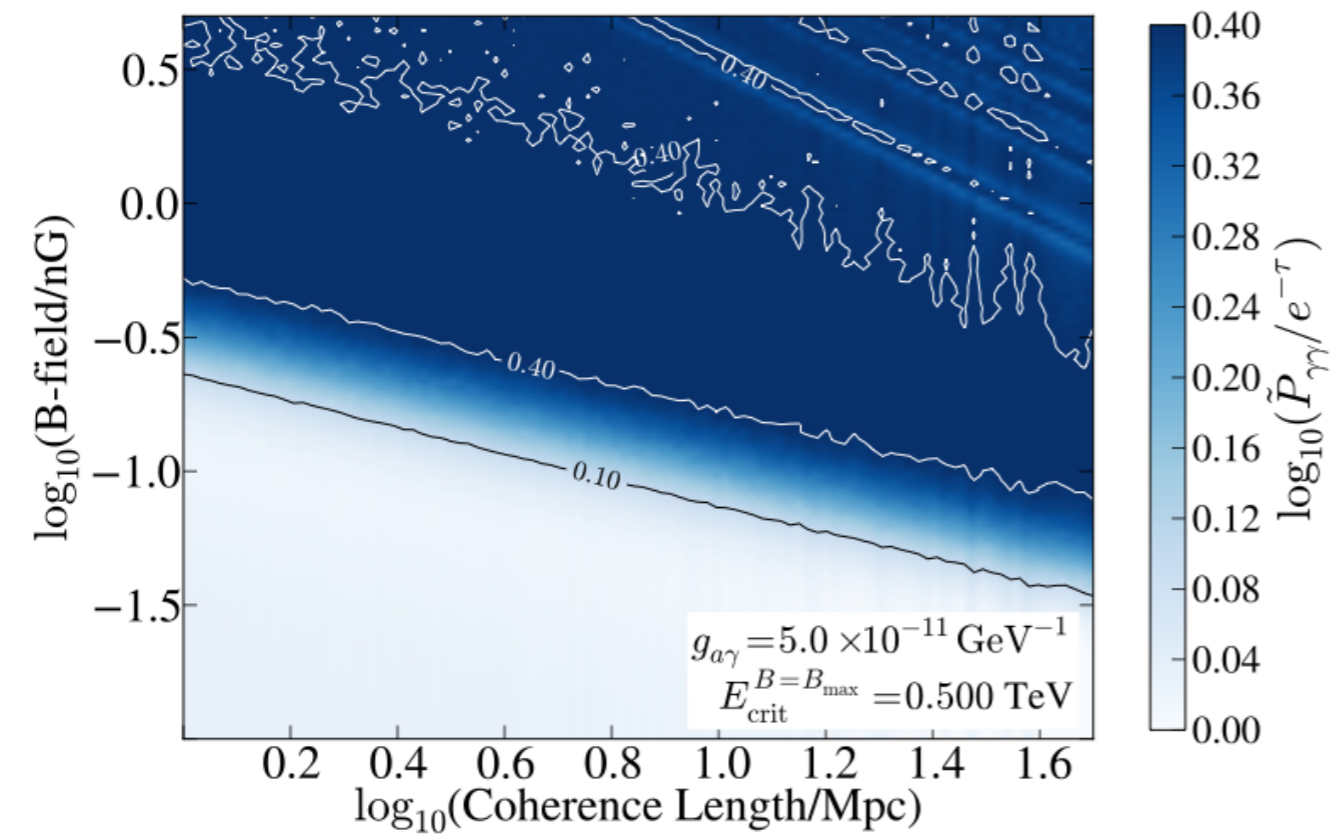


Lower limits on $g_{a\gamma}$ for EBL model of Kneiske & Dole (2010)

- Lower limits for KD model more stringent than in FRV case
- Reason: Significance of PPA higher w/o ALPs than in FRV case
- For same level of improvement as in FRV case: use 4.0 contour line

