

# Spectral Signatures of Early Galaxy Formation

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# Audience Participation Game



Answer the question...

...get me off the stage!

and go home early...

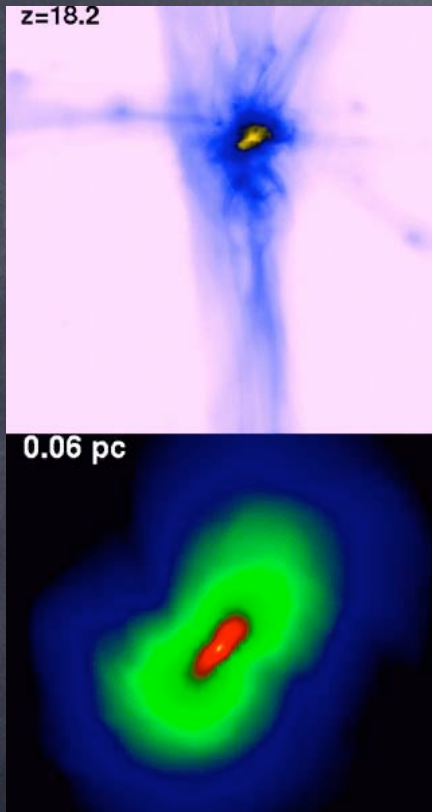
The \$64,000 question is...



How do we know  
**EMPIRICALLY**  
that the early  
universe was truly  
metal-free?

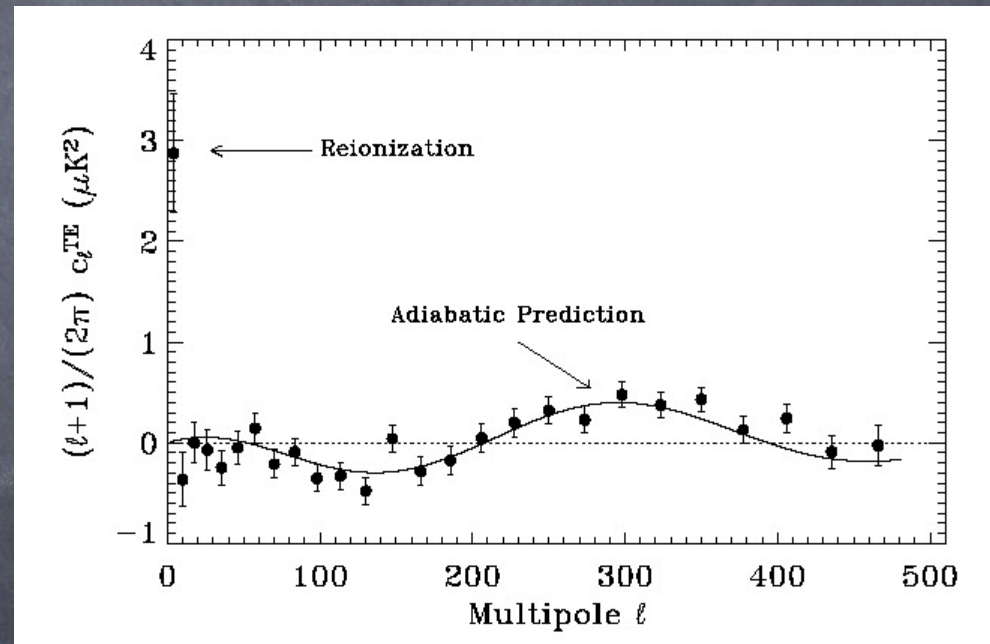
it's just an article of faith...

# What if Nature was playing head-games with us?



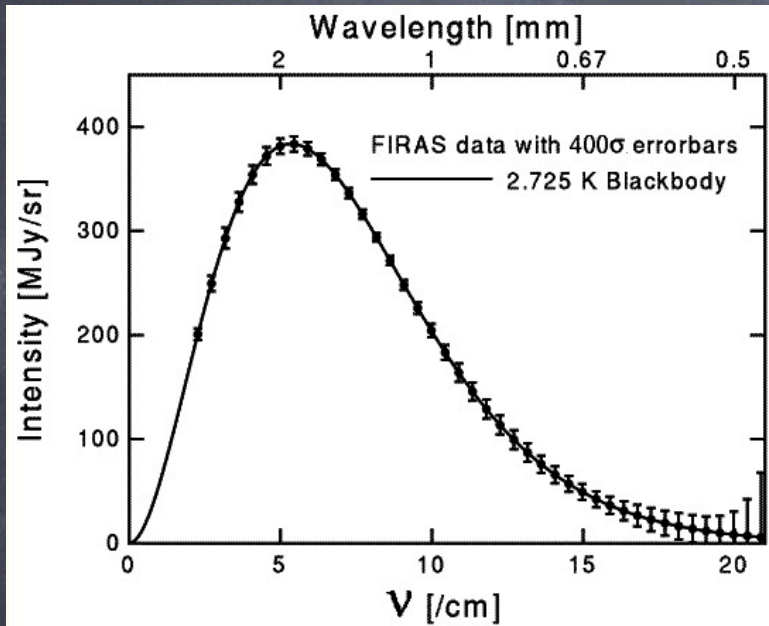
Lay waste to years of careful work on metal-free chemistry and star formation!

Easily explain high WMAP tau!



Make enemies! Impress friends and family!

# How would CMB change?

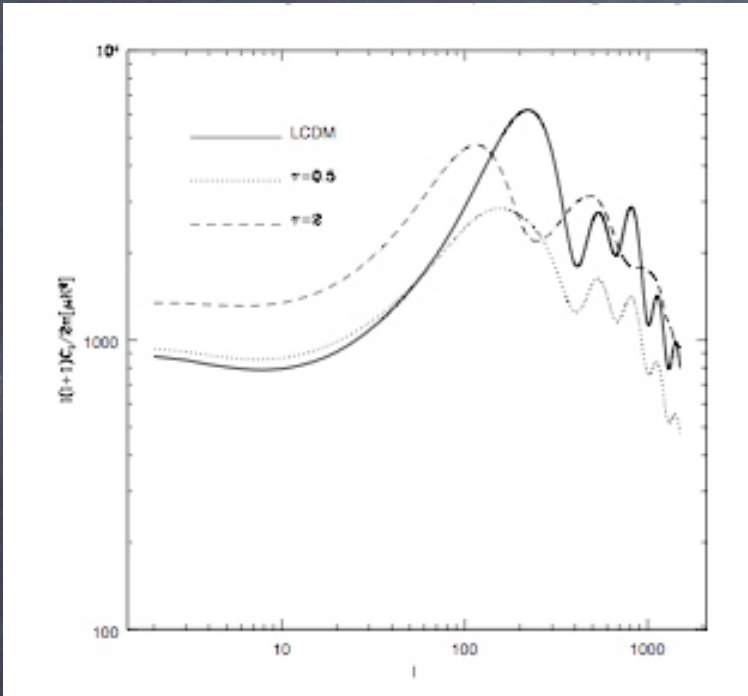


No net **spectral** distortion of CMB (it's all in LTE!)

So either:

- 1) Rescattering of CMB anistropies
- 2) Change recombination history

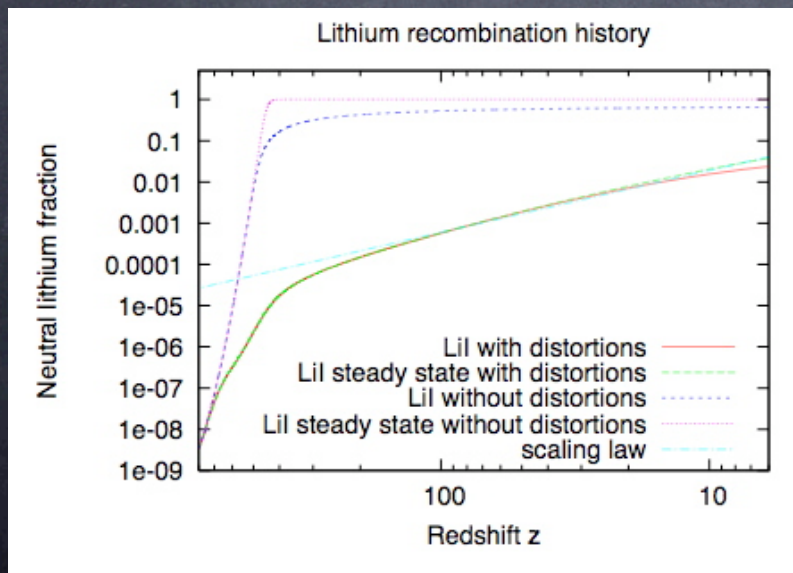
# New anisotropies?



E.g. Lithium rescattering  
(Loeb 2001, Zaldarriaga & Loeb 2002)

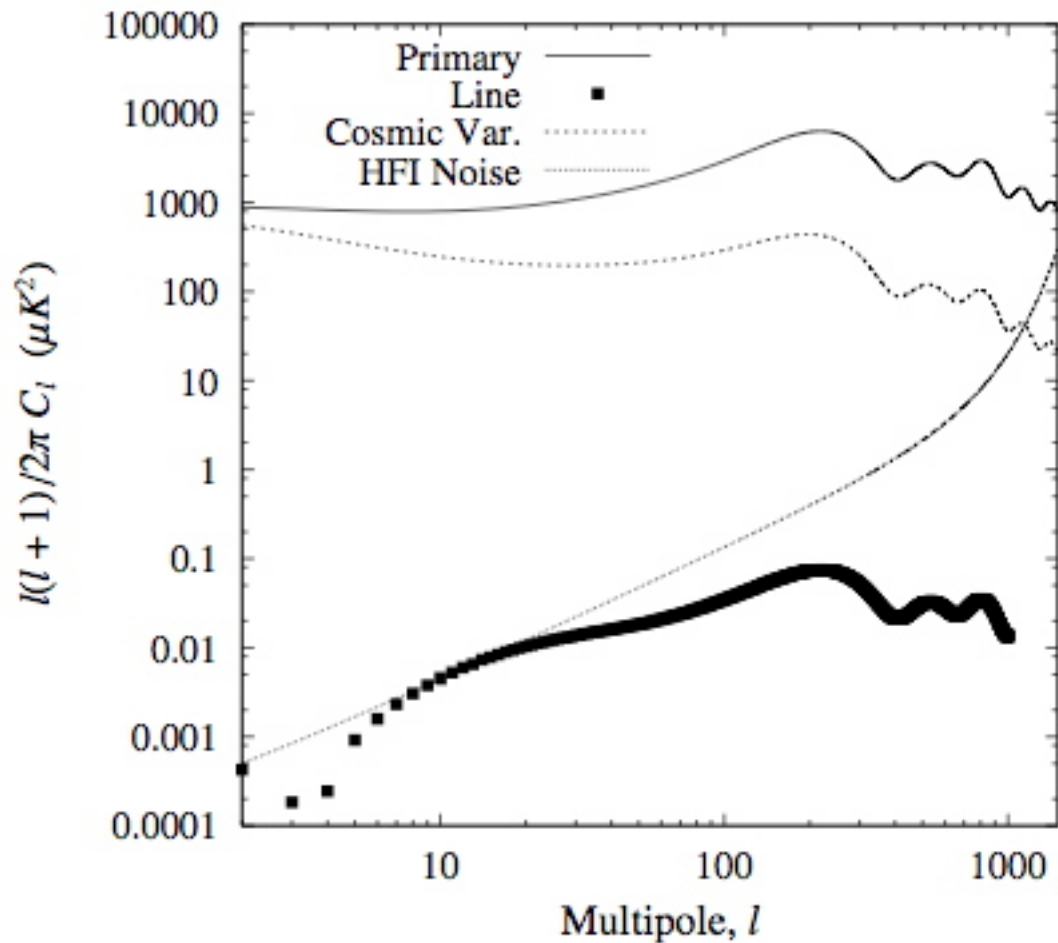
but:

- 1) Other elements (e.g. C, Si, O) don't have such low freq lines
- 2) actually, doesn't work for Li either



Ly-alpha from H recombinations  
keeps Li ionized

Switzer & Hirata 2005



can try to look for fine structure lines...

but this is a very small signal

many foreground issues

Basu et al 2004

# Change recombination history?

CMB is not pure BB...there's a Ly-alpha "bump" which delays recombination

Can "get rid" of this by having Ly-alpha photons photo-ionize metals

Or via charge-exchange reactions w/ OI

Can only constrain abundance of metals to 1 part in  $10^4$ !



basic reason:

rate at which destroy Ly-alpha photons = ionization  
rate = recombination rate

Rate at which ly-alpha photons produced given by  
ionized H fraction =  $1.e^{-4}$  at end of recombination  
so only an appreciable effect for large amount of  
metals...