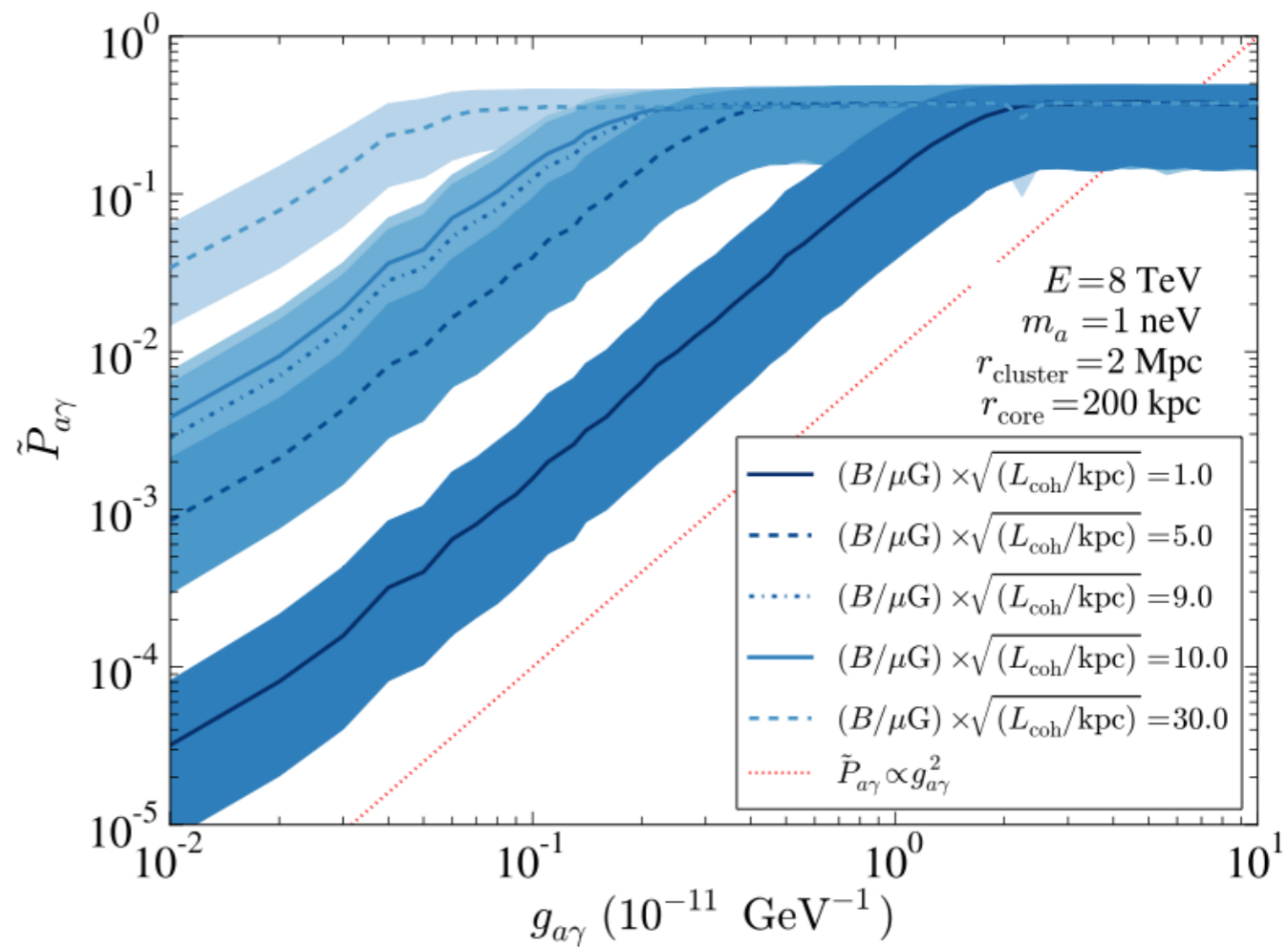
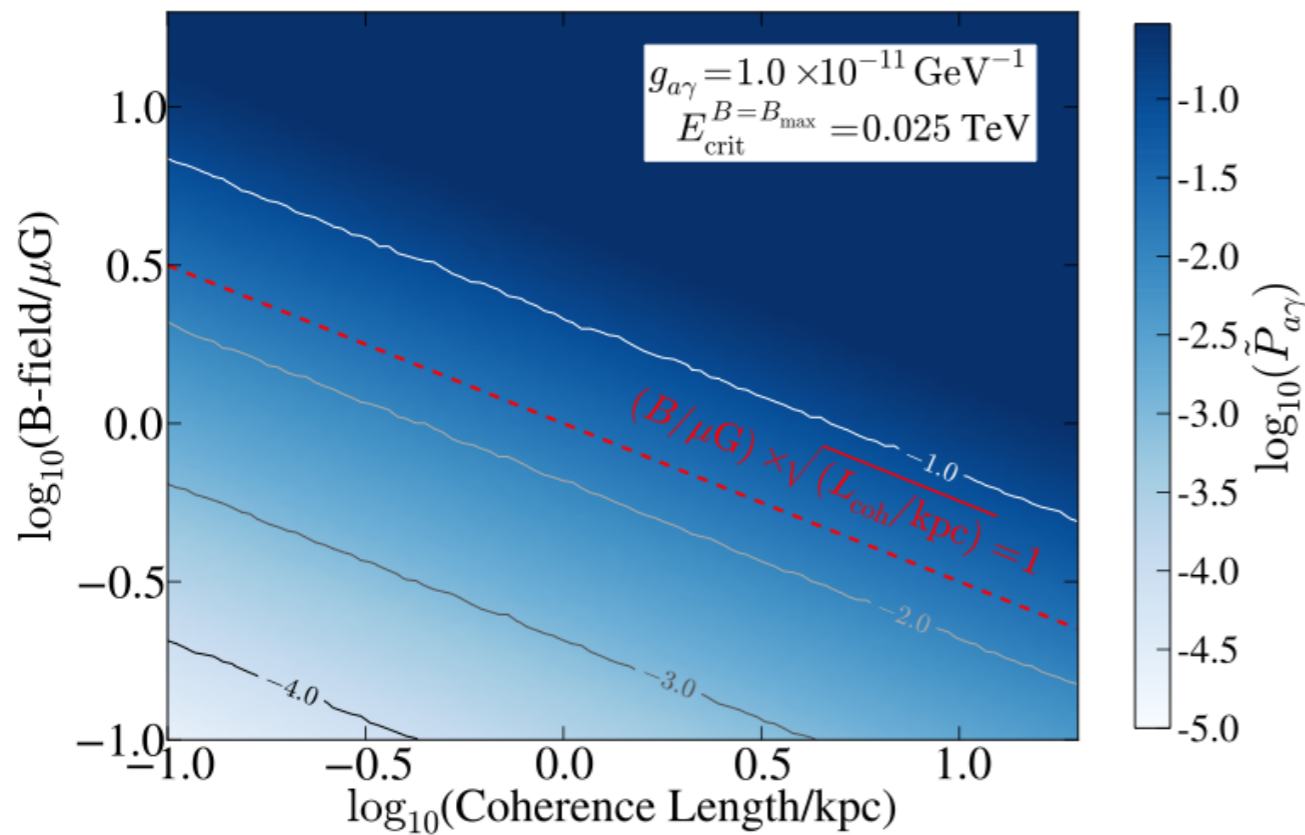


Determination of optimistic B -field values



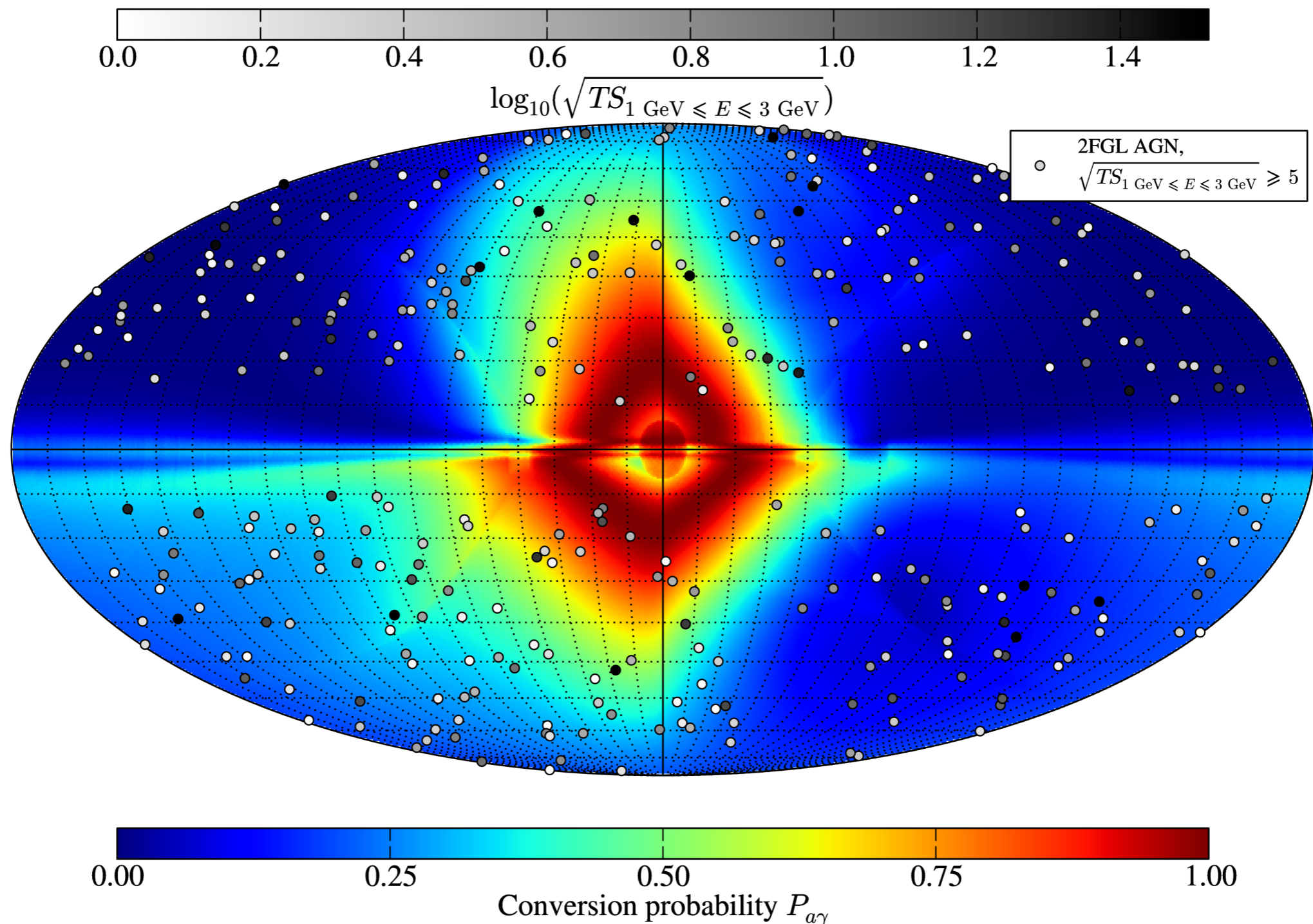
[MM, Horns, Raue 2013]