Any ideas, email me!

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Smoke and Mirrors:  
Ly-alpha Radiative  
Transfer in a Dusty,  
Multi-phase Medium

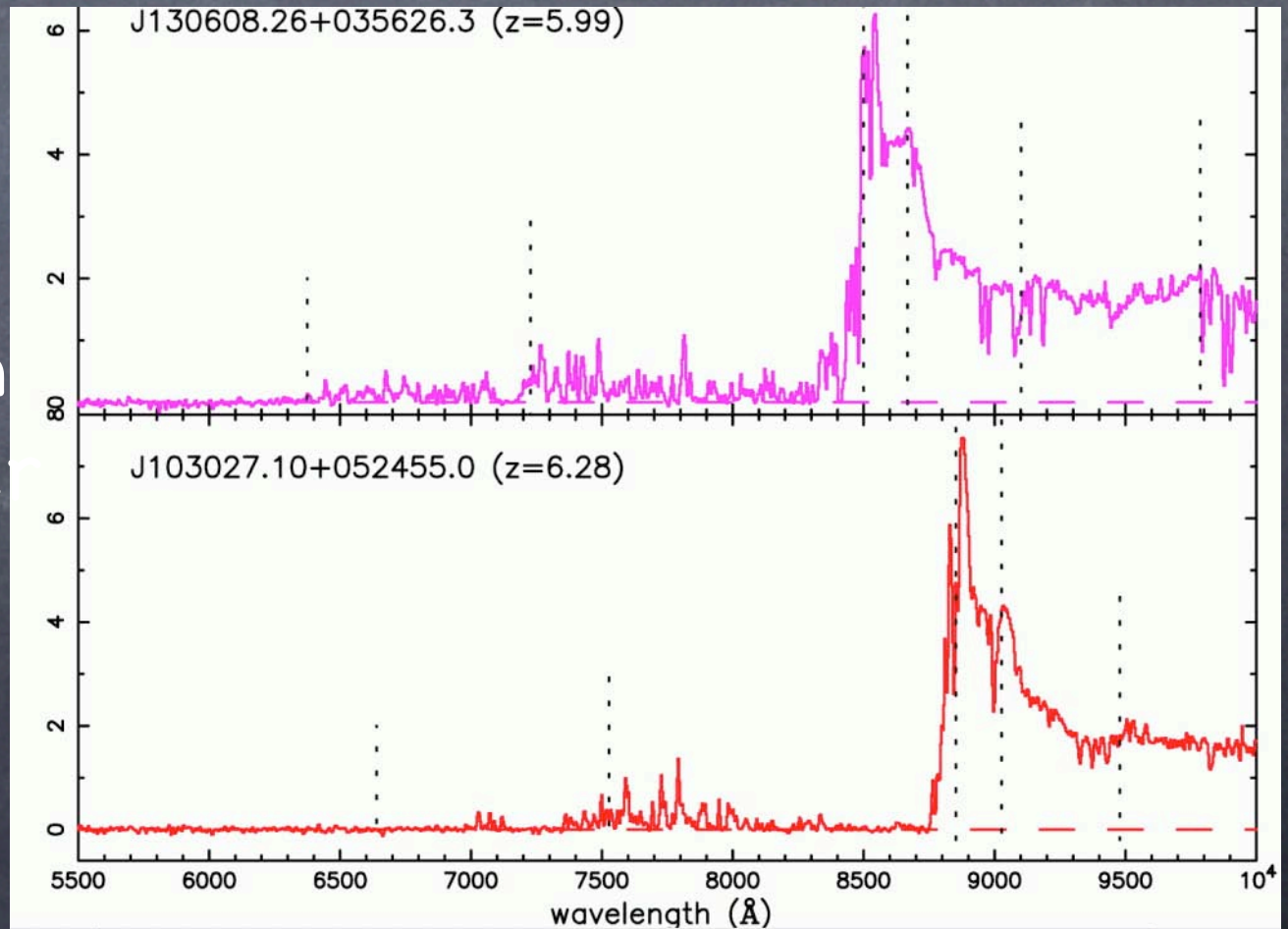
Hansen & Oh (2005)

astro-ph/0507586

# Ly-alpha is often our ONLY probe of high-z galaxies/QSOs....

Look at line:

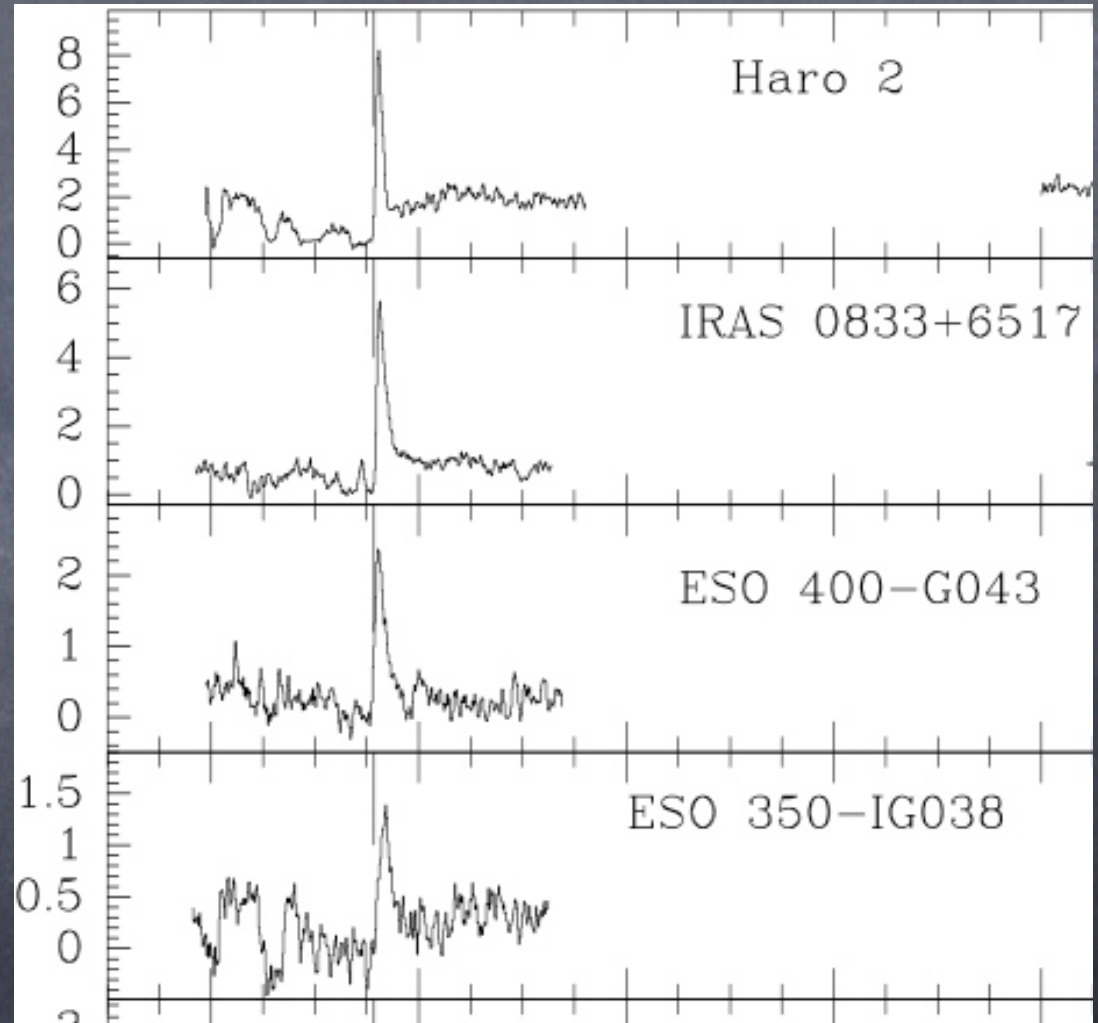
1. Shape
2. Equivalent width
3. Offset from other lines