Determination of optimistic B -field values

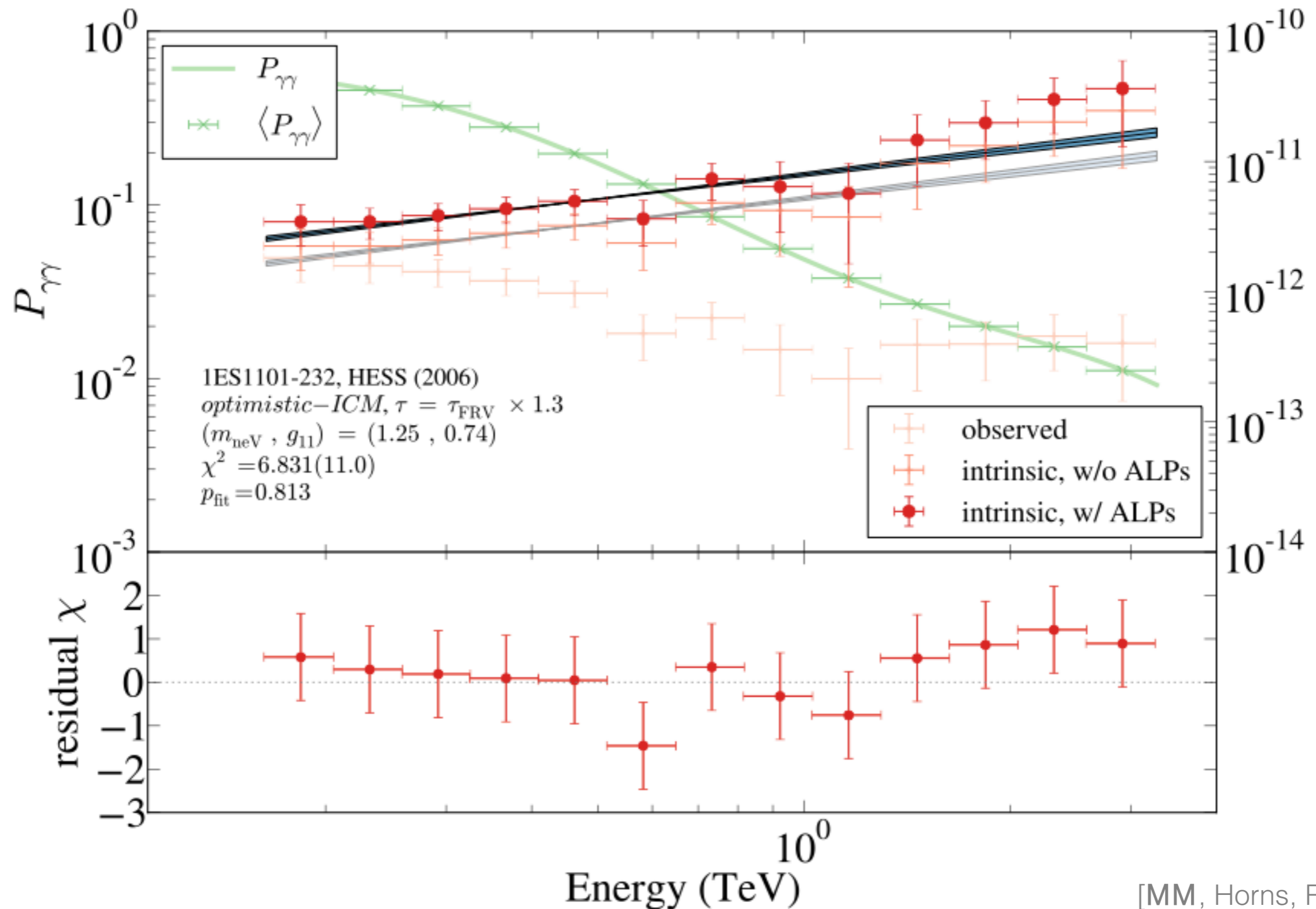


Galactic magnetic field

pure ALP beam in strong mixing regime, with ALP mass $m_a = 1$ neV
GMF model (regular component) by **Jansson & Farrar, (2012)**

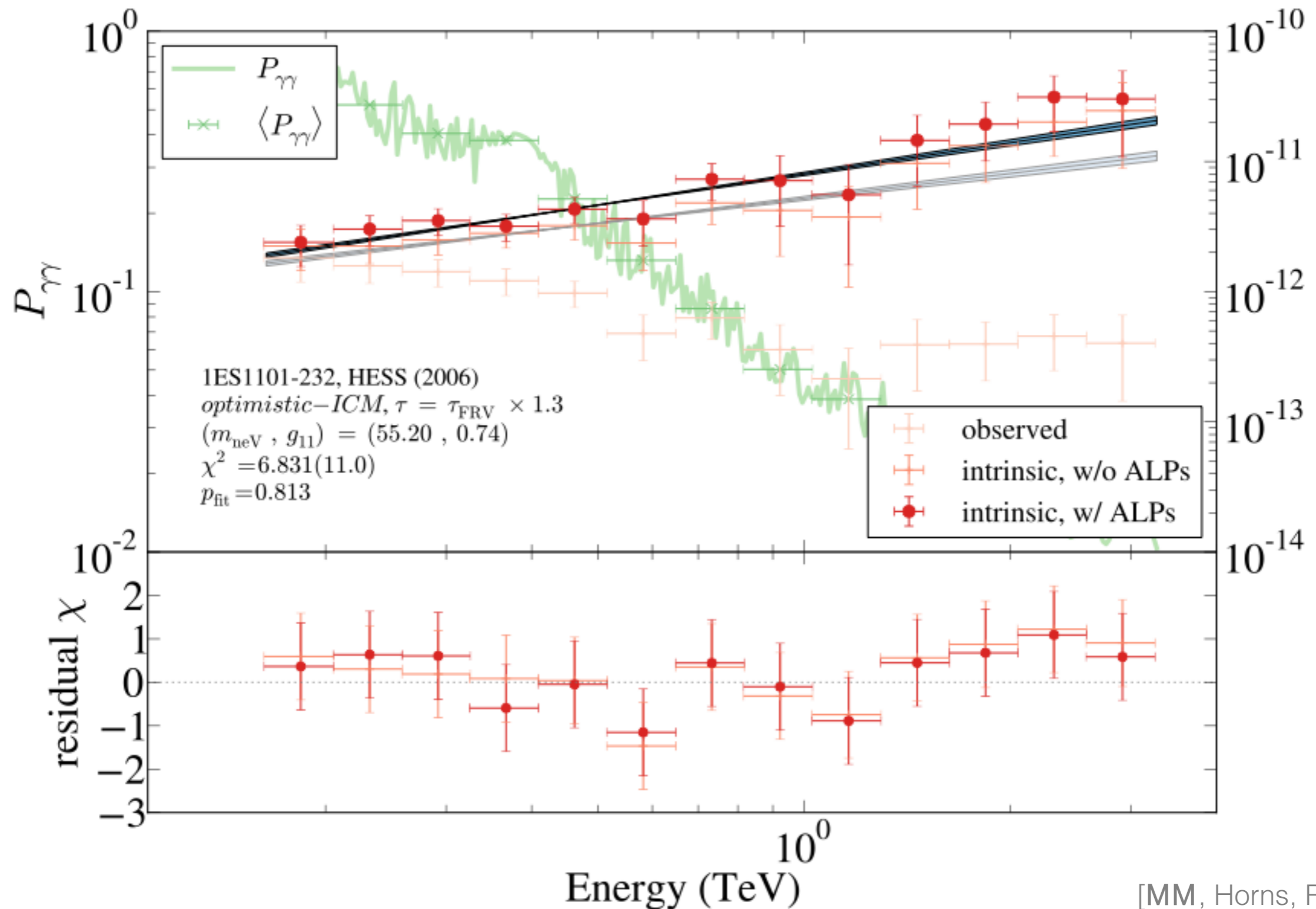


Features in lower limits on $g_{a\gamma}$



[MM, Horns, Raue 2013]

Features in lower limits on $g_{a\gamma}$

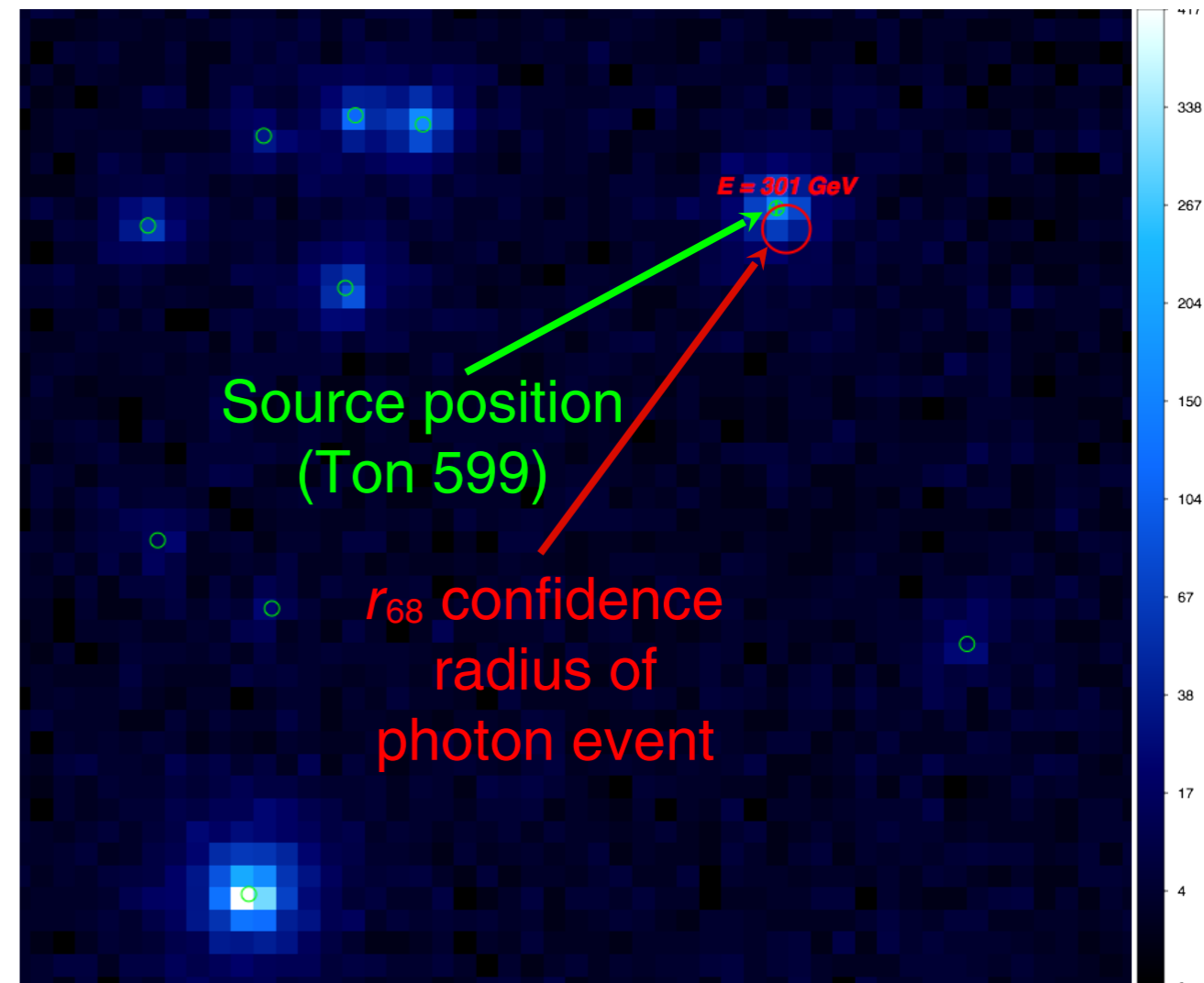


Indications for low opacity in Fermi-LAT data

Search for PPA in *Fermi*-LAT data

- **Associate photons** detected within first 4.3 years of *Fermi*-LAT **with AGN** listed in 2FGL with known redshift
- Photon associated if angular separation $< 68\%$ confidence radius of point spread function (r_{68})
- Consider only photons with $E > 10$ GeV outside galactic plane ($b > 10^\circ$) from “ULTRACLEAN” sample
- For each associated photon, **calculate optical depth**

[Horns & MM, 2013; MM, PhD thesis 2013 – Disclaimer: analysis conducted *before* joining the *Fermi*-LAT collaboration]