Becker et al 2001

...and is used to infer  
winds

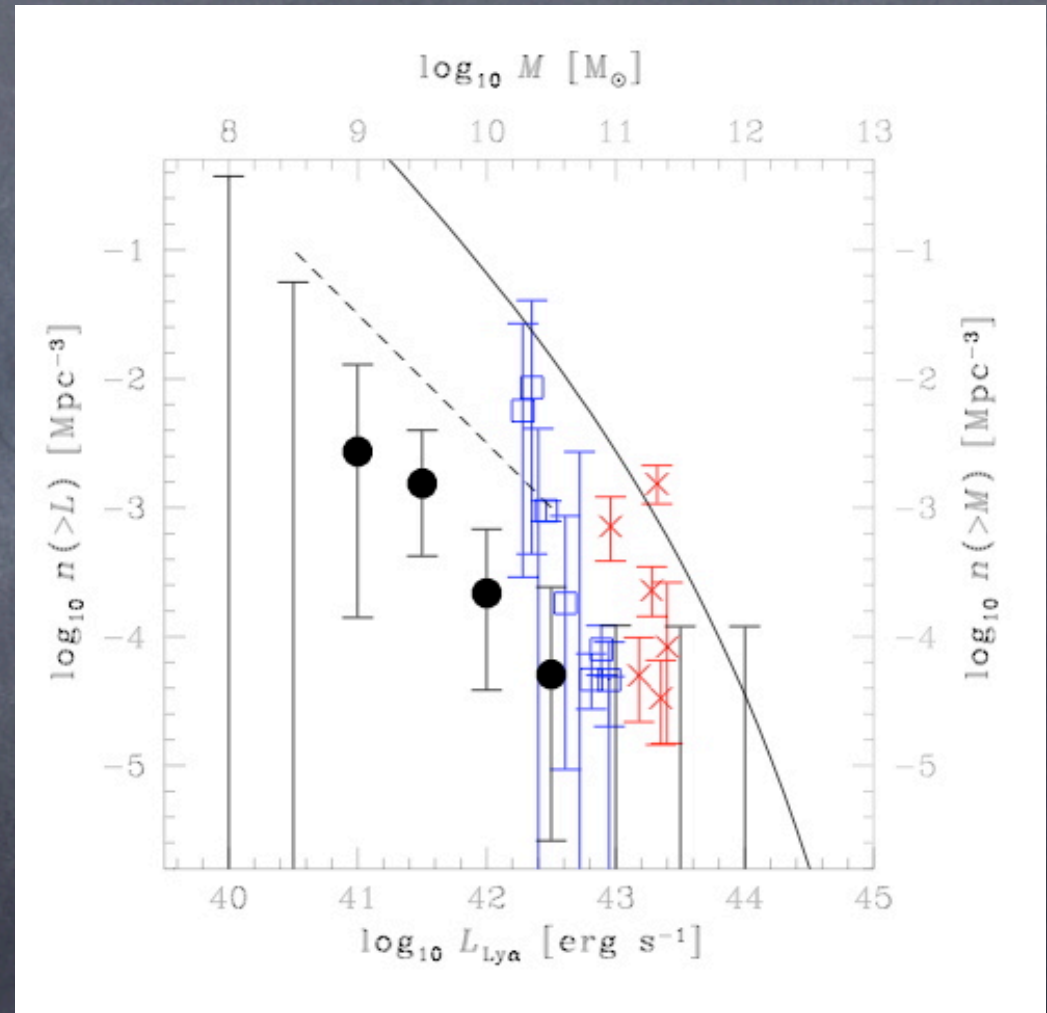
P Cygni profiles  
Offset wrt other  
metal lines



Kunth et al 1998

...constrain the epoch of reionization...

Low luminosity tail should be suppressed after reionization



...and much more...

Santos et al 2004

# Isn't this a solved problem?

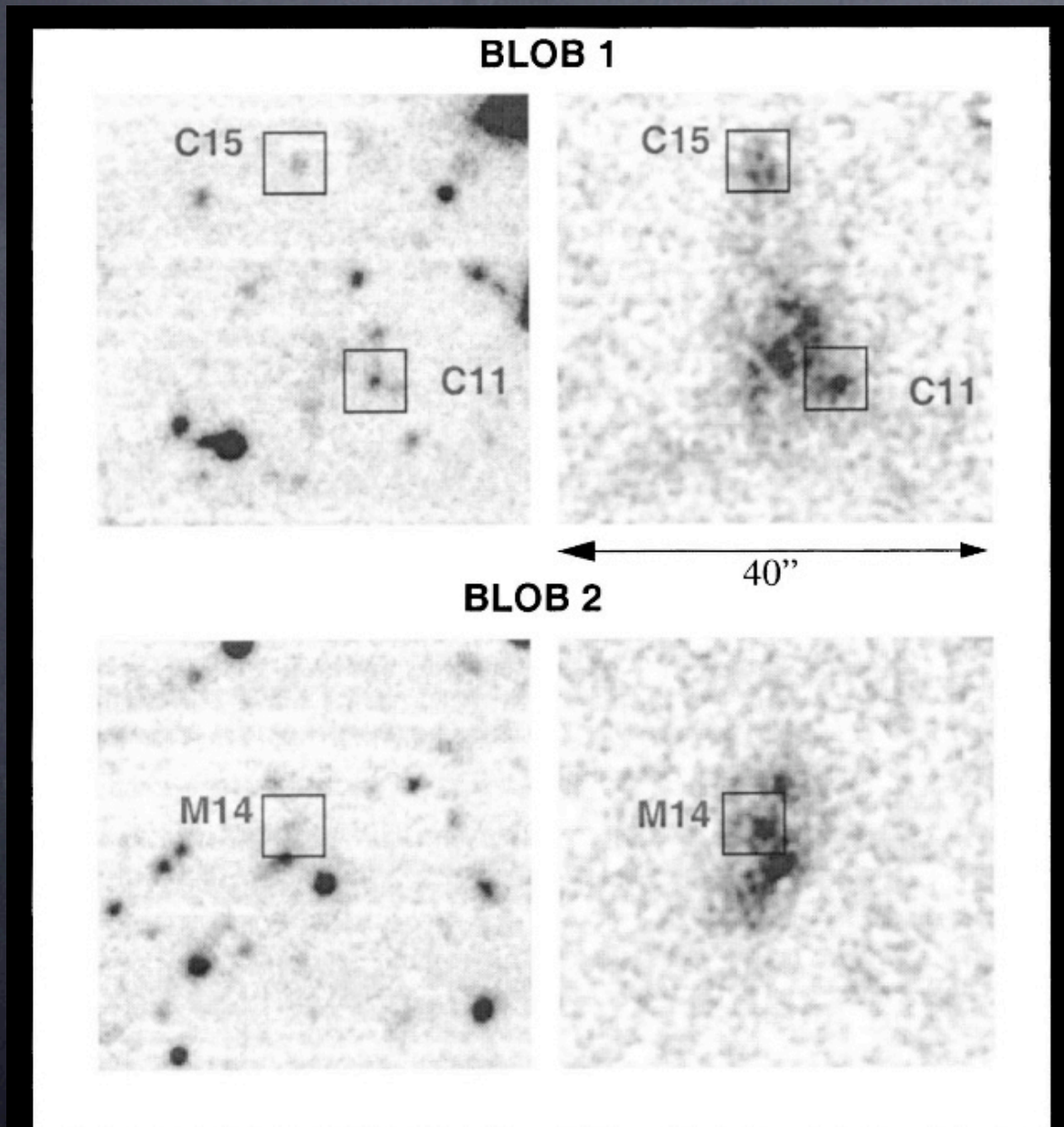
Many, many classic papers on Ly-alpha transfer...

How often are complications modelled?

1. Kinematics ---Yes
2. Dust --- Sometimes
3. Multi-phase structure --No

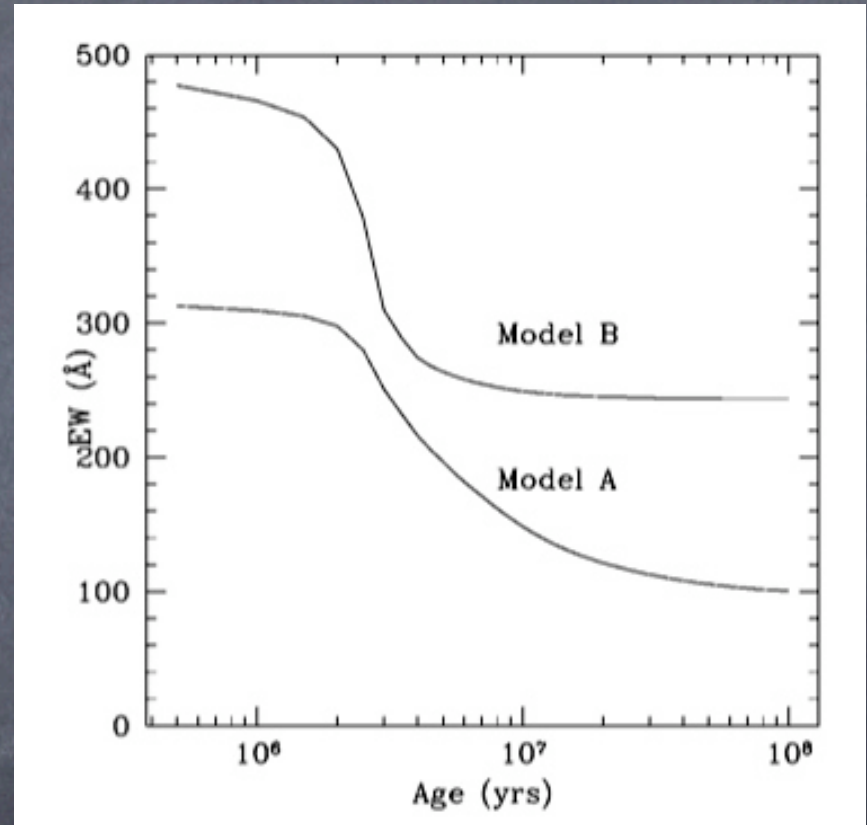
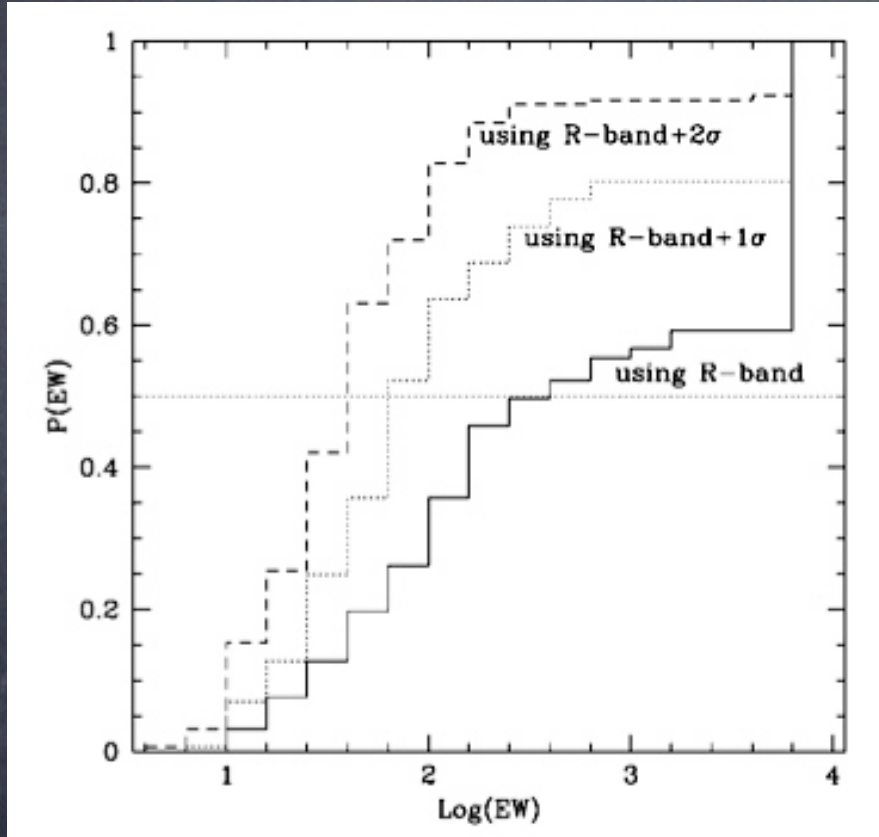
Why should we care?