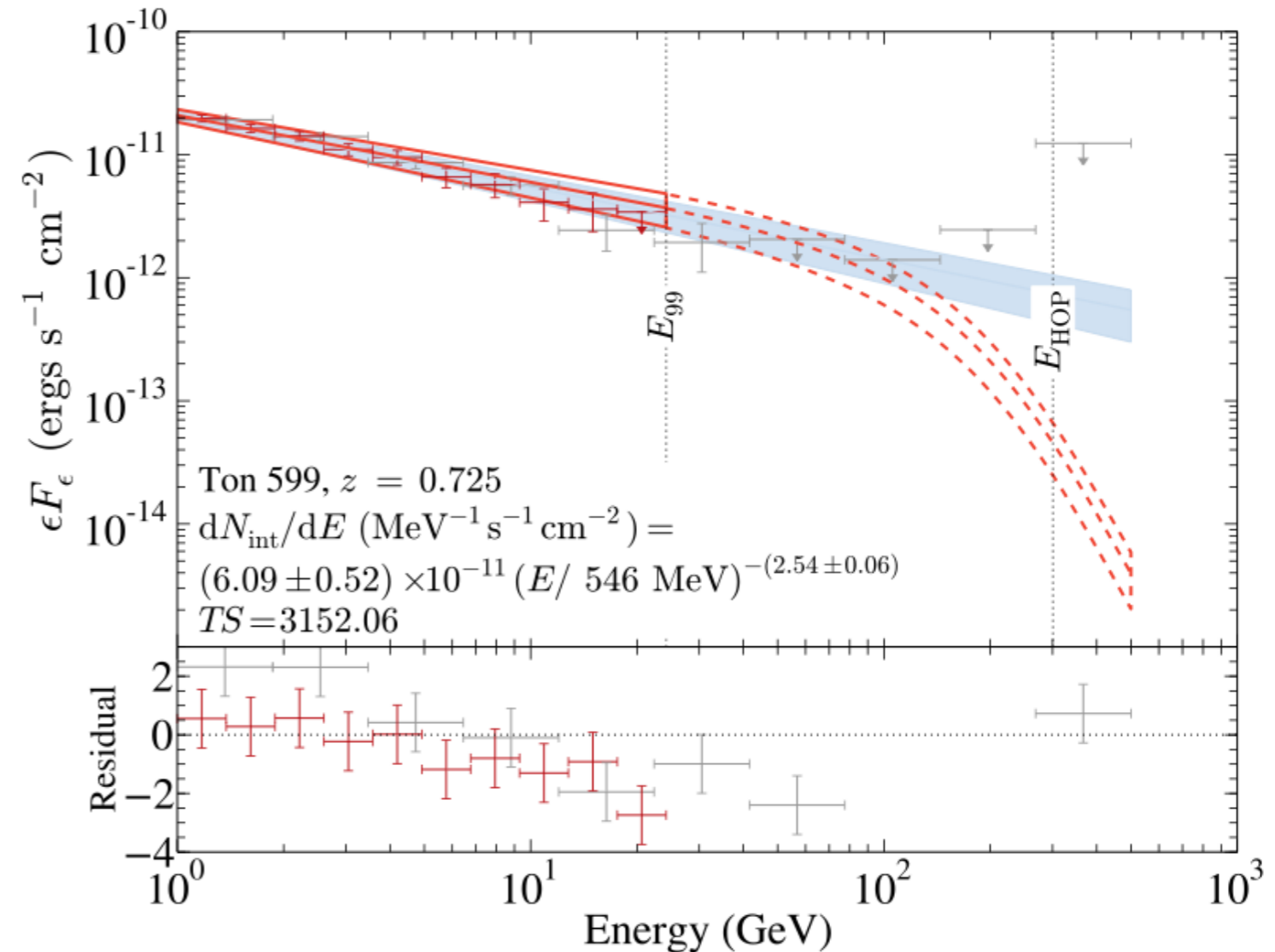
Fermi-LAT counts map with $E > 10$ GeV and 2FGL source positions

Assess probability to observe the HOP

[Horns and MM 2013, see also MM, PhD thesis 2013 – Disclaimer: analysis conducted *before* joining the *Fermi*-LAT collaboration]

- For each associated photon, **fit power law to intrinsic spectrum**
- **Extrapolate spectrum, assume EBL model**
- Calculate **expected number of source photons**, λ_{pred} , and **background photons** λ_{bkg}
- **Probability** to observe at least number of detected photons $n_{0,i}$ of source i :

$$p_i \equiv p(n \geq n_{0,i}) = 1 - \sum_{k=0}^{n_{0,i}-1} \frac{\lambda_i^k}{k!} \exp(-\lambda_i) \quad \lambda_i = \lambda_{i,\text{pred}} + \lambda_{i,\text{bkg}}$$

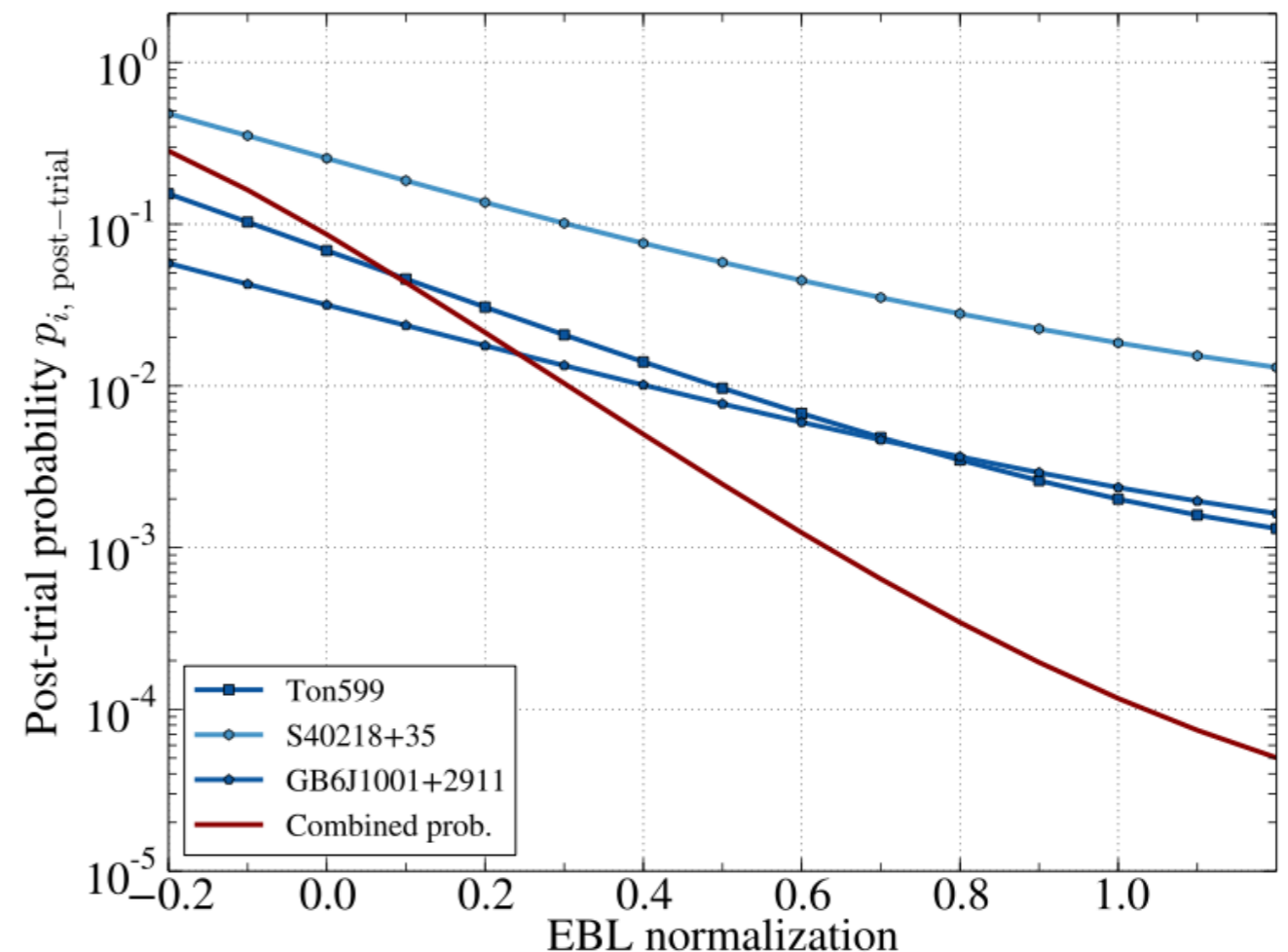


Combine probabilities from all AGN

- Each source: **independent hypothesis test**
- Include only sources for which **photon is associated with 90% confidence**
- combine probabilities using Fisher's method [Fisher, 1925]
- **Tested various systematics** (energy resolution, different intrinsic spectra, different background estimation, etc.)
- Account for **multi-trial factors**
- Result: **probability to observe detected photons for $\alpha = 1$:**

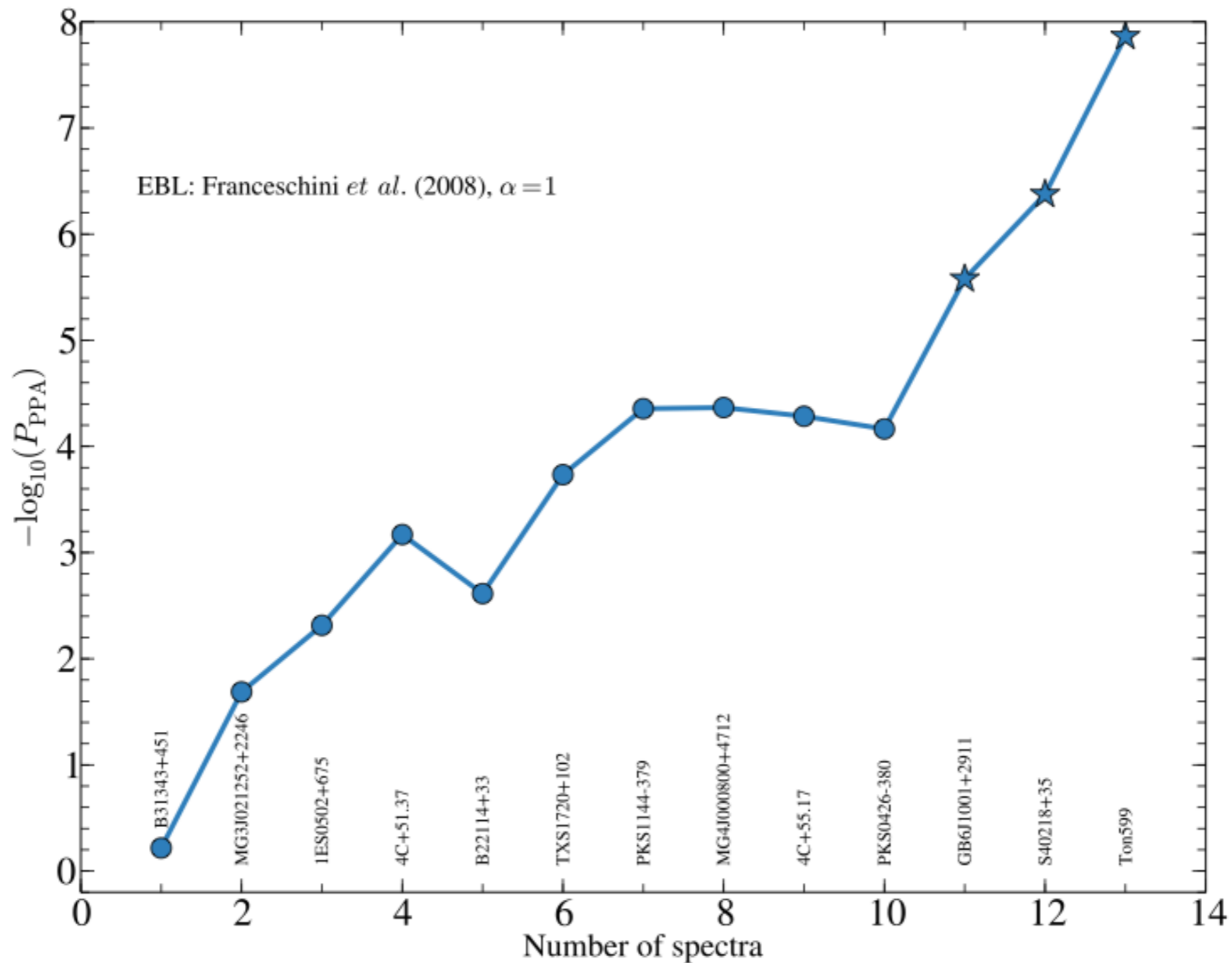
- $P_{\text{PPA, post-trial}} = 0.06$ ($\tau_{\gamma} \geq 1$)

- $P_{\text{PPA, post-trial}} = 1.2 \times 10^{-4}$ ($\tau_{\gamma} \geq 2$)