# What's going on here?



Steidel et al (2000)

# Are these really Pop III stars at high-z??

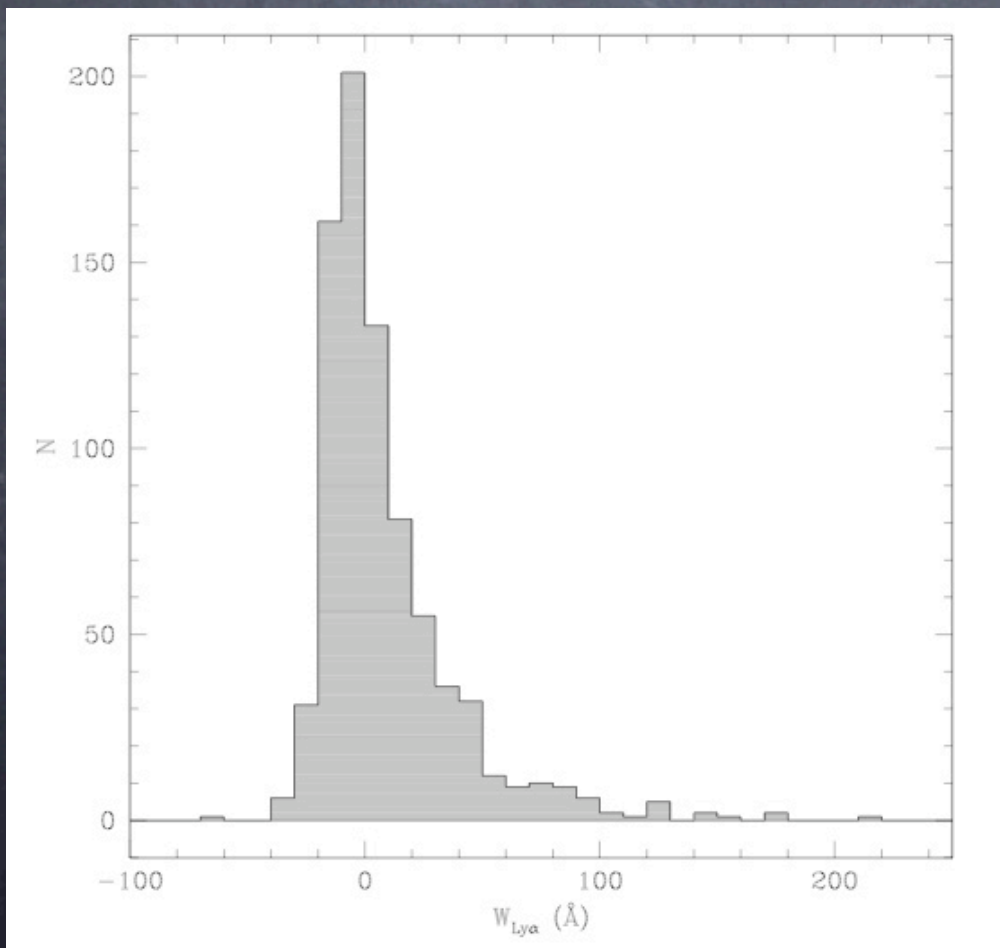


Malhotra & Rhoads 2002

> 60% of sources have  $\text{EW} > 240 \text{\AA}$   
Note: no X-ray emission or high ionization lines  
seen



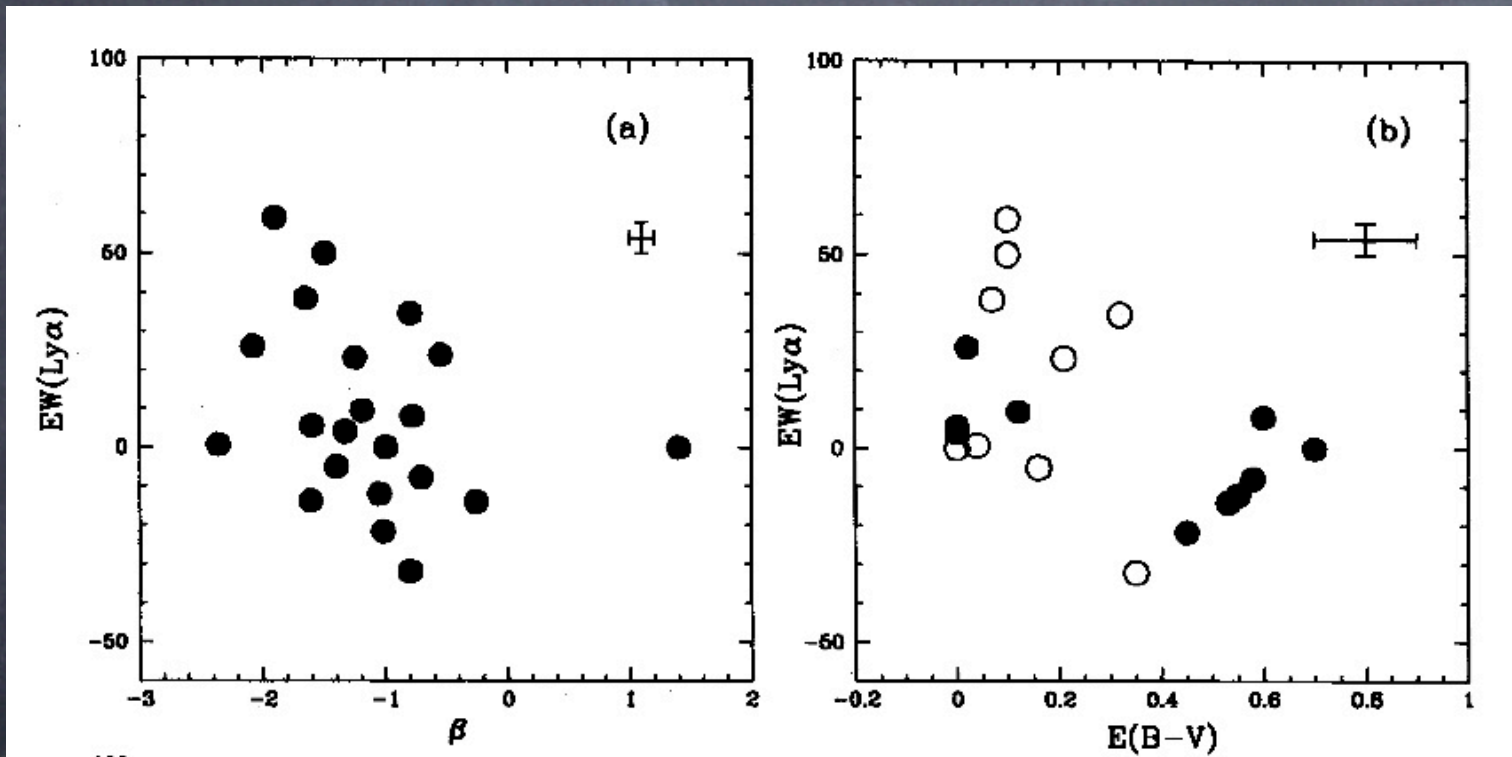
# Ly-alpha properties of LBGs show HUGE dispersion



Radiative transfer  
within ISM is at  
LEAST as important  
as transfer within  
IGM

Let's understand what  
we're looking at!

# Won't dust just kill the Ly-alpha EW?

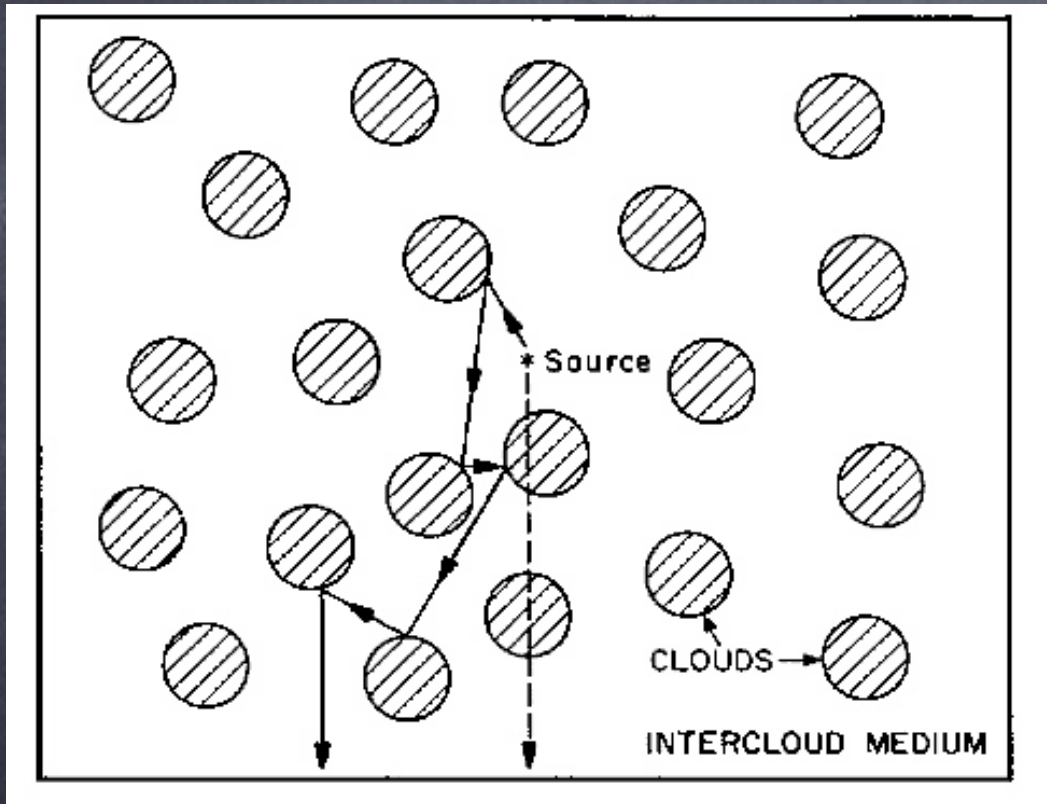


Giavalisco et al 1996

No--Ly-alpha EW appears to be decoupled from the dust content

Also: bright SCUBA sources w/ high Ly-alpha EW..  
(Chapman & Blain 2003)