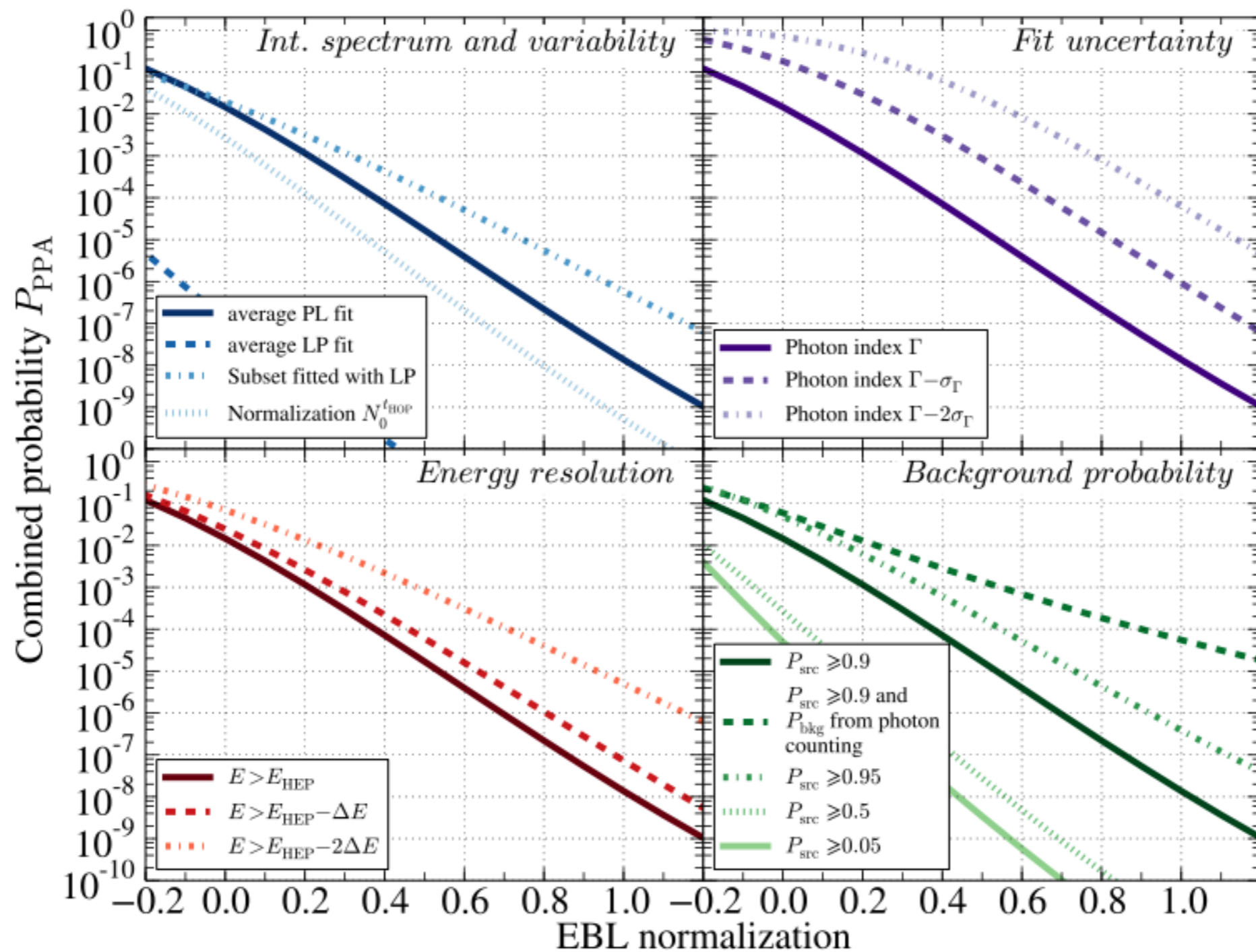
[Horns and MM 2013, see also MM, PhD thesis 2013 – Disclaimer: analysis conducted *before* joining the *Fermi*-LAT collaboration]

Cumulative significance for *Fermi*-LAT analysis



[MM, PhD thesis 2013 – Disclaimer: analysis conducted *before* joining the *Fermi*-LAT collaboration]

Cross check for *Fermi*-LAT analysis



[MM, PhD thesis 2013 – Disclaimer: analysis conducted *before* joining the *Fermi*-LAT collaboration]