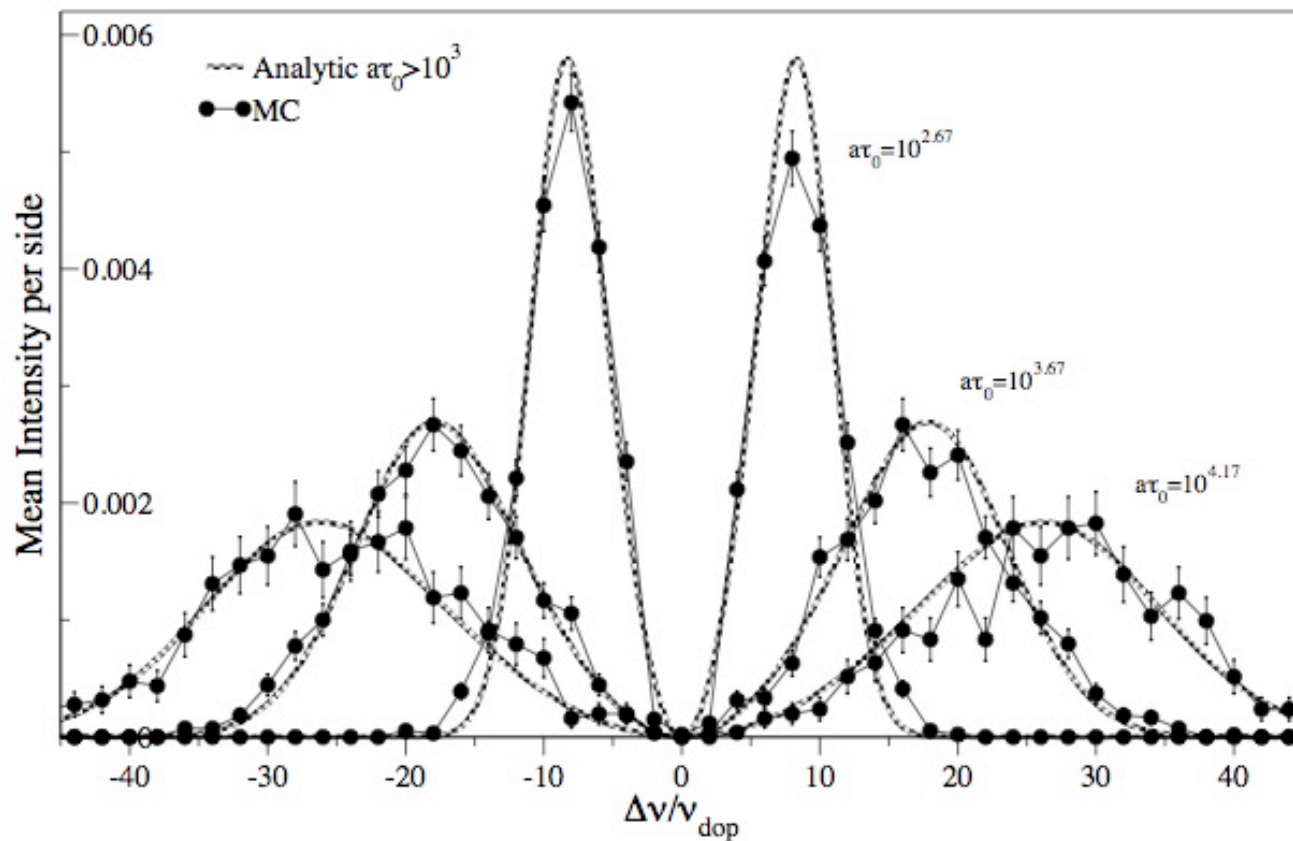
# Not if the ISM is clumpy



Preferential extinction of continuum possible in multi-phase medium (Neufeld 1991)

Amazingly, there has been no detailed study of resonance line radiative transfer in a clumpy, dusty medium

# Test this with a Monte-Carlo RT code...



Just Photon Pinball...

1. Choose Frequency
2. Choose Direction
3. Choose Optical Depth

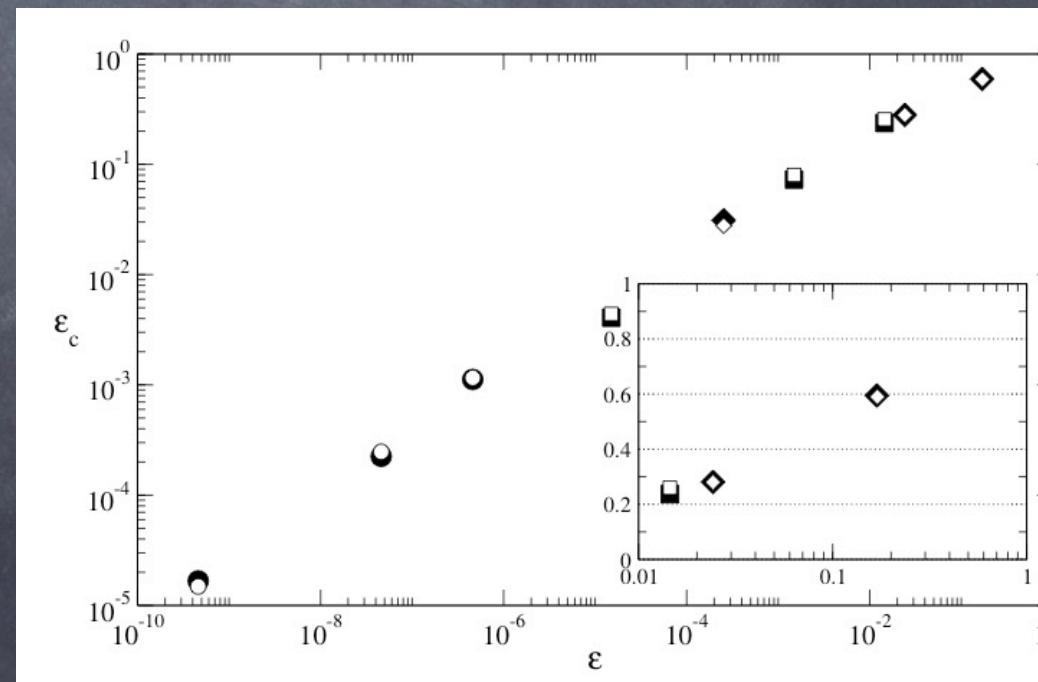
# The Need for Speed

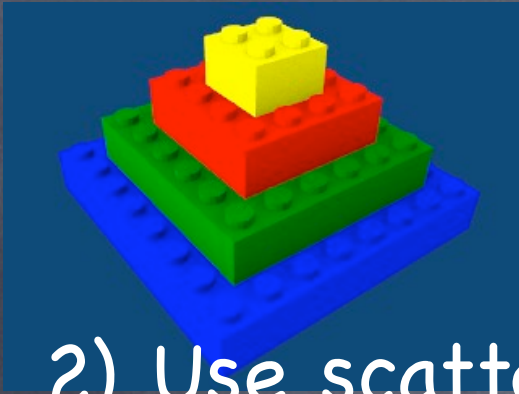
Conventional Monte Carlo solves the same problem  
*over and over and over again...very slow....*

Overcome this (with speed-up  $\sim$ million) in two ways:



1) Ignore scattering in Doppler core  
(adaptation of Ahn et al 2002)





2) Use scattering surfaces as Lego blocks --- figure out their properties and use them again and again

Treat cold, dusty phase as flat **absorbing mirror**.

Check:

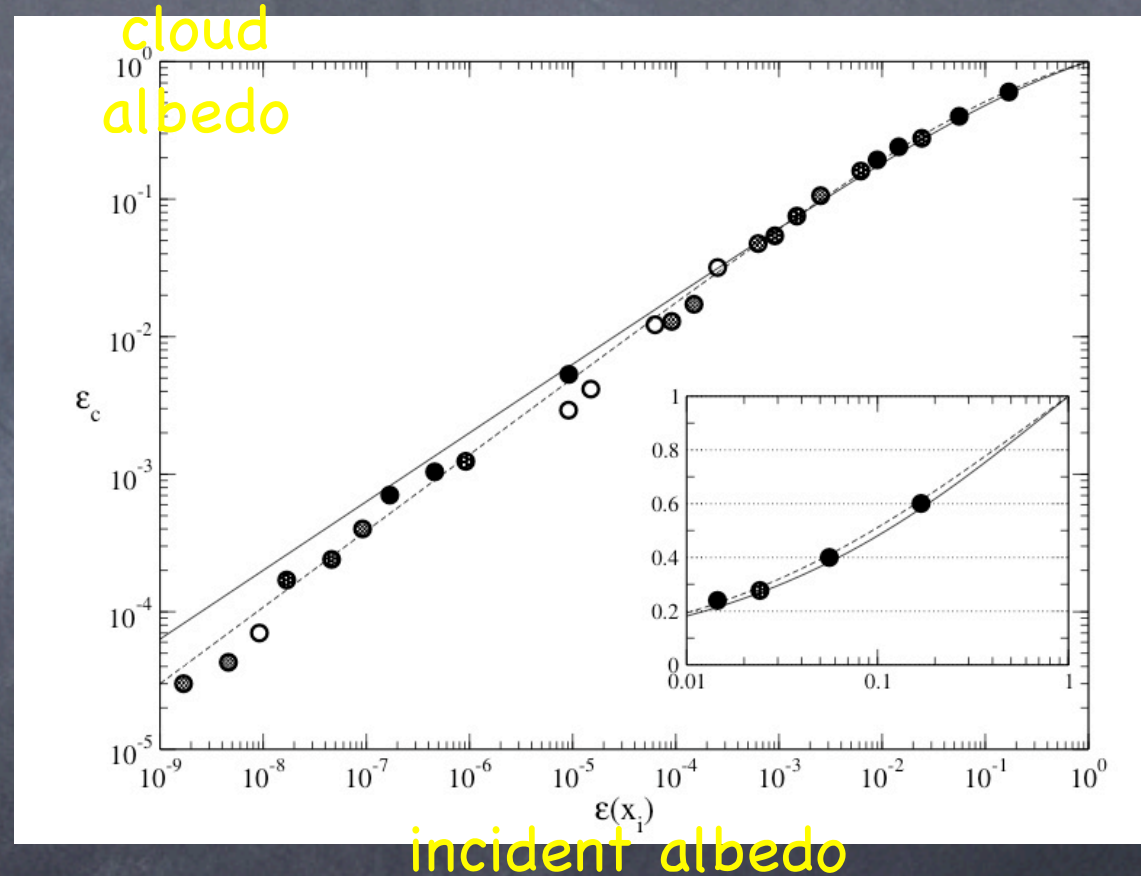
- Sudden jump in photon mean free path
- $M_{fp} \ll$  density scale height, radius of curvature

# Monte Carlo on Speed

Treat each cloud as a single particle capable of scattering/absorbing particles

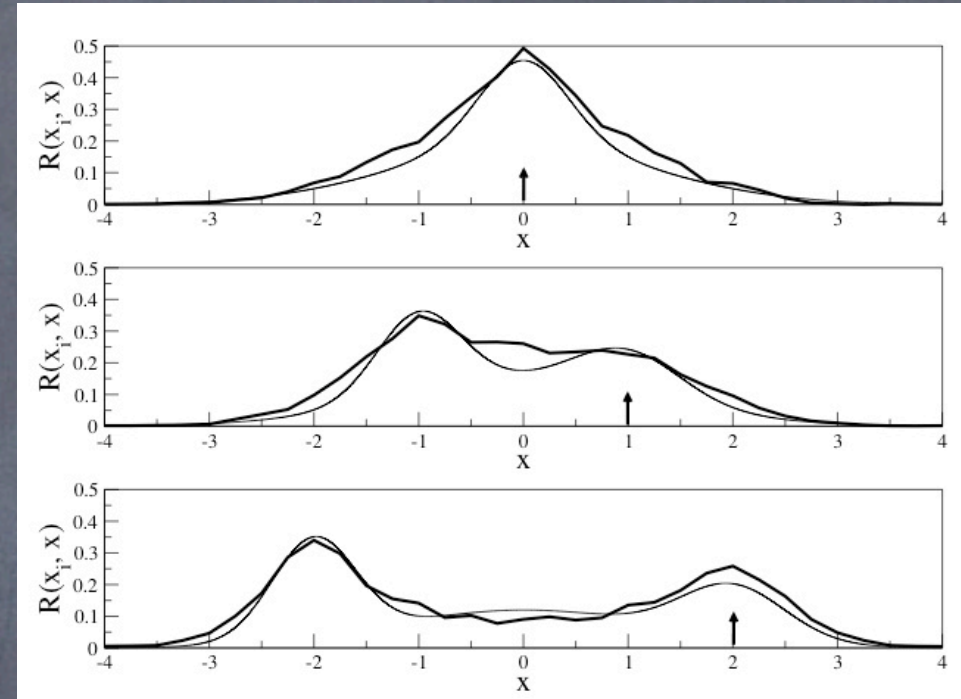
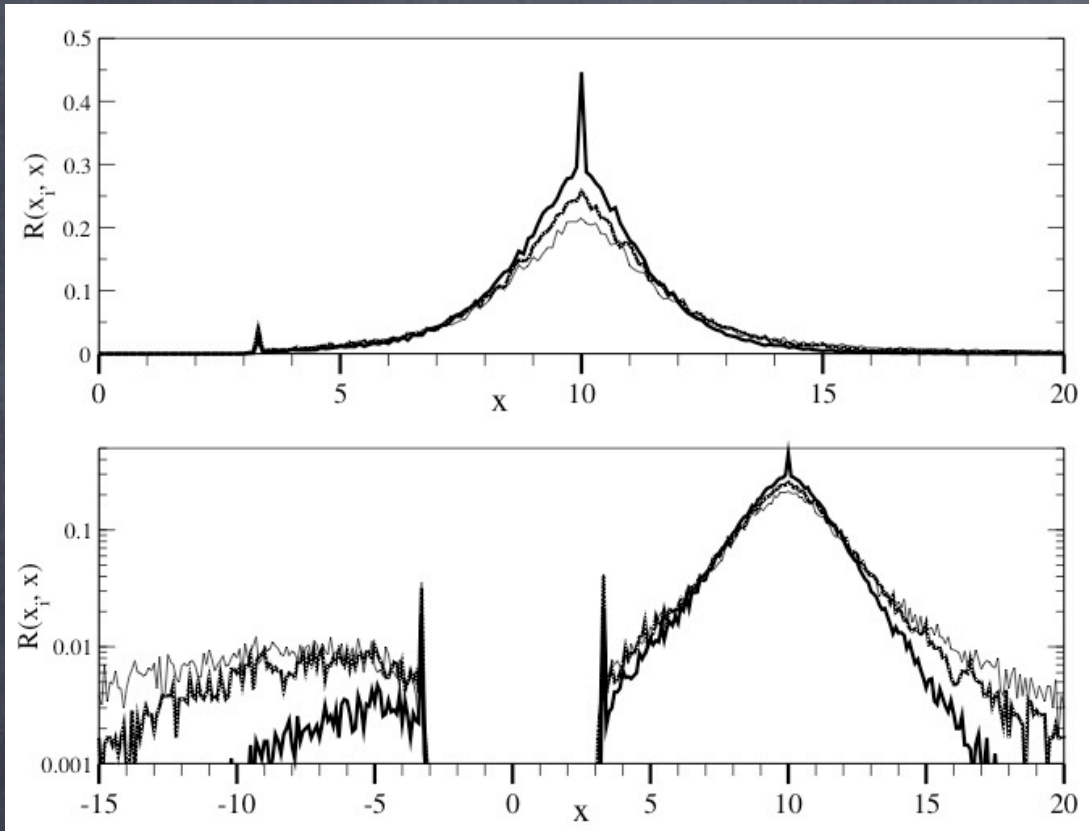
Characterize by:  
a) Albedo

$$\epsilon_c \approx \frac{3\epsilon_i^{5/9}}{1 + 2\epsilon_i^{1/2}}$$



Depends only on albedo evaluated at **incident frequency!** (no separate temp/dust/freq dependence)

# Frequency Redistribution



Doppler Core

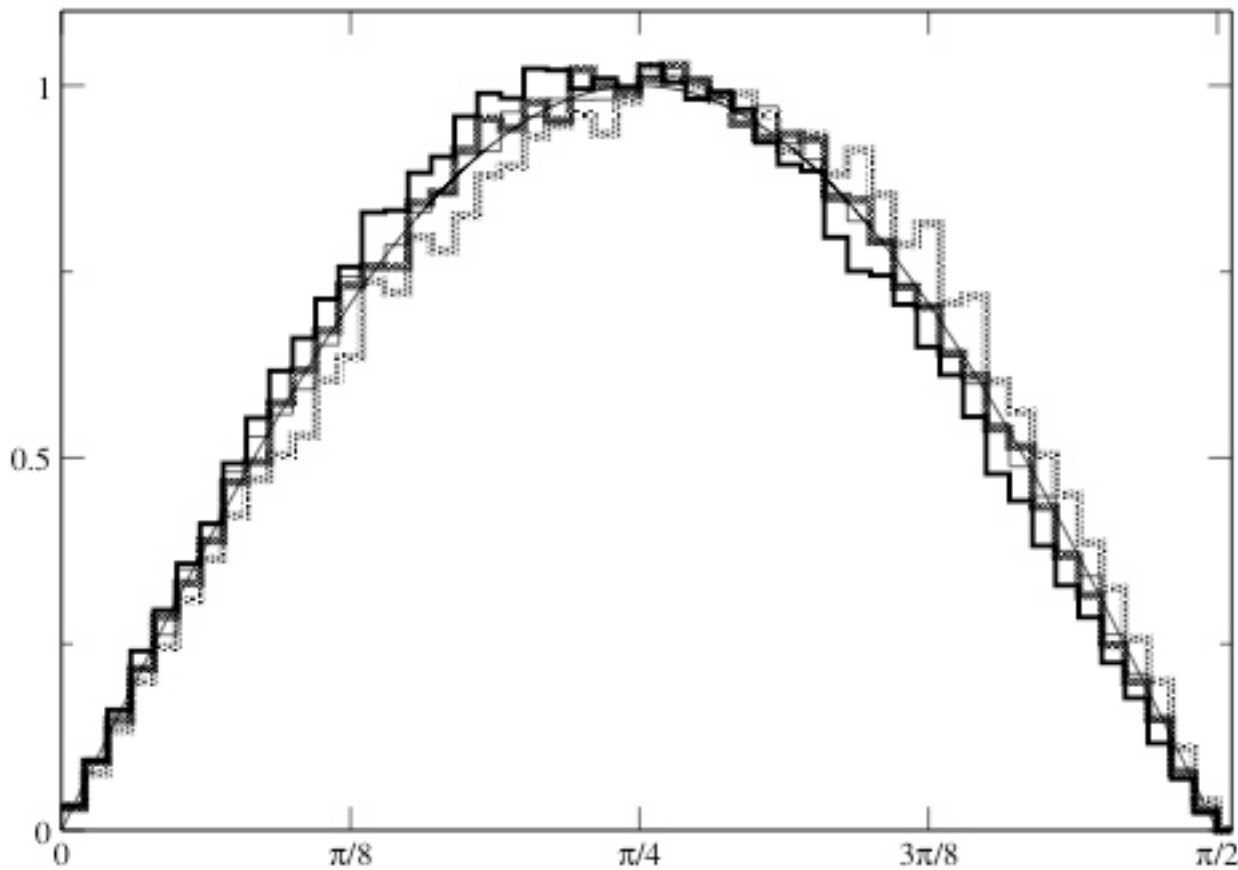
$$R(x_i, x; \alpha) = \frac{3\sqrt{\alpha}}{\pi} \frac{x^2 \tilde{x}_i^2}{\alpha \tilde{x}_i^4 + (x^3 - \tilde{x}_i^3)^2}$$

Line Wing

(Almost) independent of dust content!



# Distribution of exiting angles



$$D_{ss}(\theta) = \sin 2\theta$$

As expected from photons that escape isotropically from  $\tau=1$  photosphere

No dependence on incident angle, frequency, or dust content

# Effect of Surface Motion

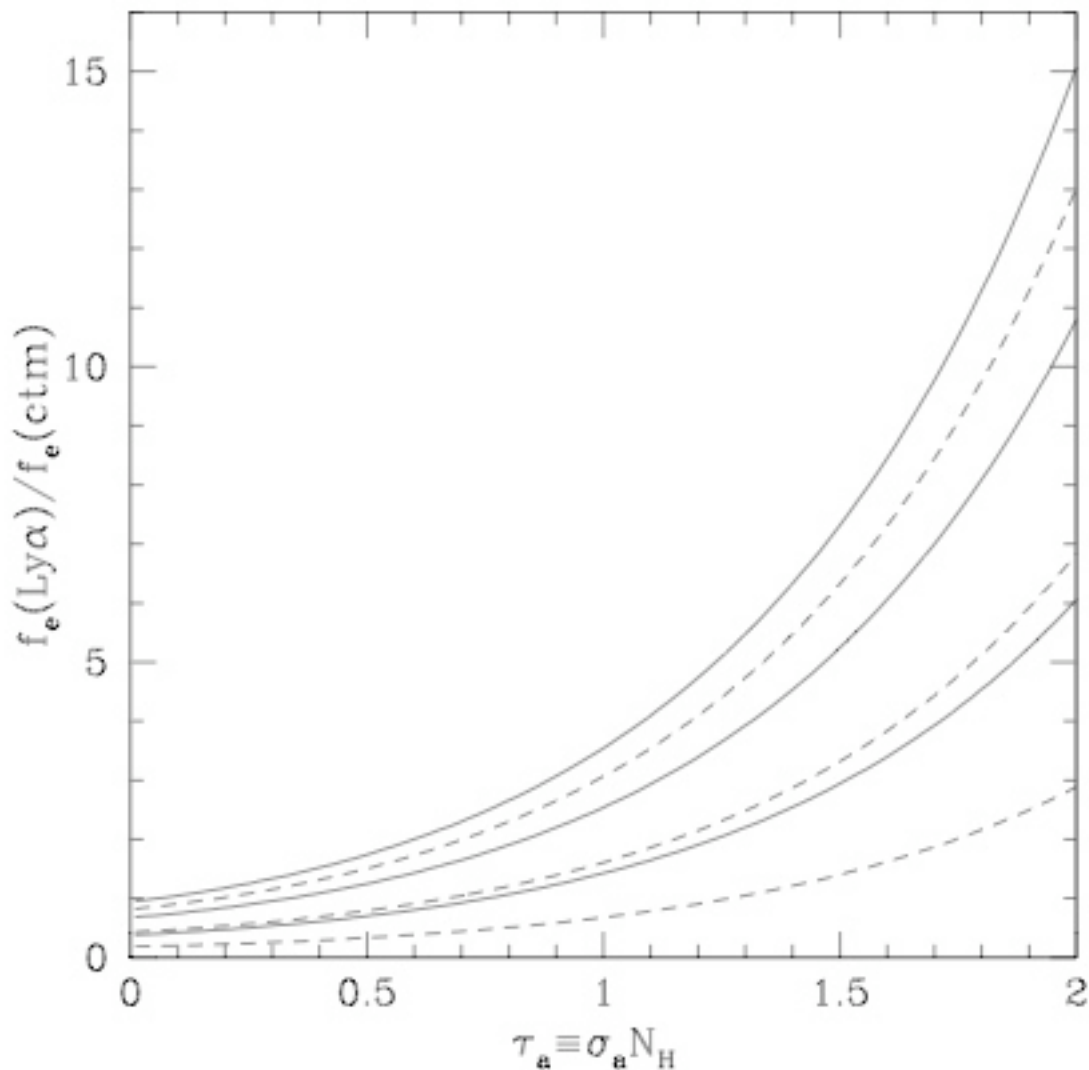
- Just perform Doppler boost into/out of rest frame of surface

These rules are all that's needed to perform very fast multi-phase radiative transfer!