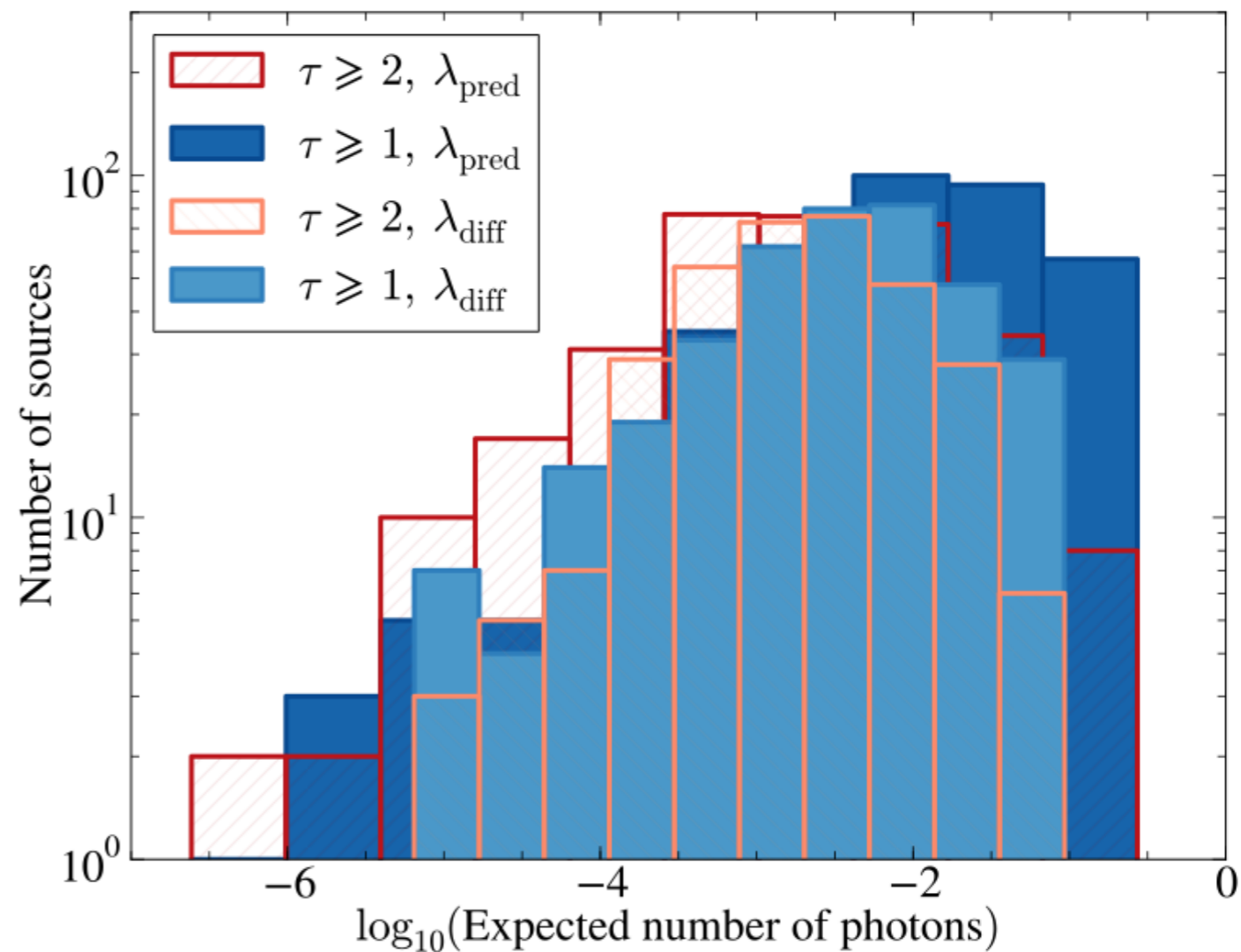
Cross check for *Fermi*-LAT analysis

Cross check	$P_{\text{PPA}}(\alpha = 1; \tau_{\gamma\gamma} \geq 1)$		$P_{\text{PPA}}(\alpha = 1; \tau_{\gamma\gamma} \geq 2)$	
<i>fiducial</i> ^a	1.37×10^{-8}	5.56σ	6.57×10^{-6}	4.36σ
<i>Intrinsic spectrum and spectral hardening</i>				
LP all spectra	5.30×10^{-14}	7.43σ	9.69×10^{-7}	4.76σ
LP for $TS_{\text{fit}} > 8$	5.12×10^{-10}	6.12σ
Intrinsic index $\Gamma - \sigma_{\Gamma}$	9.21×10^{-7}	4.77σ	1.85×10^{-5}	4.16σ
Intrinsic index $\Gamma - 2\sigma_{\Gamma}$	6.21×10^{-5}	3.84σ	6.08×10^{-5}	3.84σ
Normalization N_0^{HOP}	5.81×10^{-7}	4.86σ	5.15×10^{-6}	4.41σ
<i>Energy resolution</i>				
$E_{\text{HOP}} - \Delta E$	7.32×10^{-8}	5.26σ	3.34×10^{-5}	3.99σ
$E_{\text{HOP}} - 2\Delta E$	4.96×10^{-6}	4.42σ	1.91×10^{-4}	3.55σ
<i>Source probability $P_{\text{src}}(\alpha = 0)$ and number of background photons</i>				
$P_{\text{src}} = 0.95$	3.84×10^{-7}	4.94σ	2.62×10^{-4}	3.47σ
$P_{\text{src}} = 0.5$	7.50×10^{-12}	6.75σ	6.96×10^{-7}	4.83σ
$P_{\text{src}} = 0.05$	8.65×10^{-13}	7.06σ	7.69×10^{-8}	5.24σ
λ_{all}	5.54×10^{-5}	3.87σ	8.13×10^{-4}	3.15σ
<i>EBL models</i>				
KD model	5.06×10^{-9}	5.73σ	7.75×10^{-6}	4.32σ
Domínguez <i>et al.</i> (2011)	1.27×10^{-8}	5.57σ	5.90×10^{-6}	4.38σ
Inoue <i>et al.</i> (2012)	1.34×10^{-8}	5.56σ	2.41×10^{-5}	4.06σ
<i>Trial factors</i>				
Including trials	0.06	1.57σ	1.17×10^{-4}	3.68σ

[MM, PhD thesis 2013 – Disclaimer: analysis conducted **before** joining the *Fermi*-LAT collaboration]

Including all *Fermi*-LAT detected AGN in opacity analysis

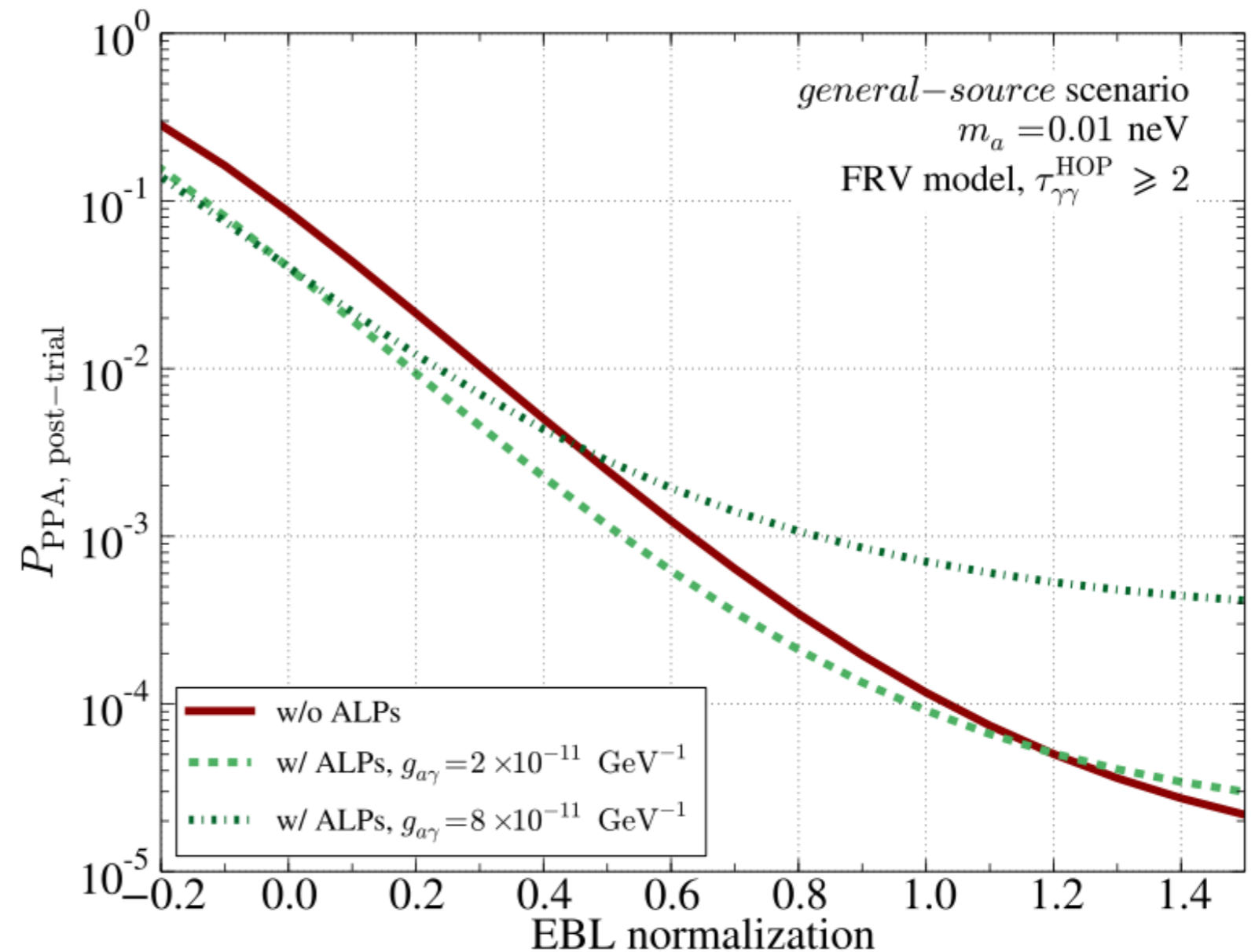
- Fermi-LAT: all-sky instrument, 2FGL lists ~ 400 AGN with sufficient redshift to potentially emit $\tau_{\gamma} \geq 1$ ($\tau_{\gamma} \geq 2$) photon
- If analysis is repeated with all sources that are firmly detected with Fermi-LAT, in total, 25 (3.5) photons are expected for $\tau_{\gamma} \geq 1$ ($\tau_{\gamma} \geq 2$) (*Fermi*-LAT not sensitive enough?)
- If instead of a power law, a log parabola is assumed as intrinsic spectrum, only 9 (1) photons are expected for $\tau_{\gamma} \geq 1$ ($\tau_{\gamma} \geq 2$)
- Numbers dominated by a few bright sources
- *Pass 8*: maybe more definite answer



[MM, PhD thesis 2013 – Disclaimer: analysis conducted *before* joining the *Fermi*-LAT collaboration]

Expected number of photons measured with *Fermi*-LAT including ALPs

- Calculate expected number of high optical depth photons including ALPs
- Compare with number of observed photons with *Fermi*-LAT
- ALPs improve situation



[MM, PhD thesis 2013 – Disclaimer: analysis conducted *before* joining the *Fermi*-LAT collaboration]