# EW boost of $\sim$ few is

## easy...

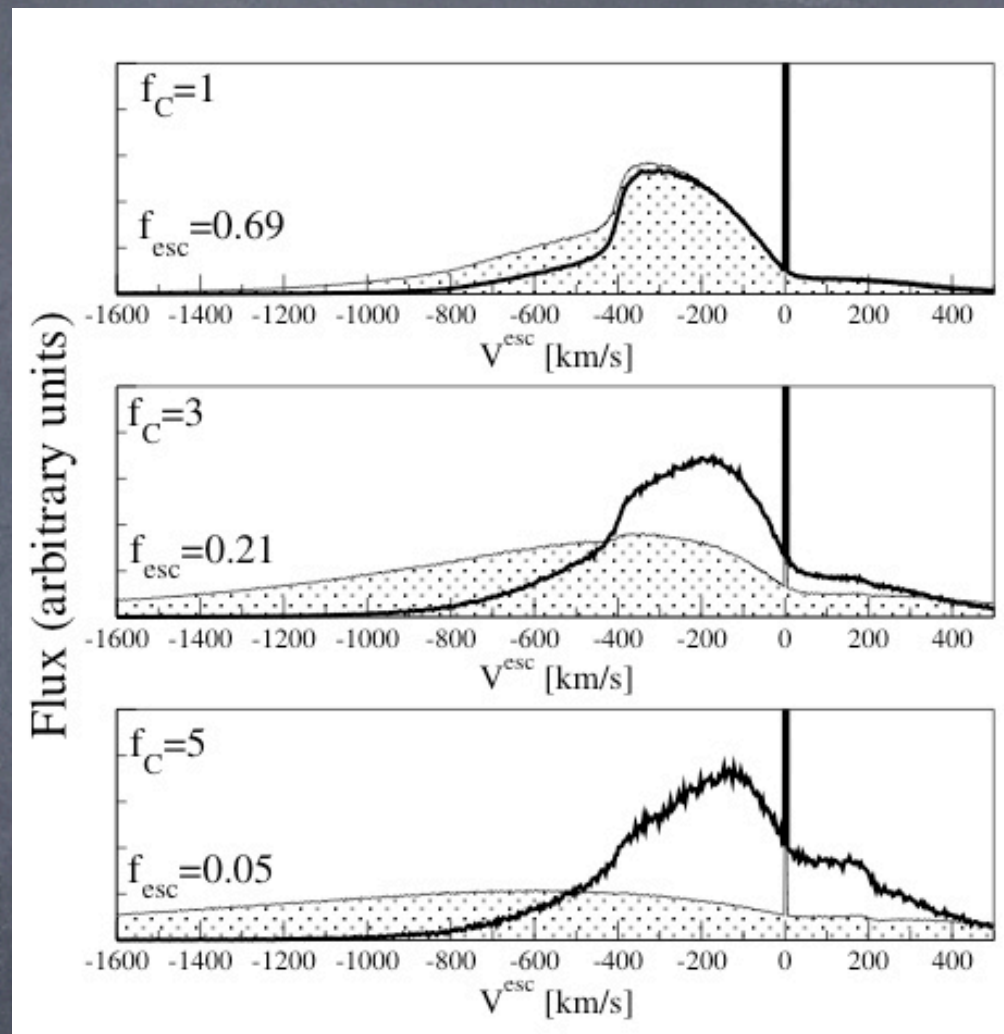
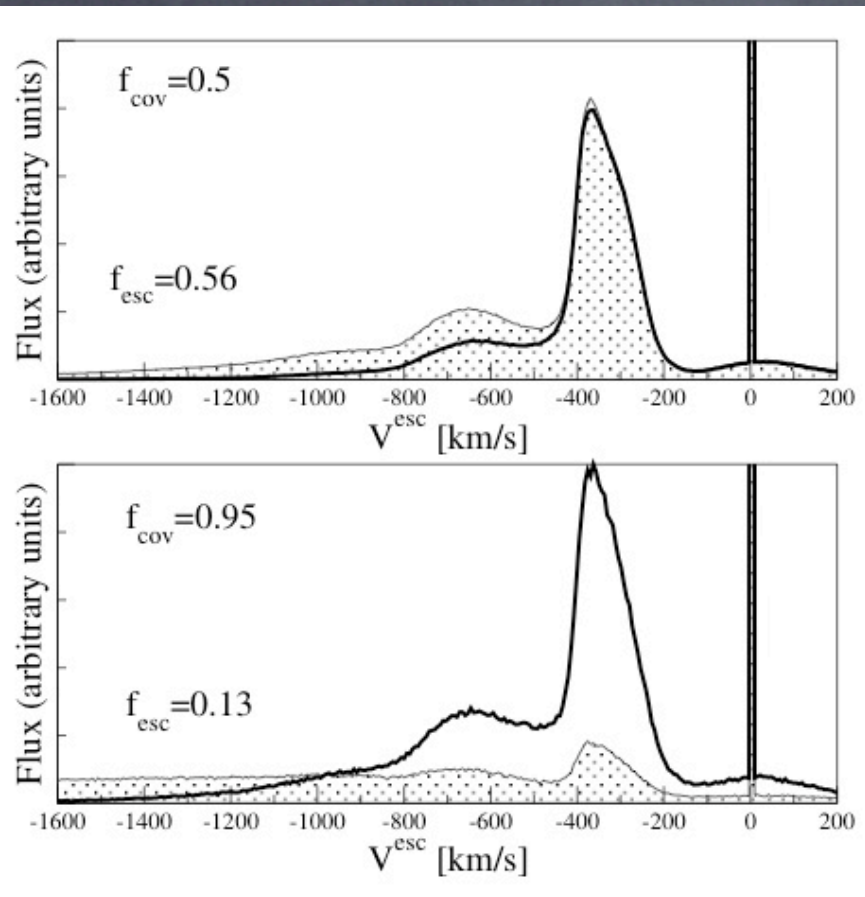
Agreement  
between  
exact + fast MC  
is v. good



EW boost peaks  
when clouds  
become optically  
thick in dust

Test: compare Ly-  
alpha with Balmer  
lines

# Multi-phase Outflows



Asymmetric line shape

Line widths  $\sim$  few times outflow speed

Photons escape more easily, profile more sharply peaked than in homogeneous outflow

# Analytic Multi-Phase Radiative Transfer

Can estimate escape fraction and number of scatters  
analytically!!

$$\text{Escape fraction} = \frac{1}{\cosh(\sqrt{2\epsilon N_0})}$$

$$\text{Number of scatters} = (1 - \epsilon) N_0 \frac{\tanh(\sqrt{2\epsilon N_0})}{\sqrt{2\epsilon N_0}}$$

$\epsilon$  albedo at escape frequency is function of  $N_0$

So need just one parameter:

$N_0$  : number of scatters if no absorption

# $\mathcal{N}_0$ is purely geometric

Frequency independent for very optically thick scattering surfaces

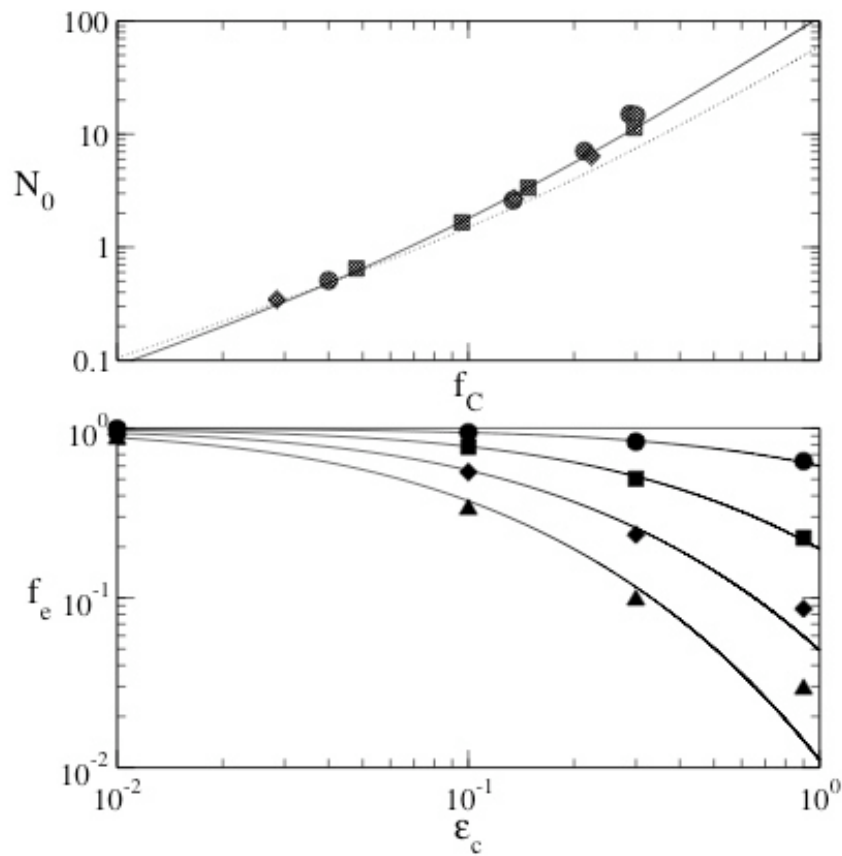
We've found fitting formula for generic astrophysical situations by running Monte-Carlos...

$$\mathcal{N}_0 = \frac{3}{5} f_C^2 + f_C$$

Randomly oriented surfaces

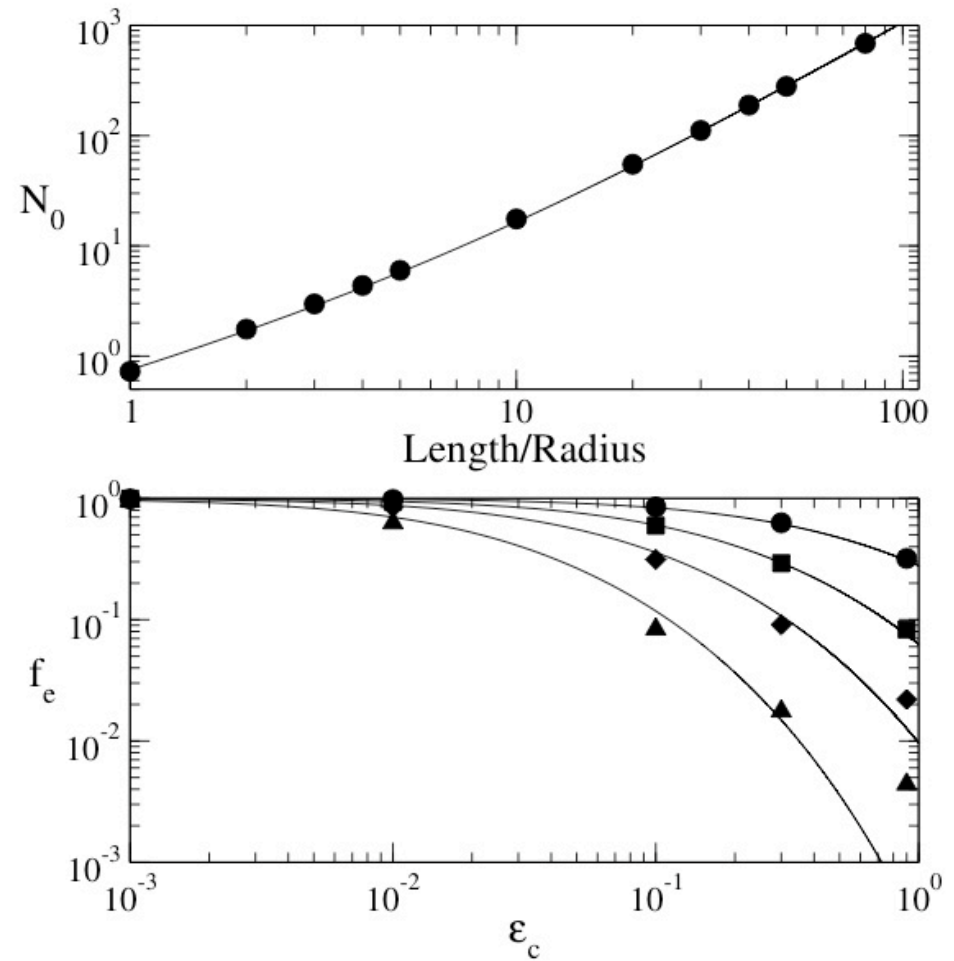
$$\mathcal{N}_0 \approx f_{\text{cov}} / (1 - f_{\text{cov}})$$

Shell with holes



$$\mathcal{N}_0 = f_c^2 + \frac{4}{5}f_c$$

Random spheres



$$\mathcal{N}_0 = \frac{1}{10}(L/R)^2 + \frac{13}{20}(L/R)$$

Tube with holes

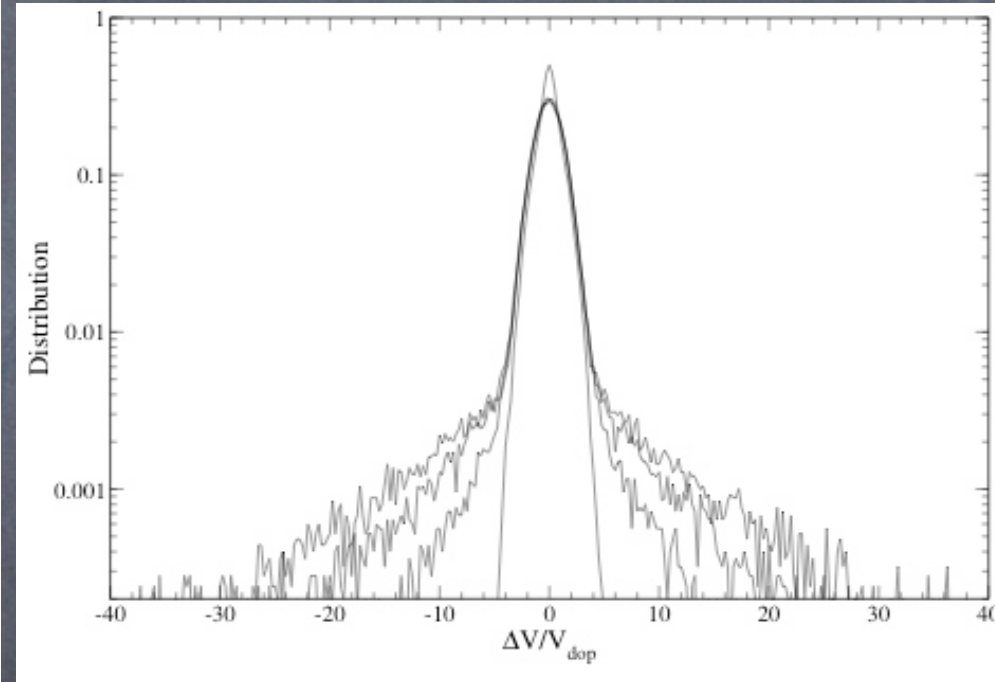
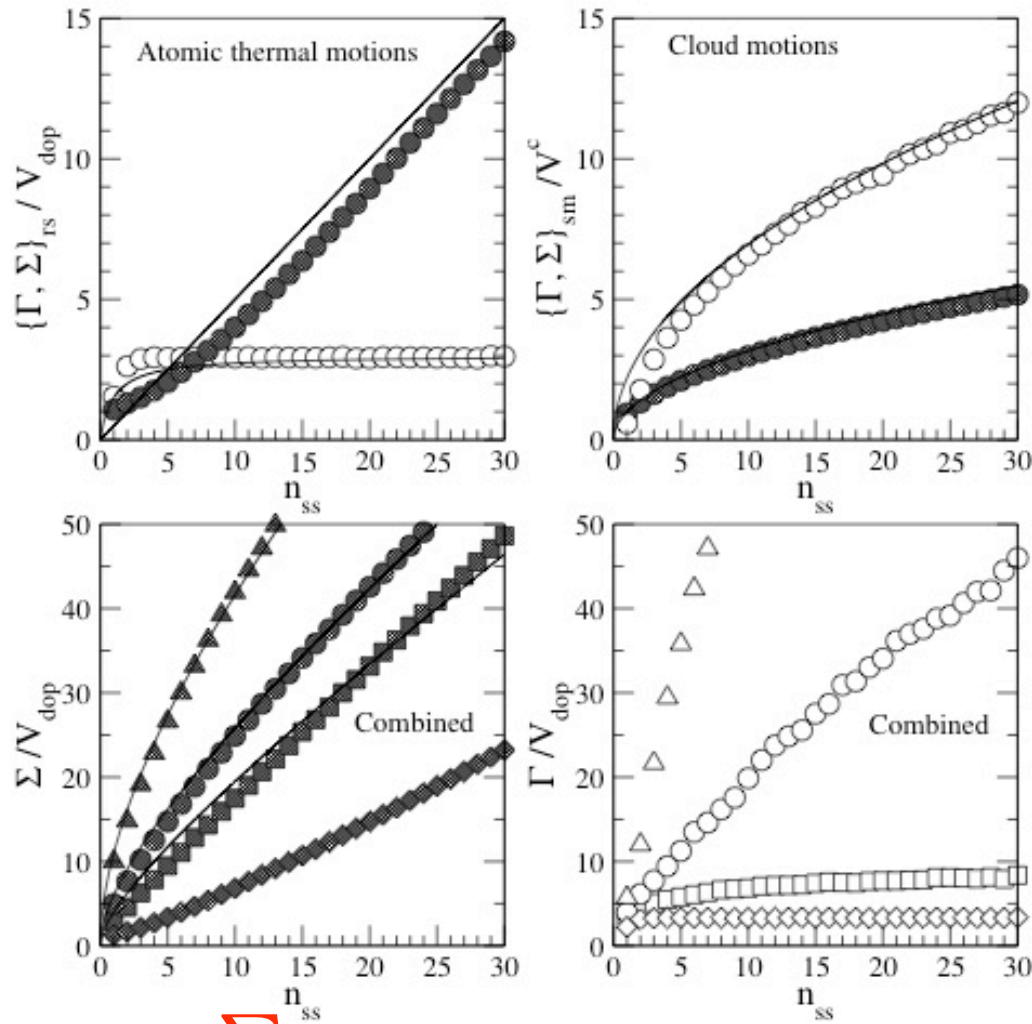


Note: independent of size distribution of spheres!

# Escape Frequency

What is characteristic line width after repeated scattering?

Atomic motions only



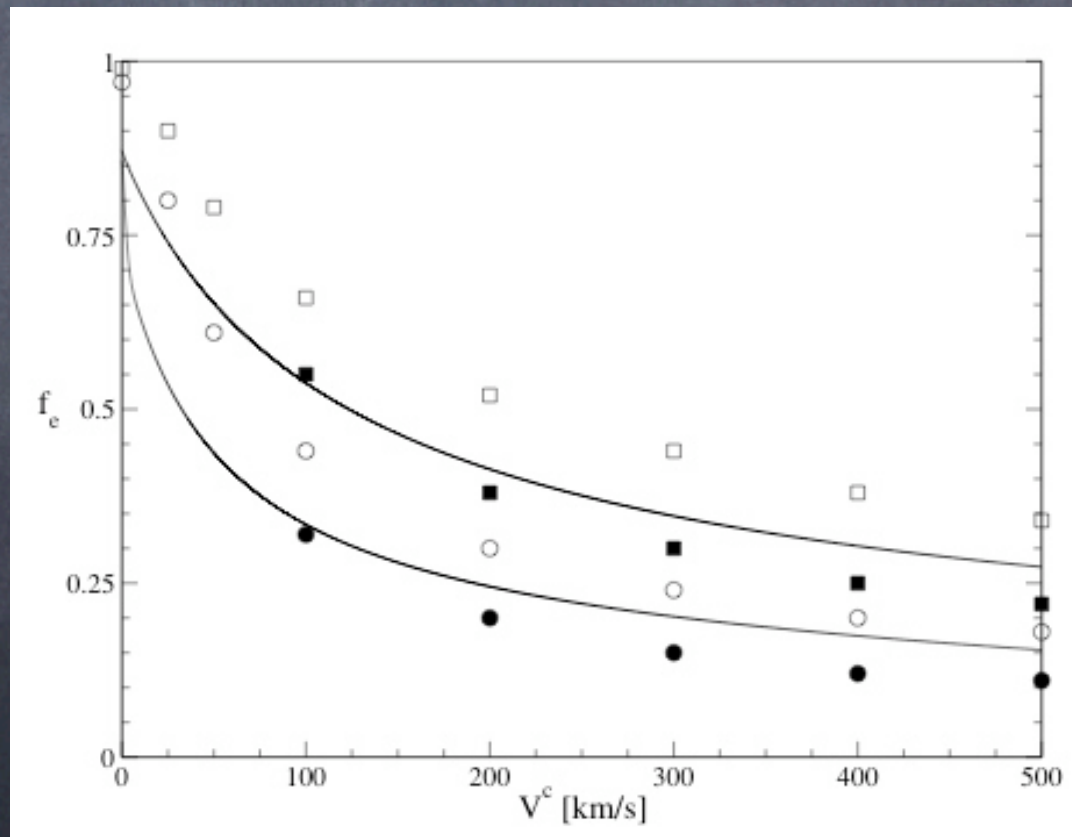
If no cloud motions, core "thermalizes", with non-gaussian tail...

$\Sigma \propto n_{ss}$   
 If  $V_{surface} > 100 \text{ km s}^{-1}$ , then no saturation



# Analytic Escape Fractions with Cloud Motion

Solve for number of surface scatterings iteratively  
to estimate escape frequency



# Bottom line

## • Technical Advances

- Surface scattering quantified for 1st time...we think!
- An ultra-fast adaption of Monte-Carlo transfer suitable for multi-phase numerical simulations
- Analytic formulae for escape fraction/line width, based on geometric quantity  $N_o$

## • Astronomy Results

- Large boost of Ly-alpha equivalent widths in multi-phase, dusty medium
- Multi-phase outflow: asymmetric line profile, line width  $\sim$  (several)  $\times$  flow speed

Many future applications possible....